

UHE neutrino science with IceCube-Gen2

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October 18, 2021

UNIVERSITY OF
COPENHAGEN



VILLUM FONDEN



How it
started

How it's
going

10–20 years
from now



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First predictions
of high-energy
cosmic ν



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First tests of ν physics

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EeV ν discovered
Precision tests with PeV ν
First tests with EeV ν

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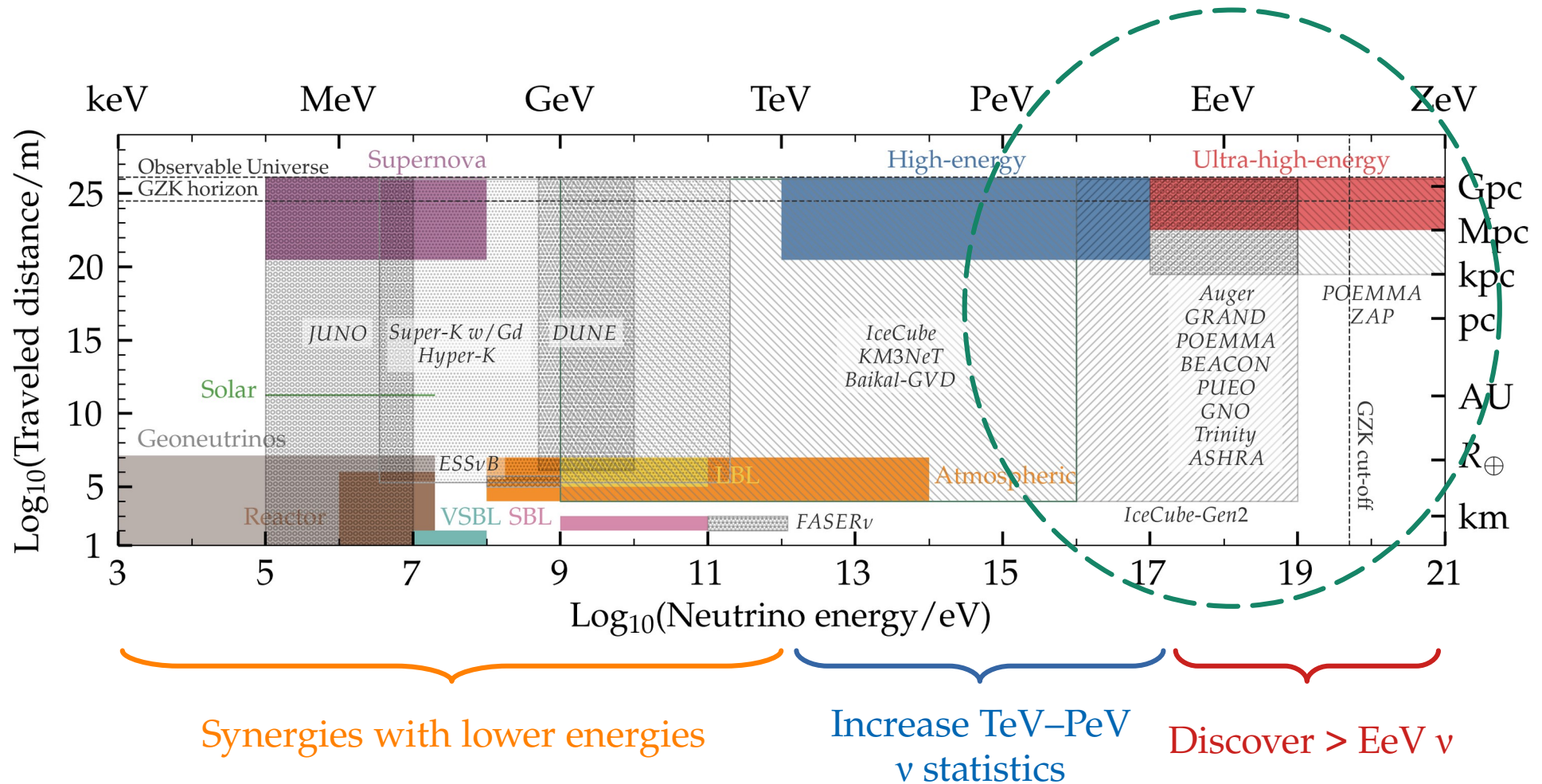
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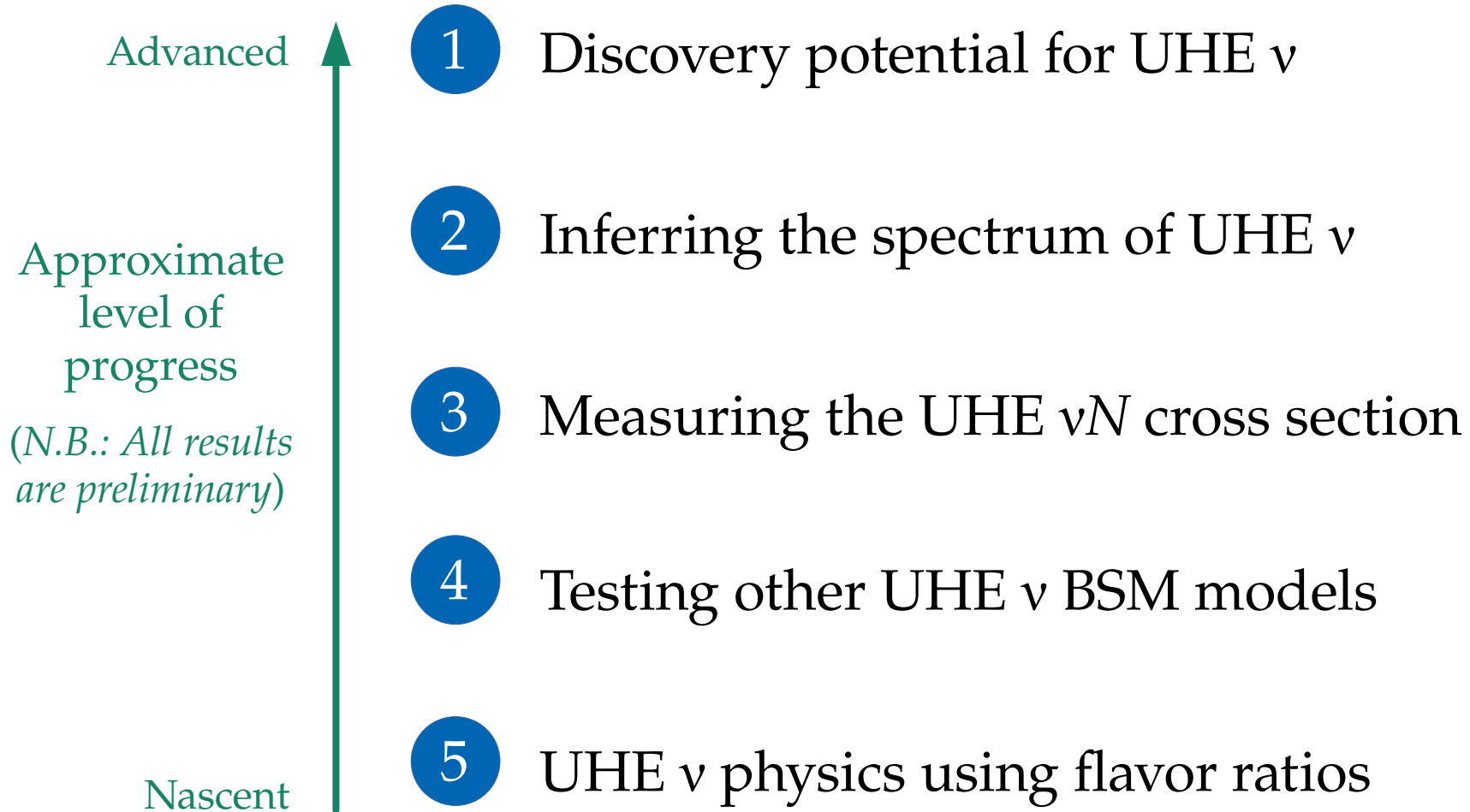
How do we get there?

EeV ν discovered
Precision tests with PeV ν
First tests with EeV ν

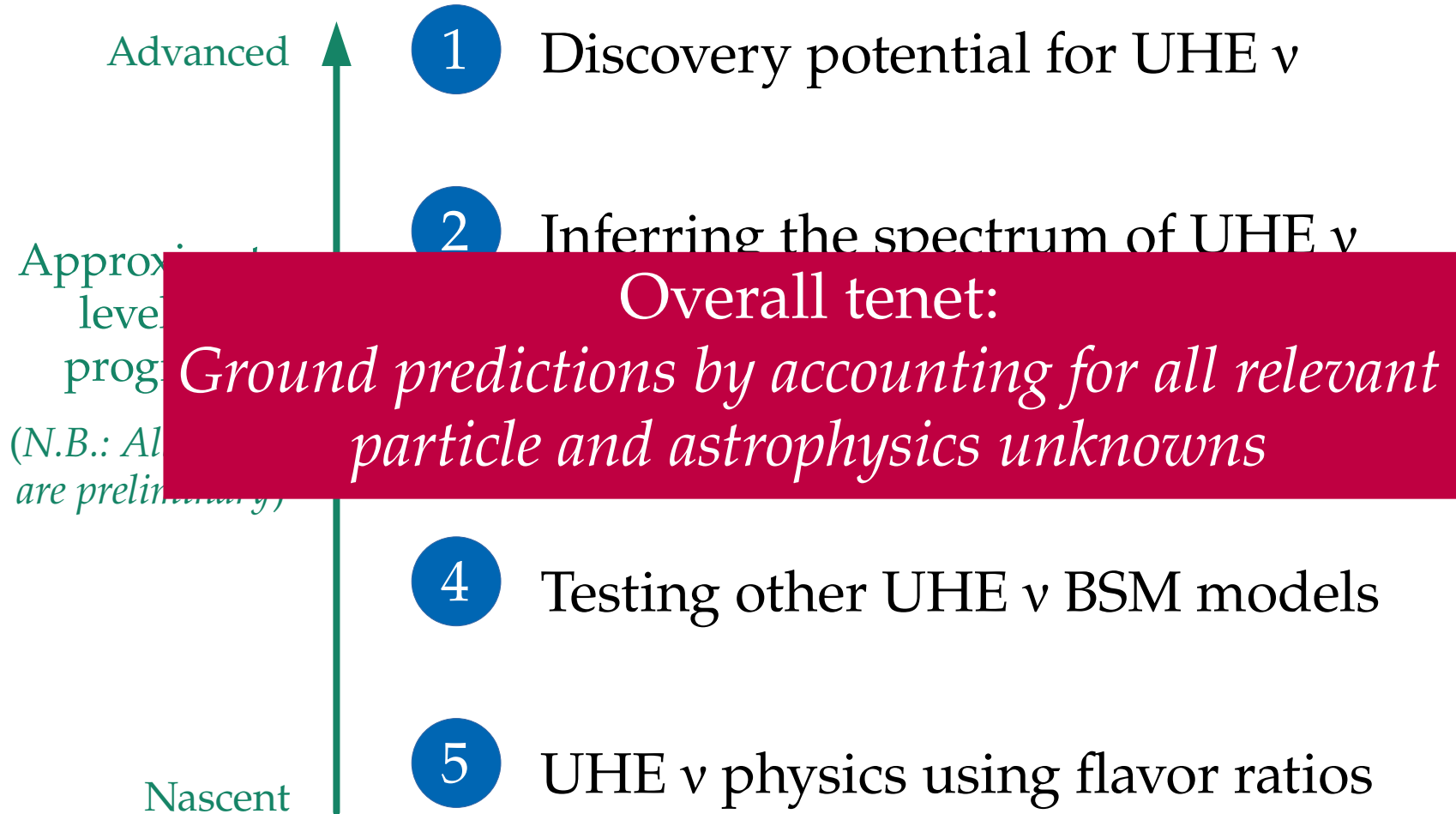
Next decade: a host of planned neutrino detectors

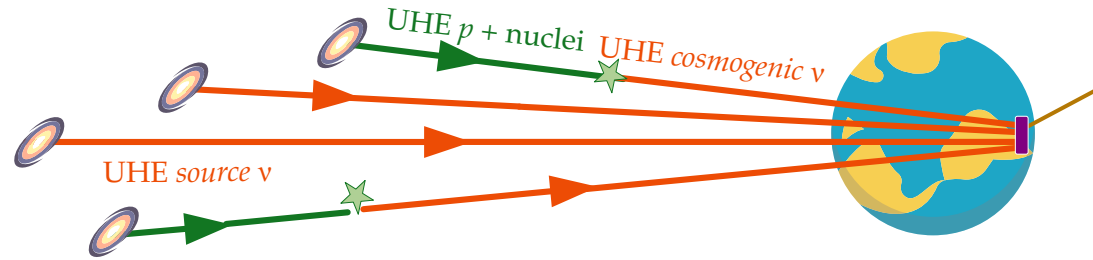


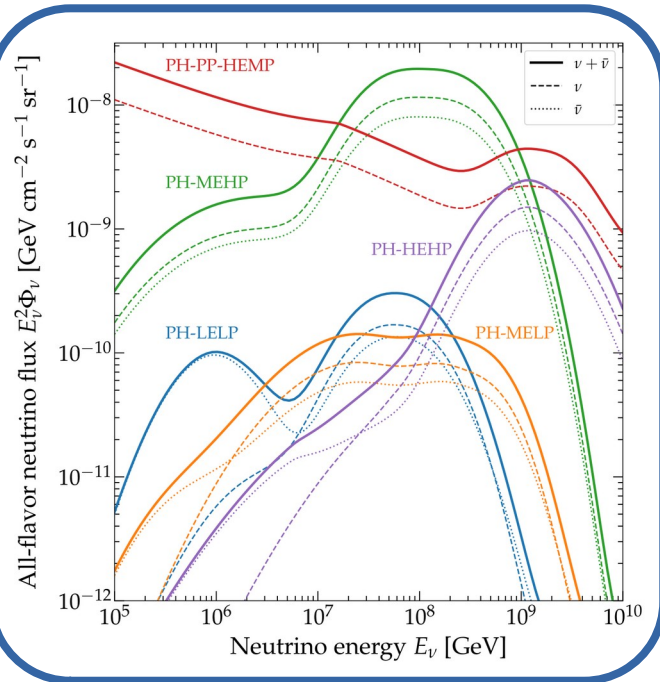
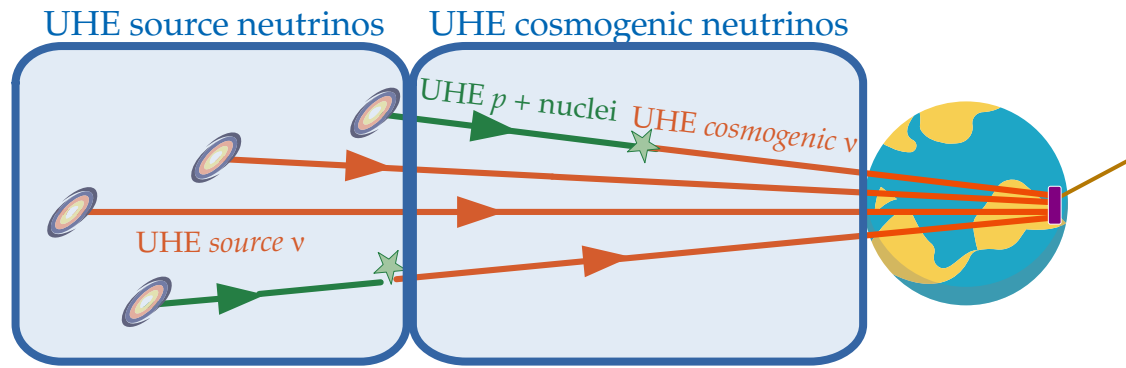
Five directions



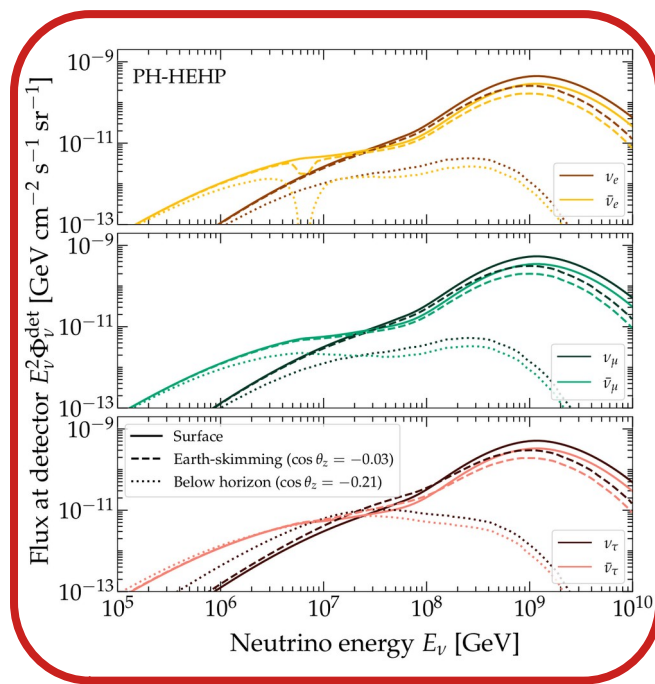
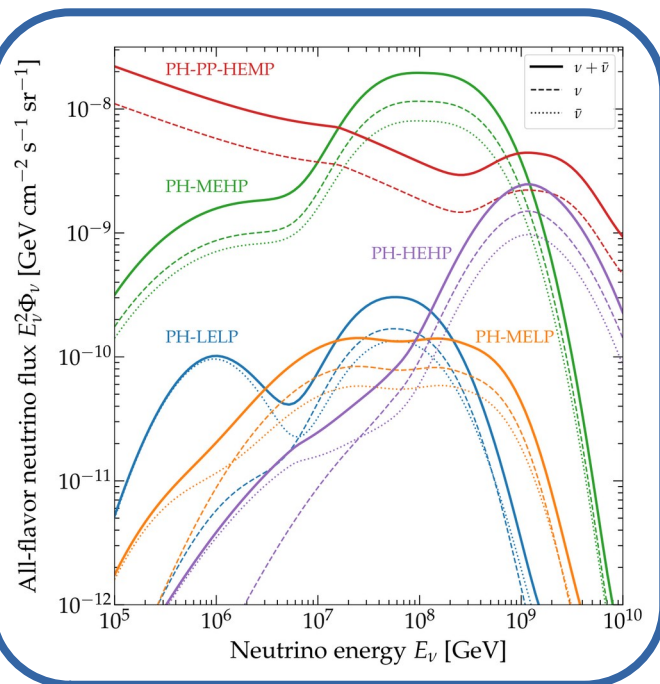
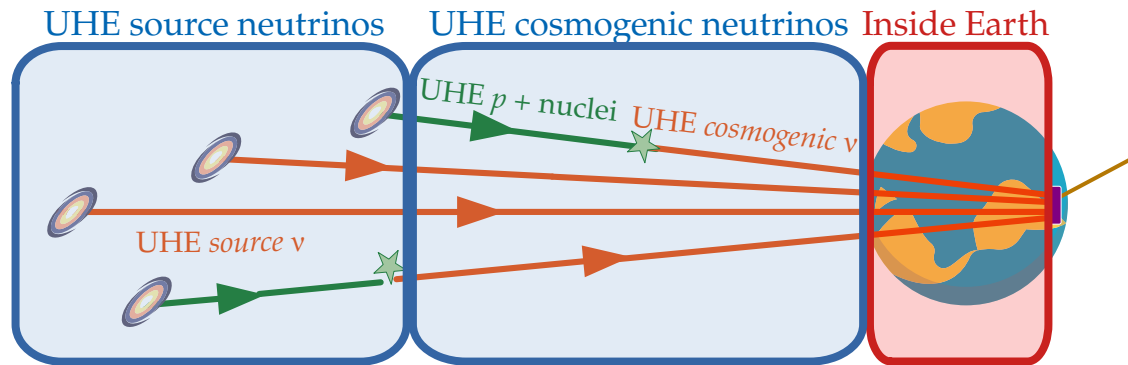
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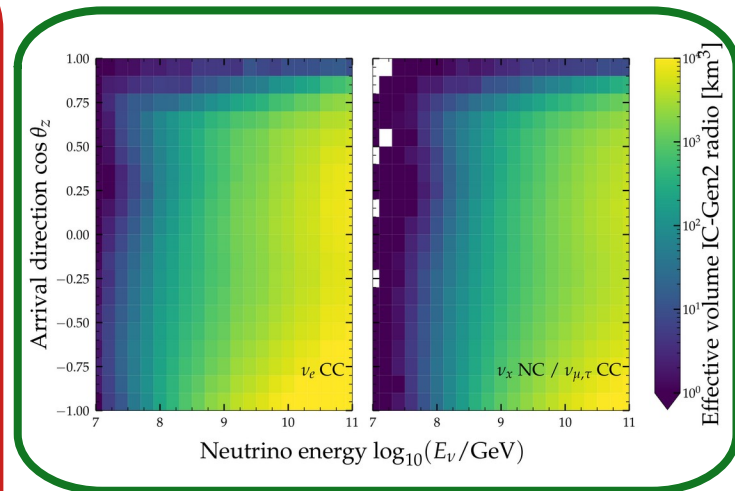
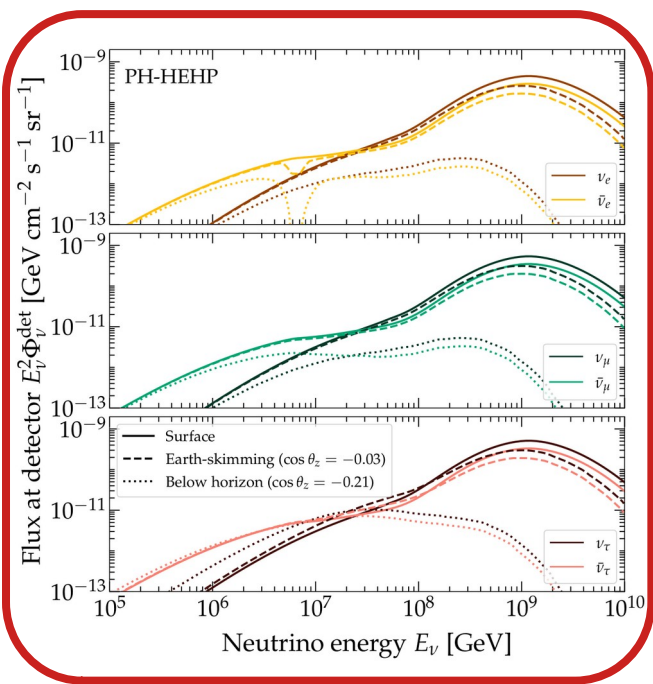
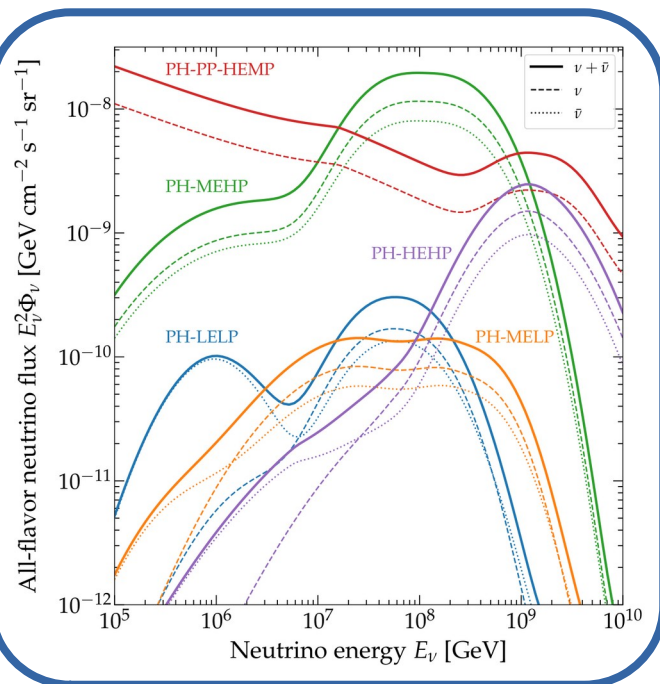
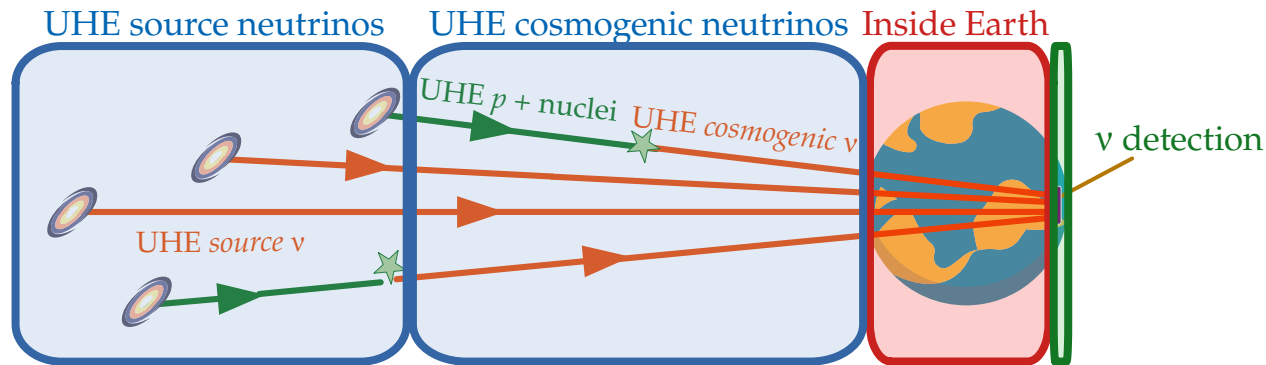


UHE ν from pp and $p\gamma$ interactions, account for
cosmic-ray spectrum & mass composition,
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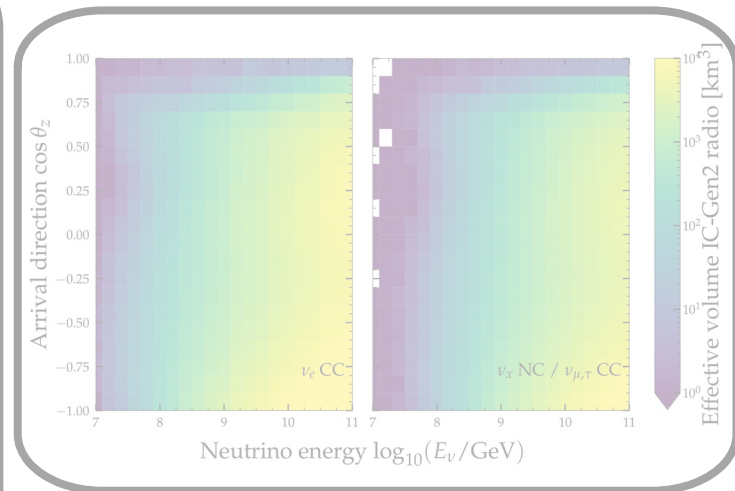
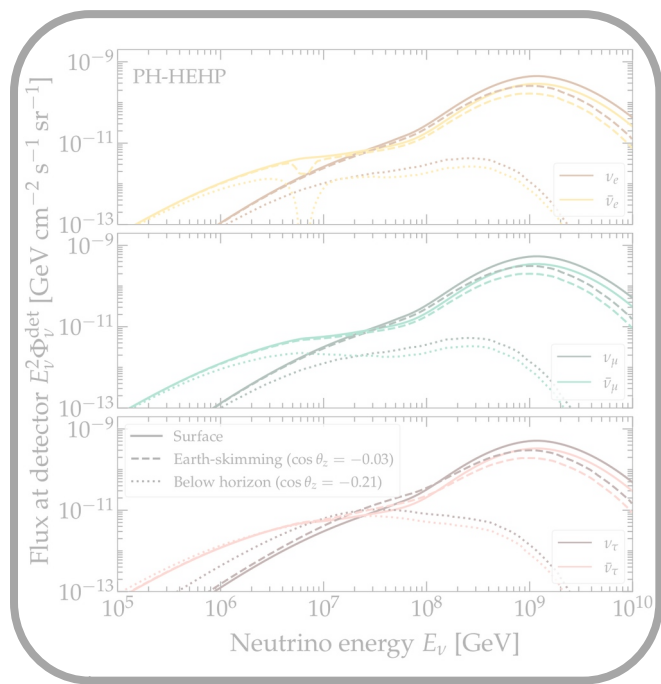
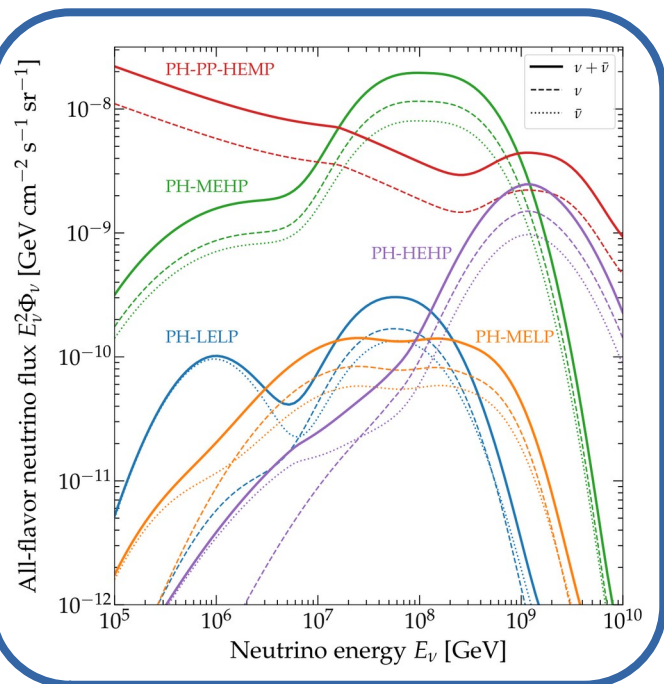
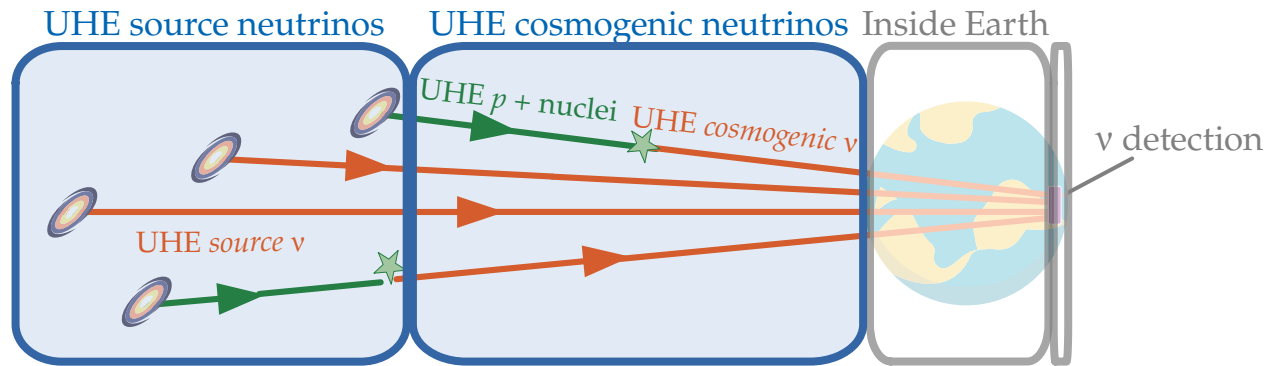


Model radio propagation in ice, antenna response, angular and energy resolution, inelasticity distribution

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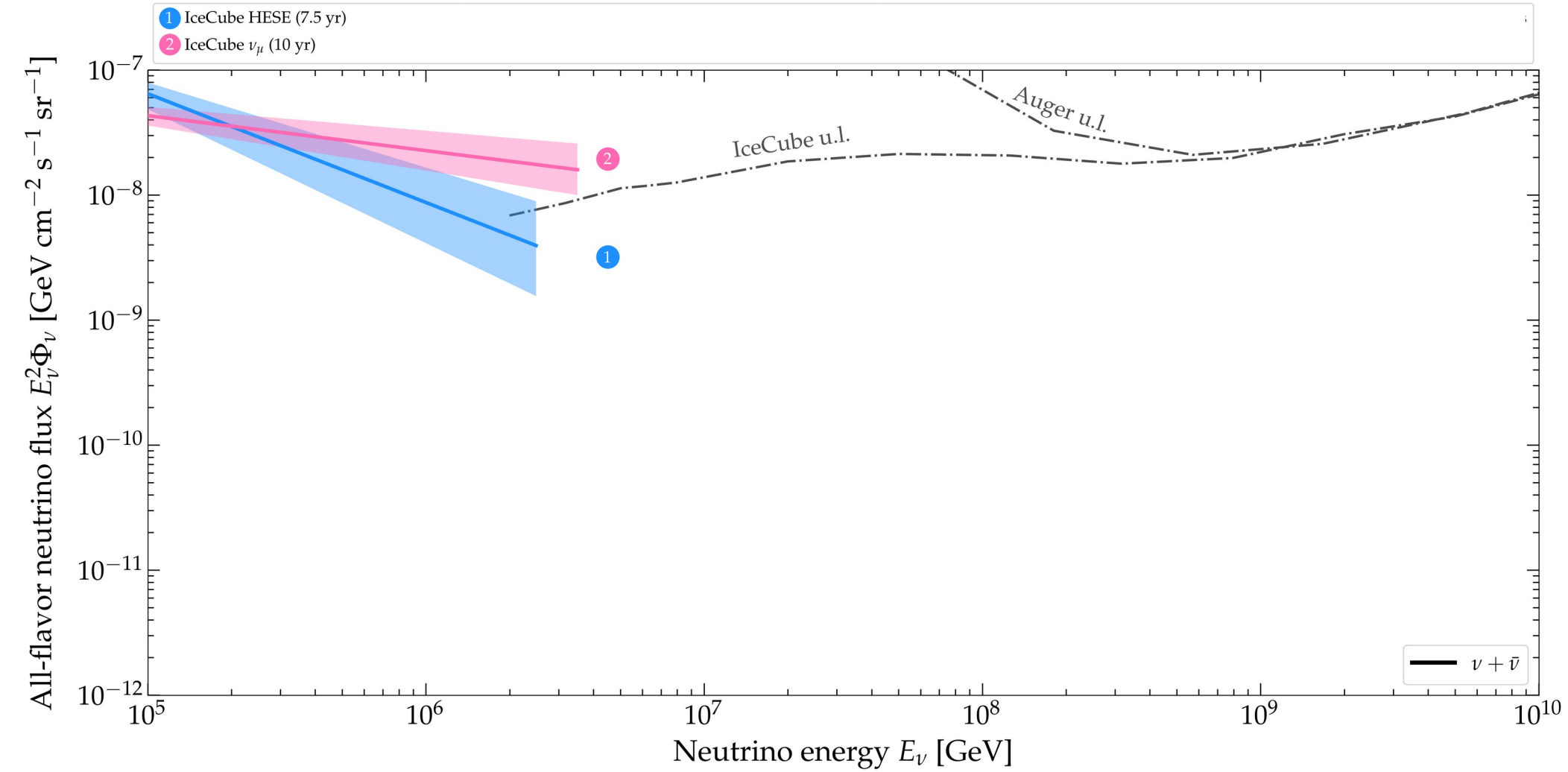
A general framework
for UHE ν physics
and astrophysics

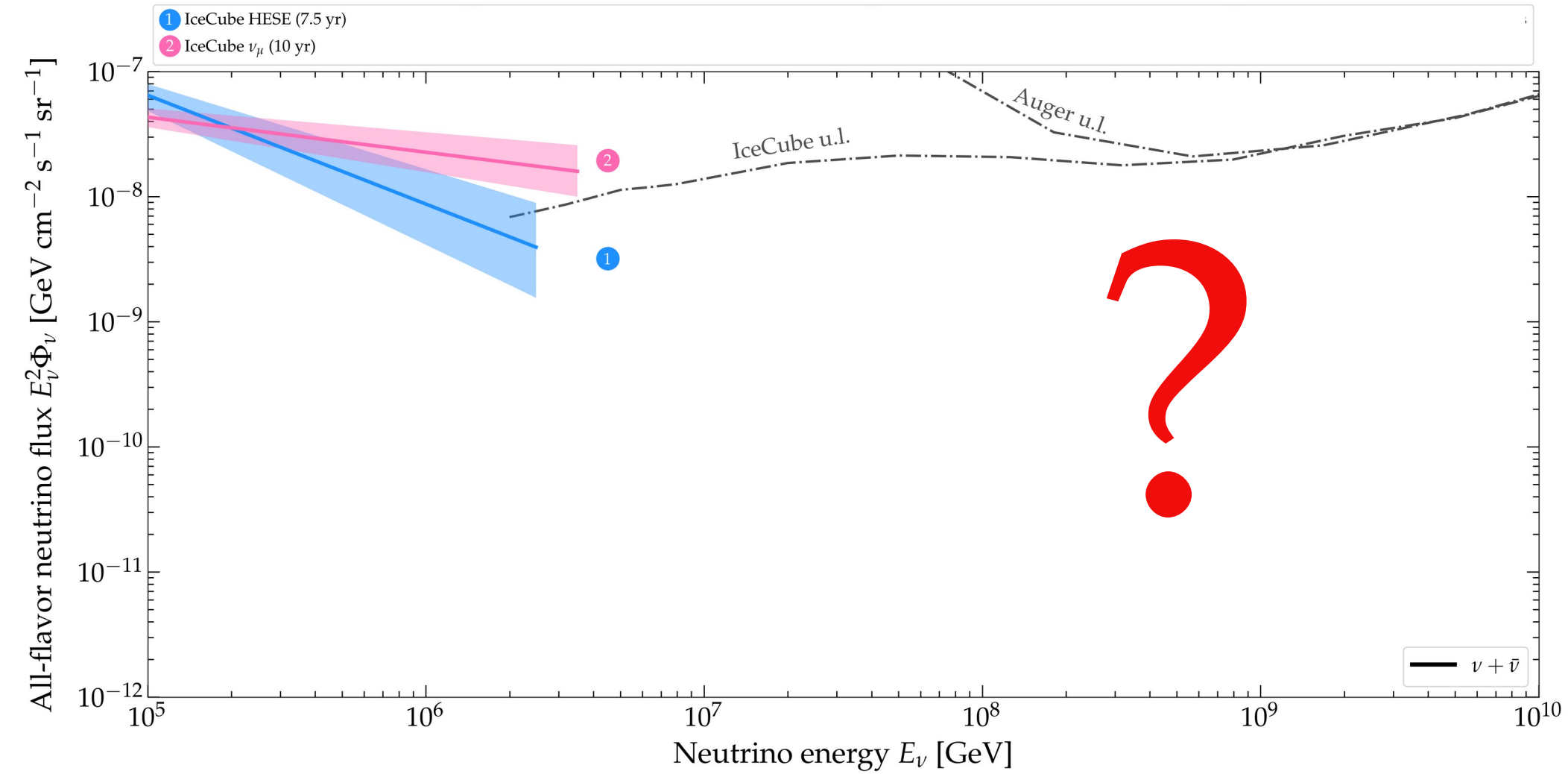


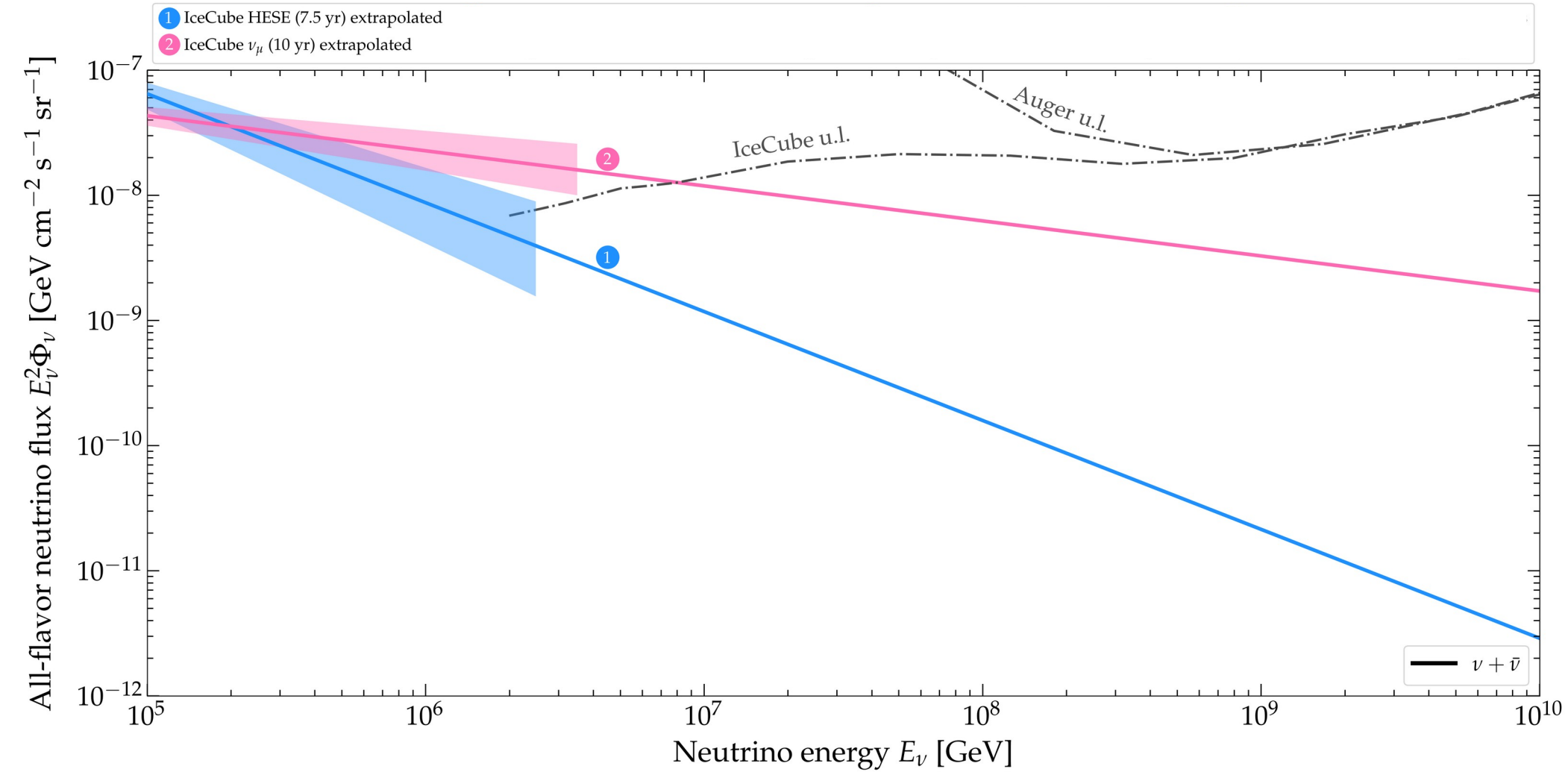
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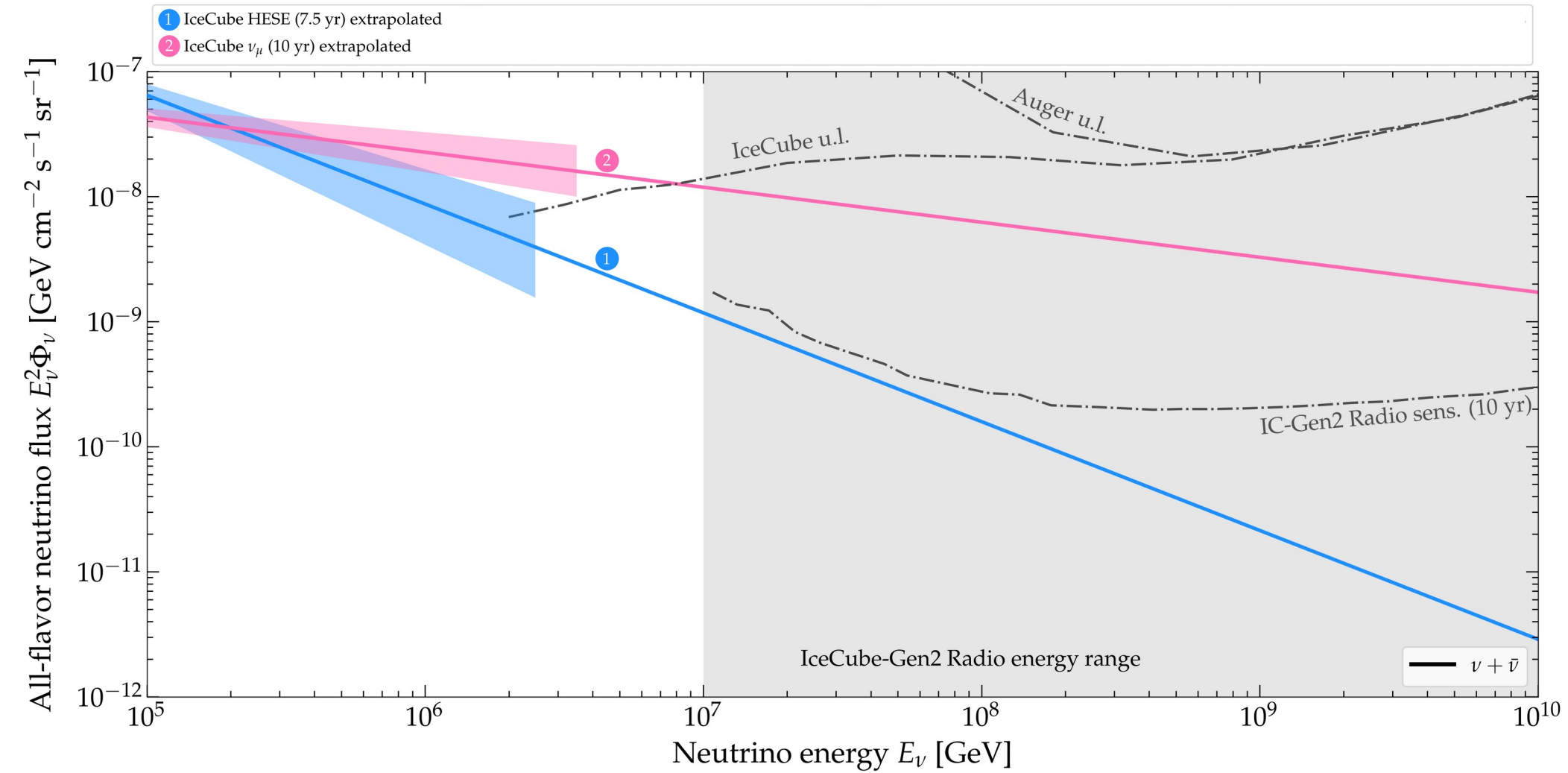
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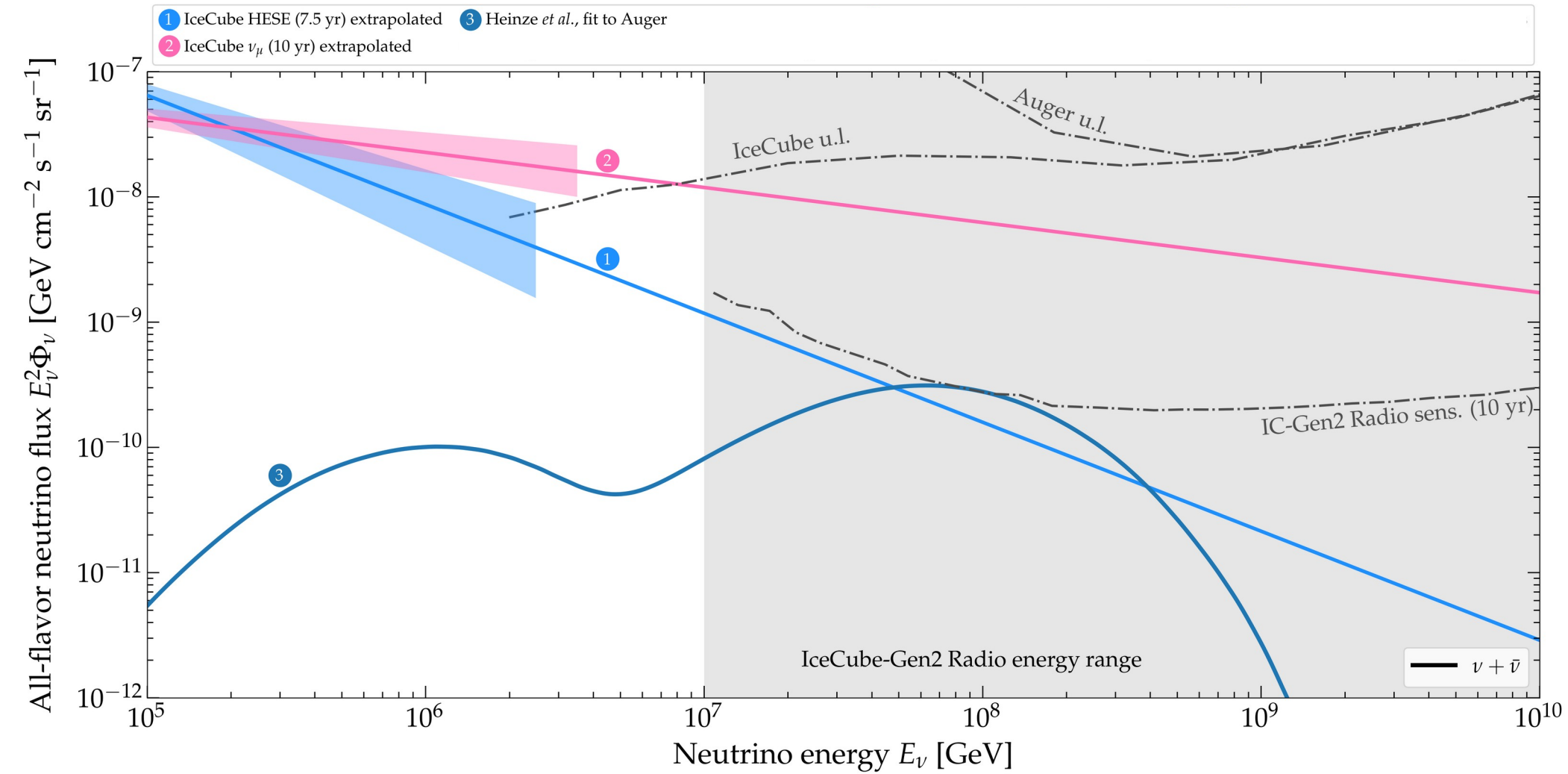
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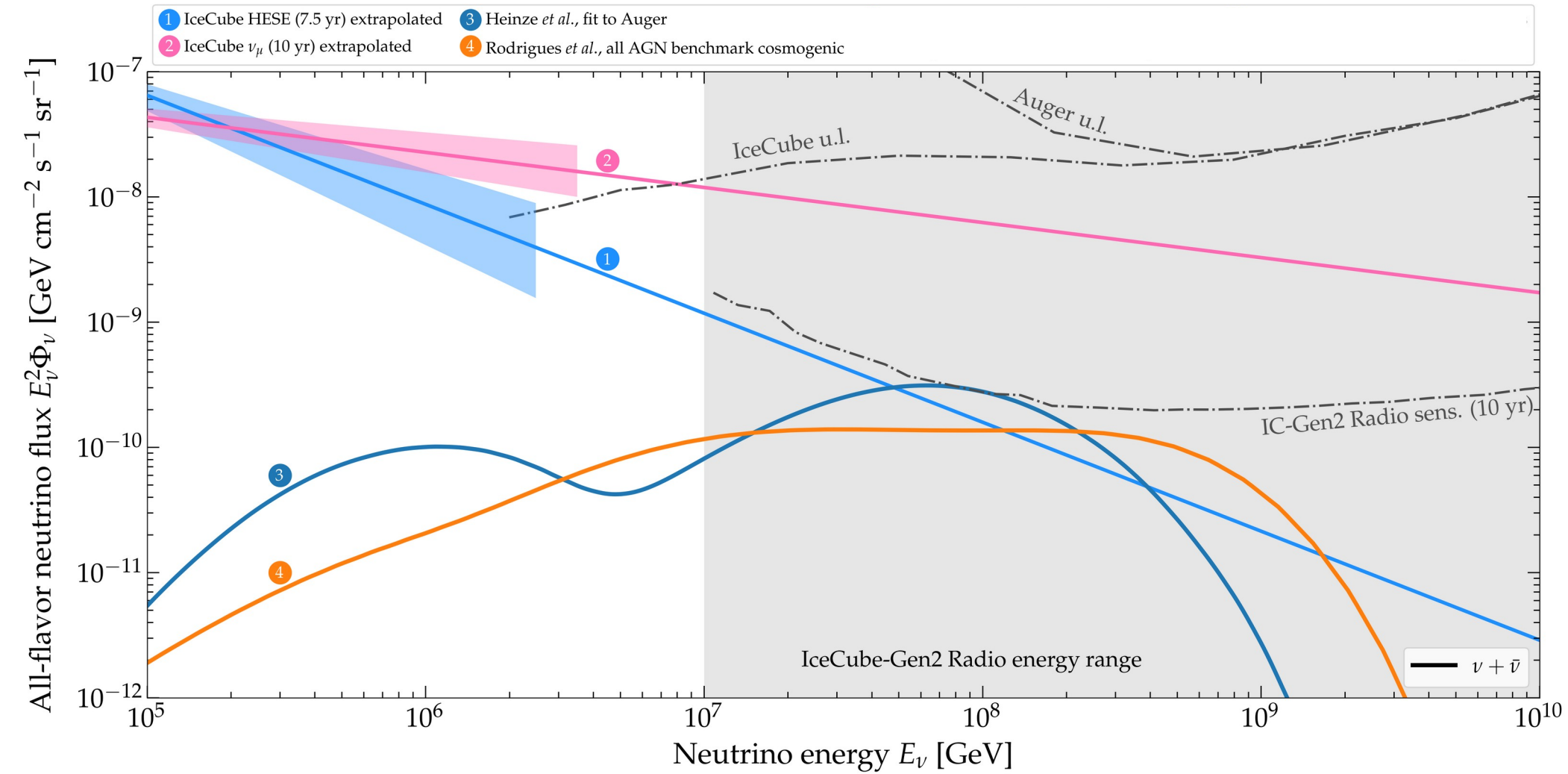


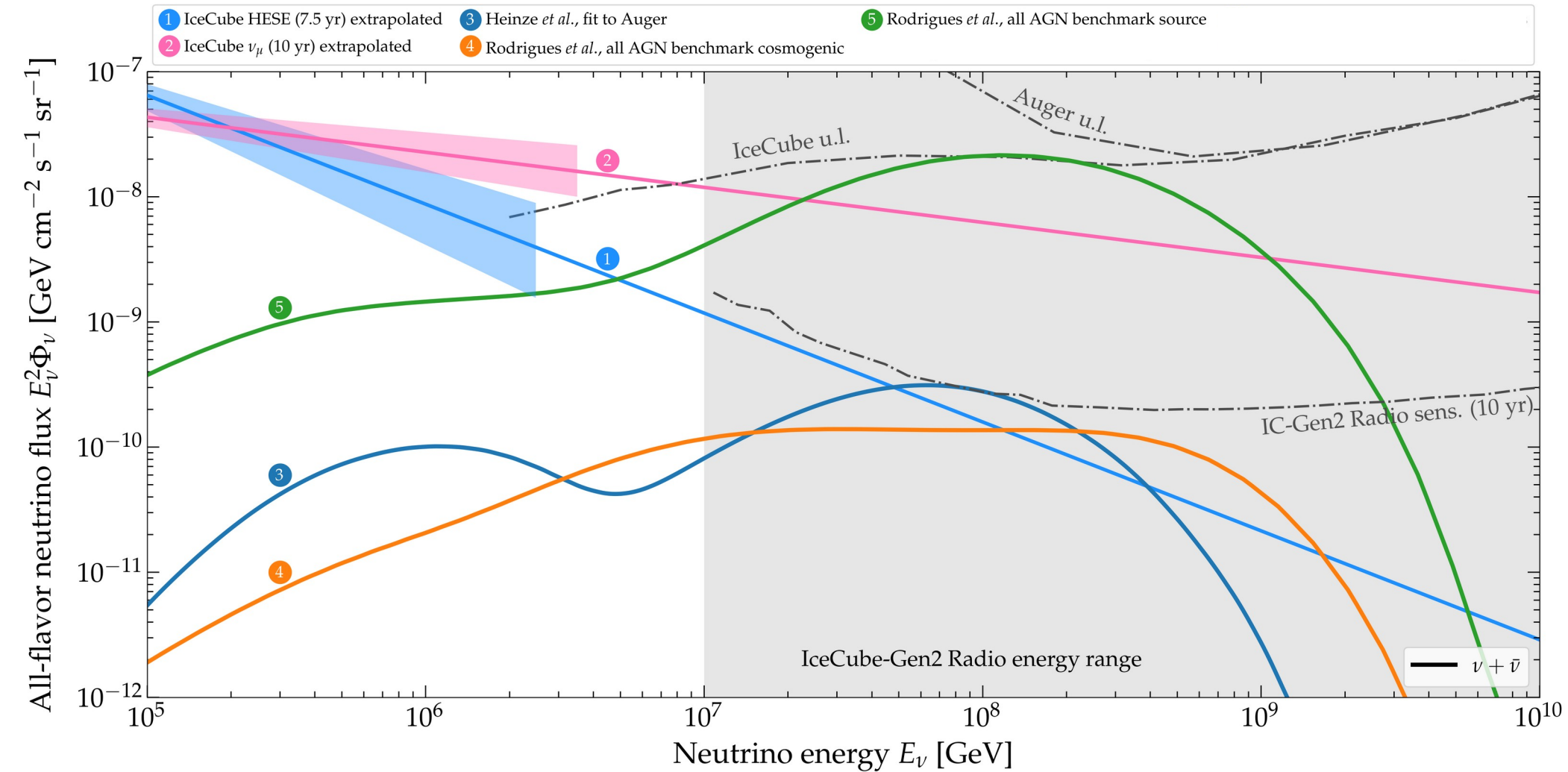


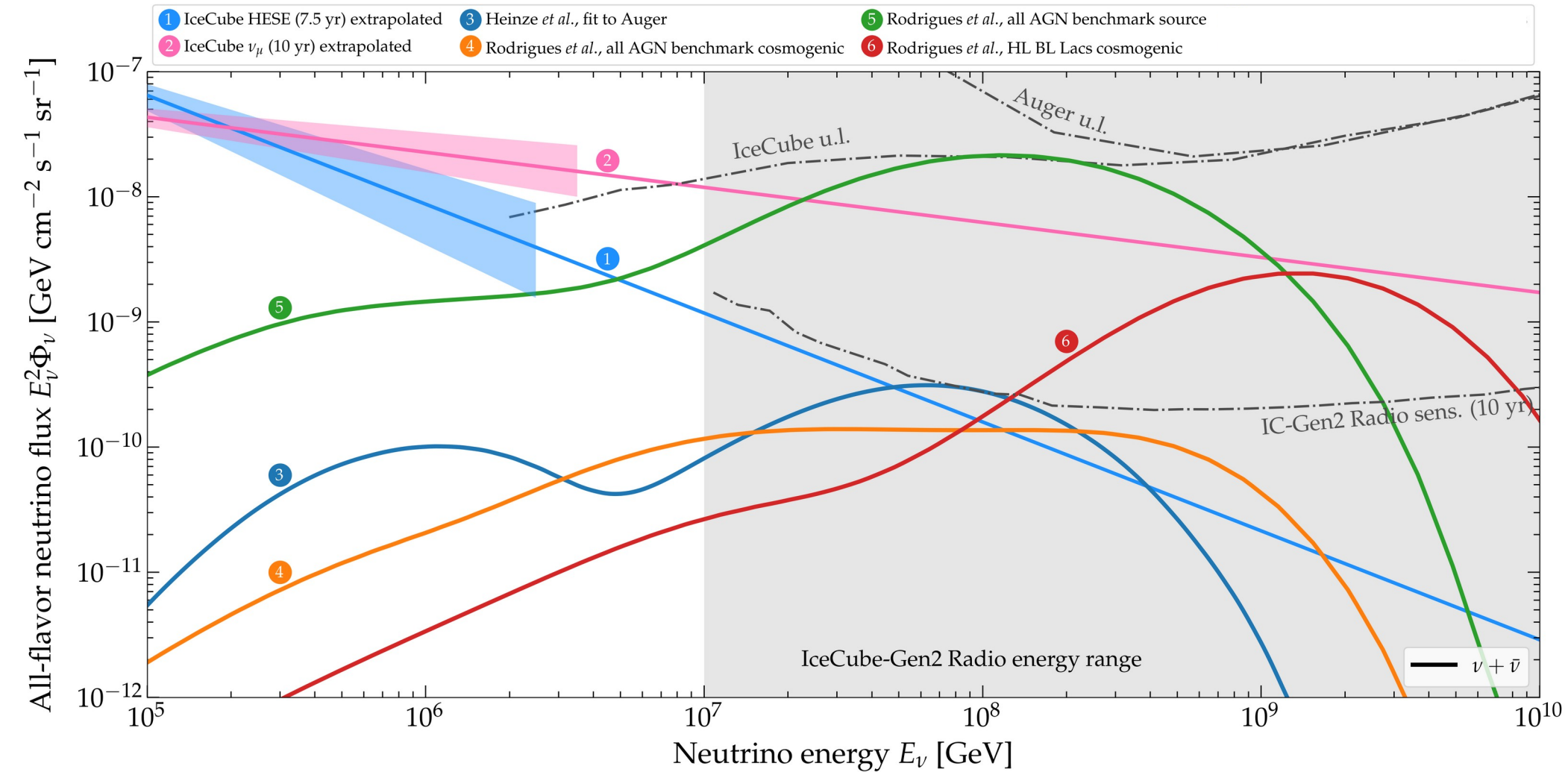


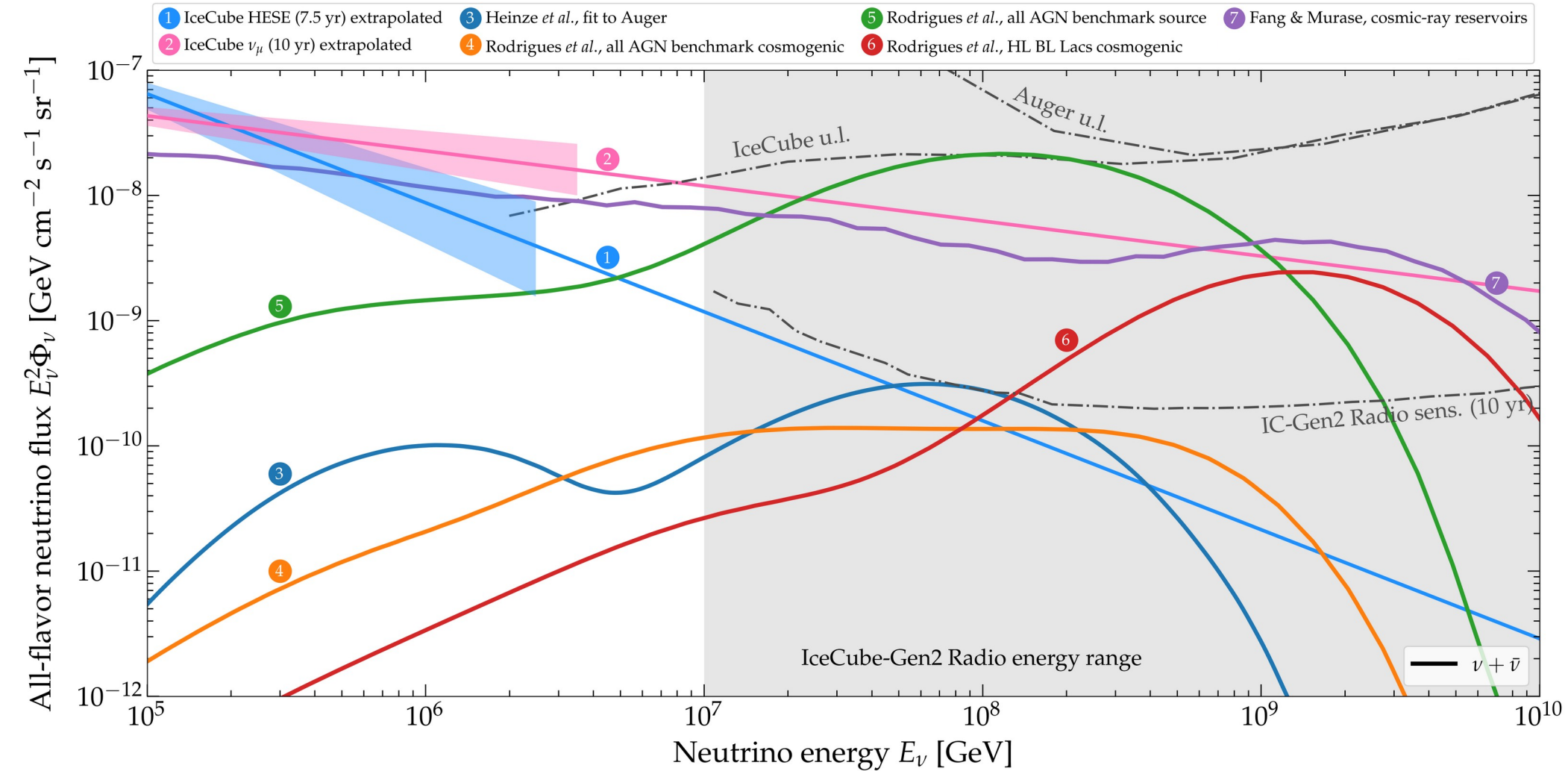


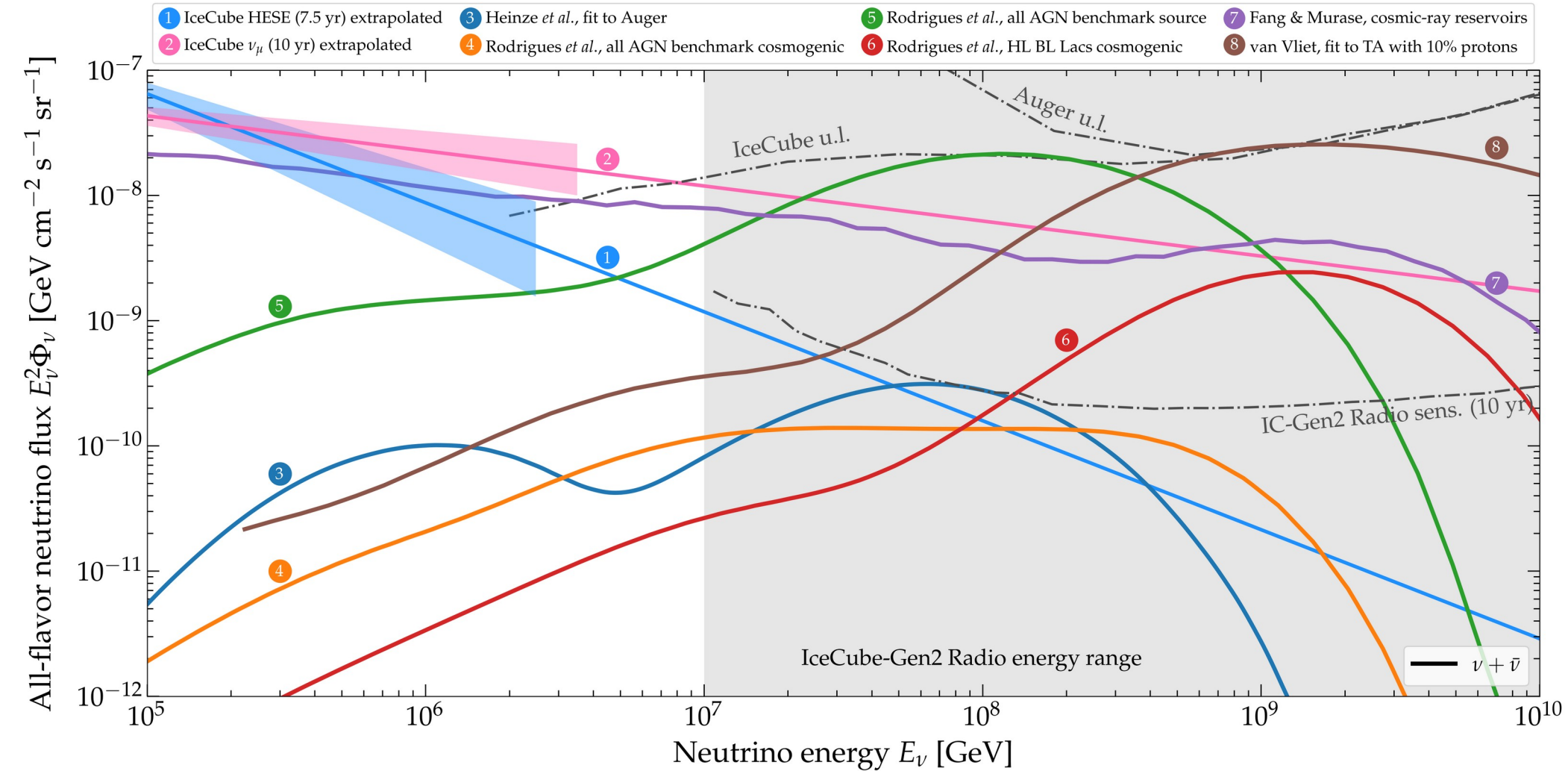


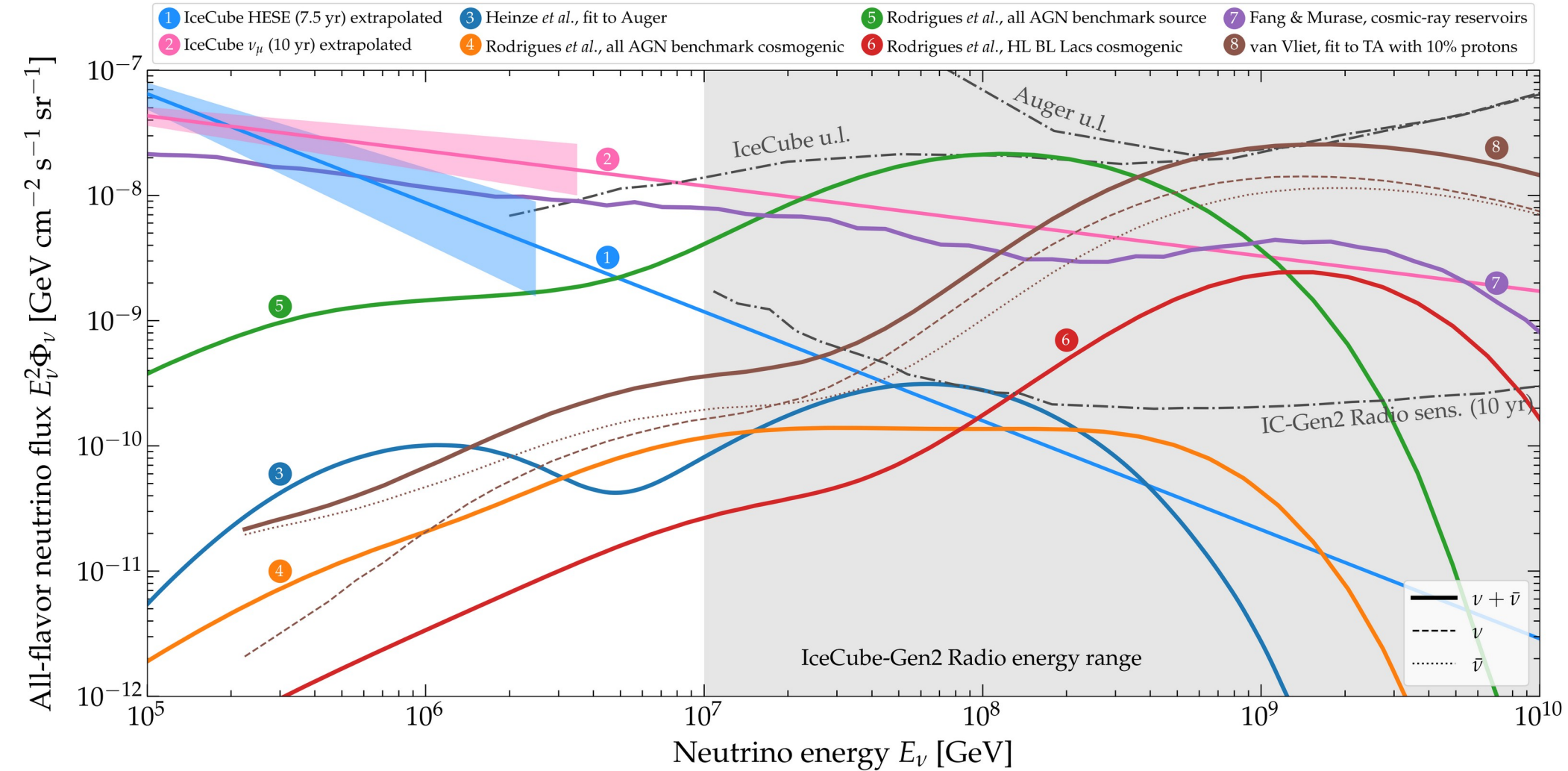


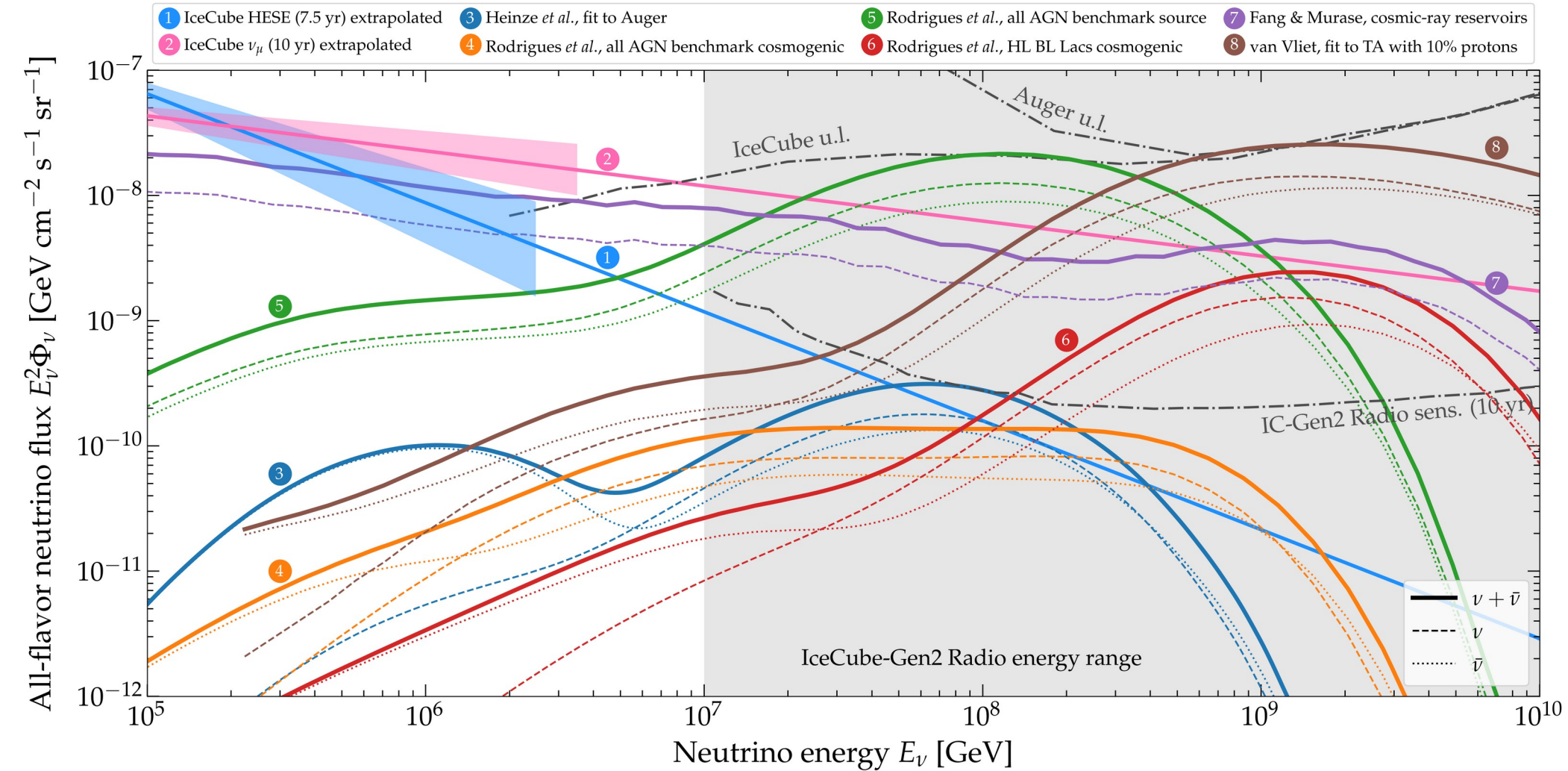




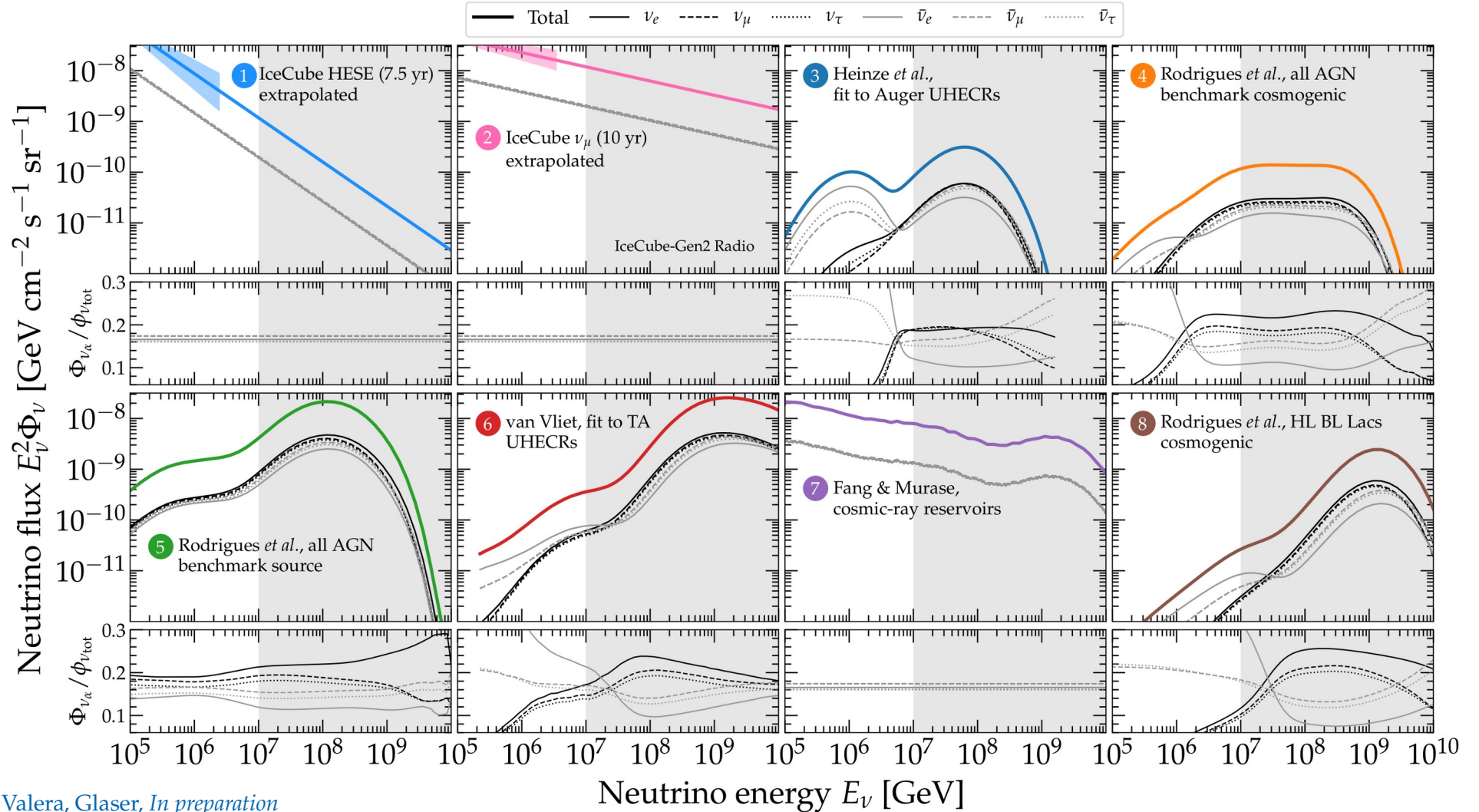


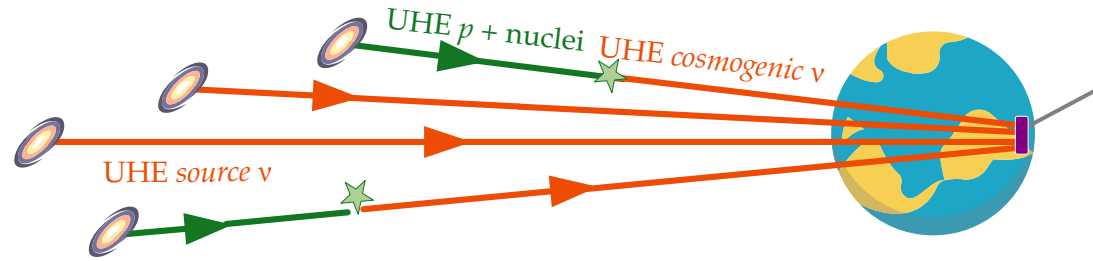


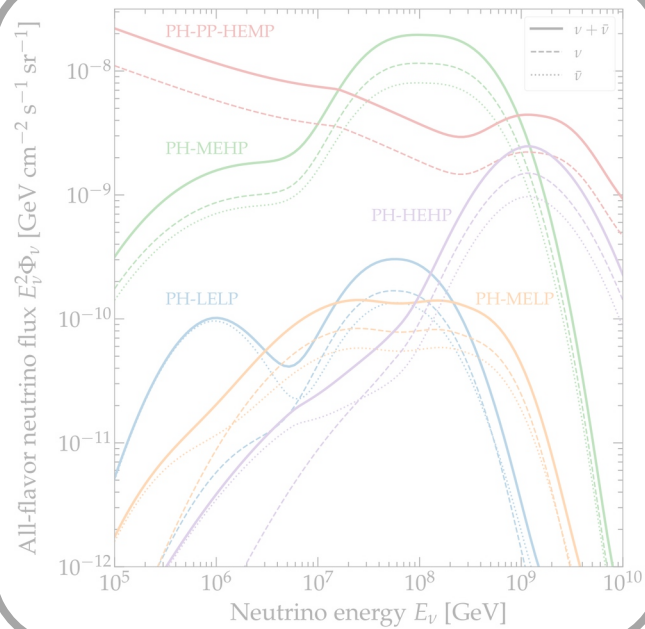
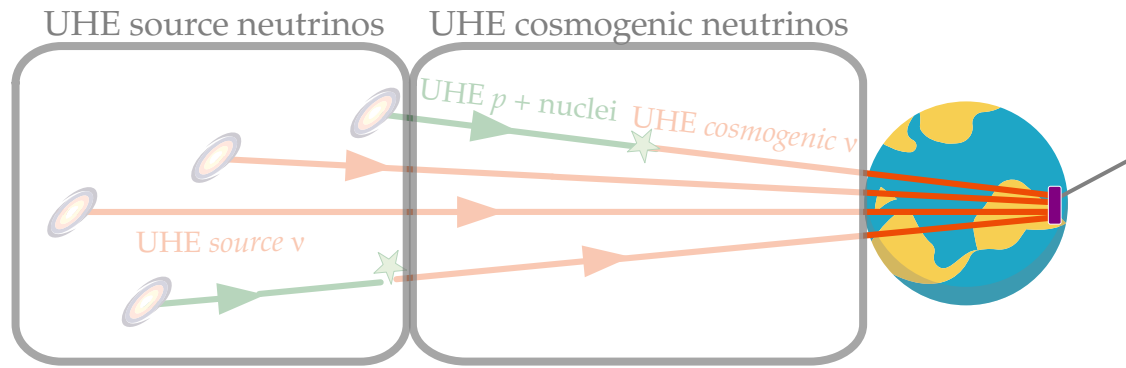




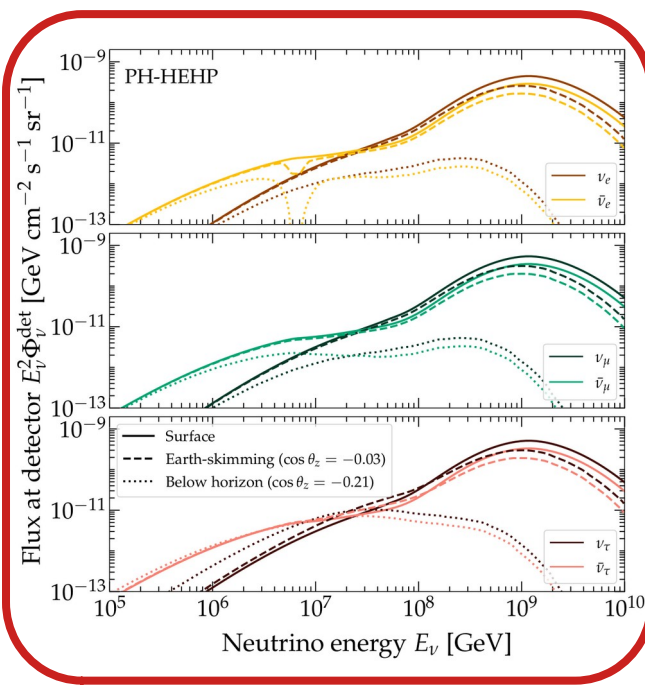
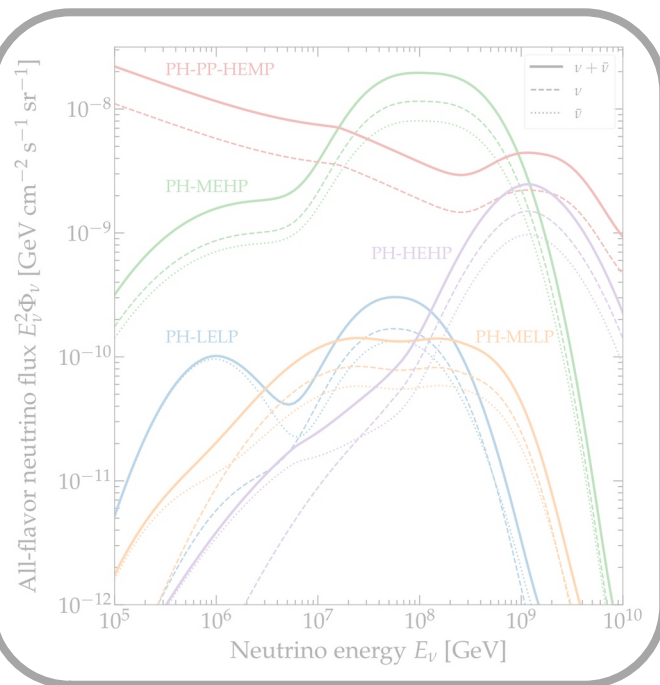
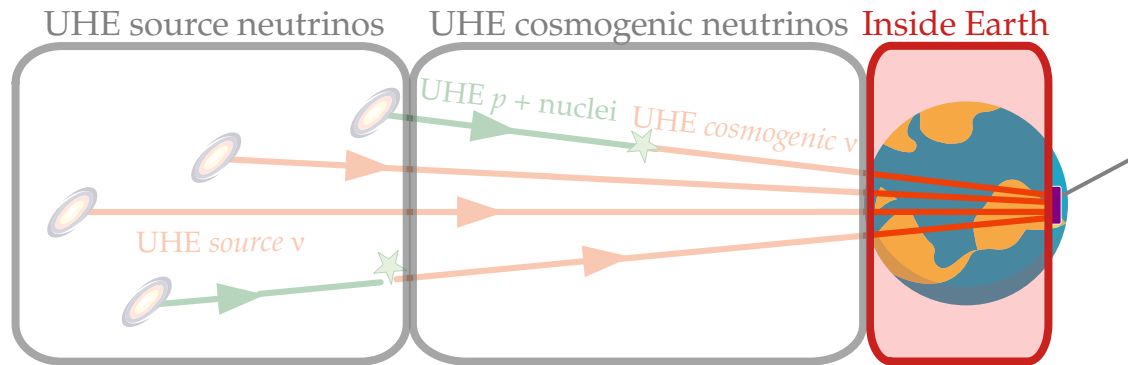
Flavor structure of the UHE ν fluxes





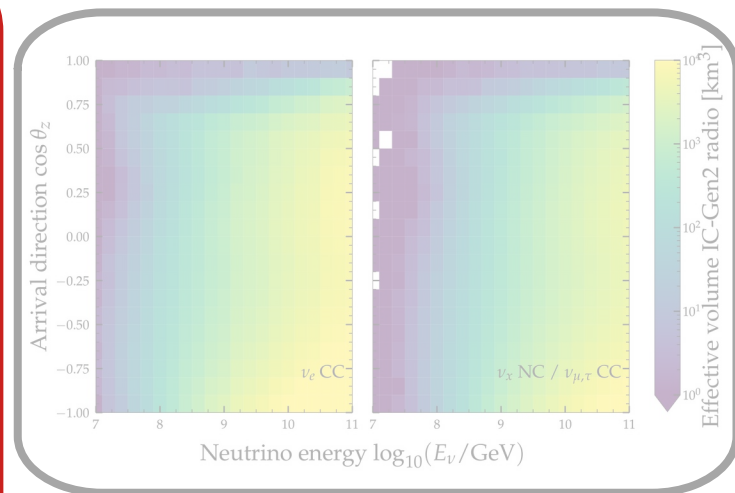
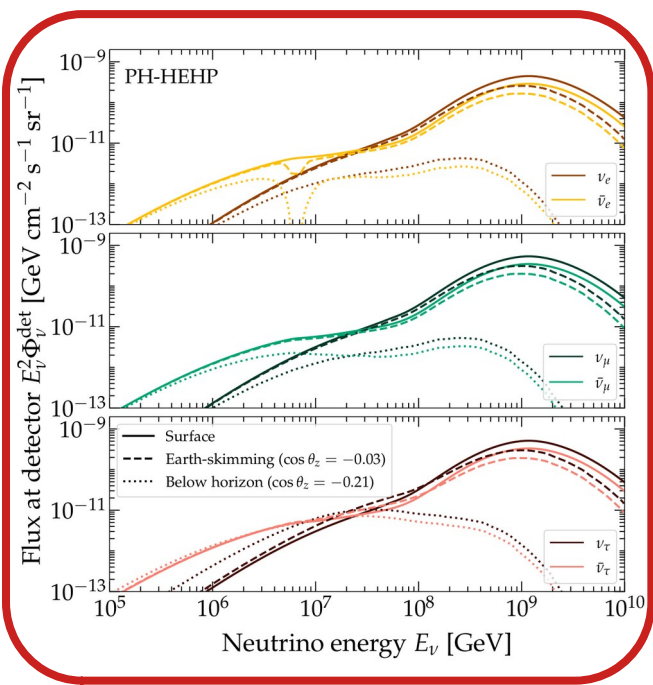
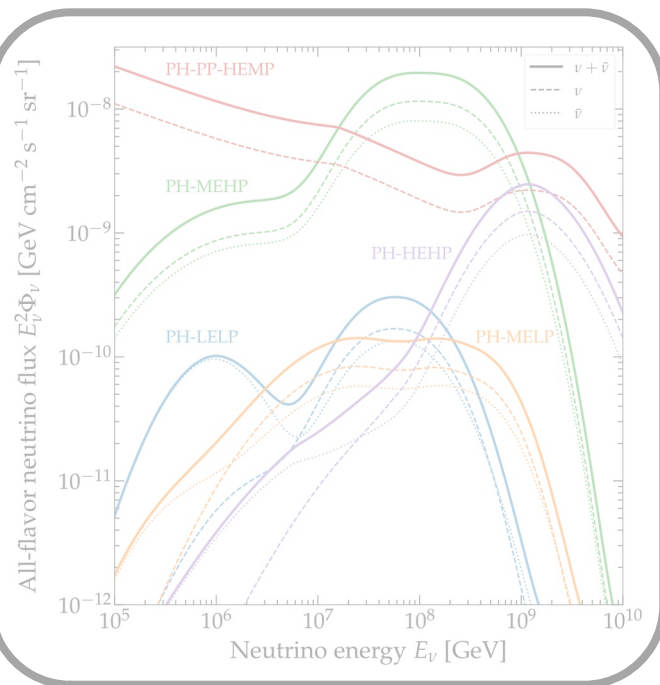
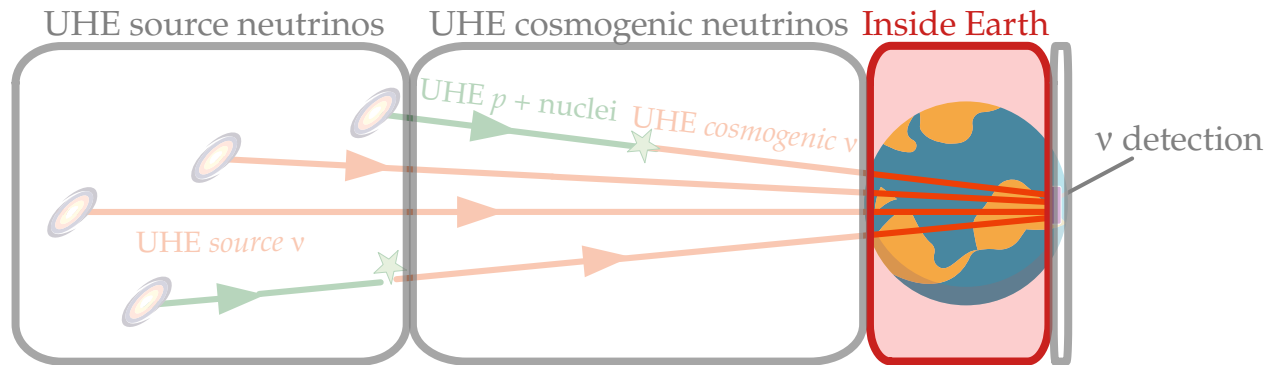


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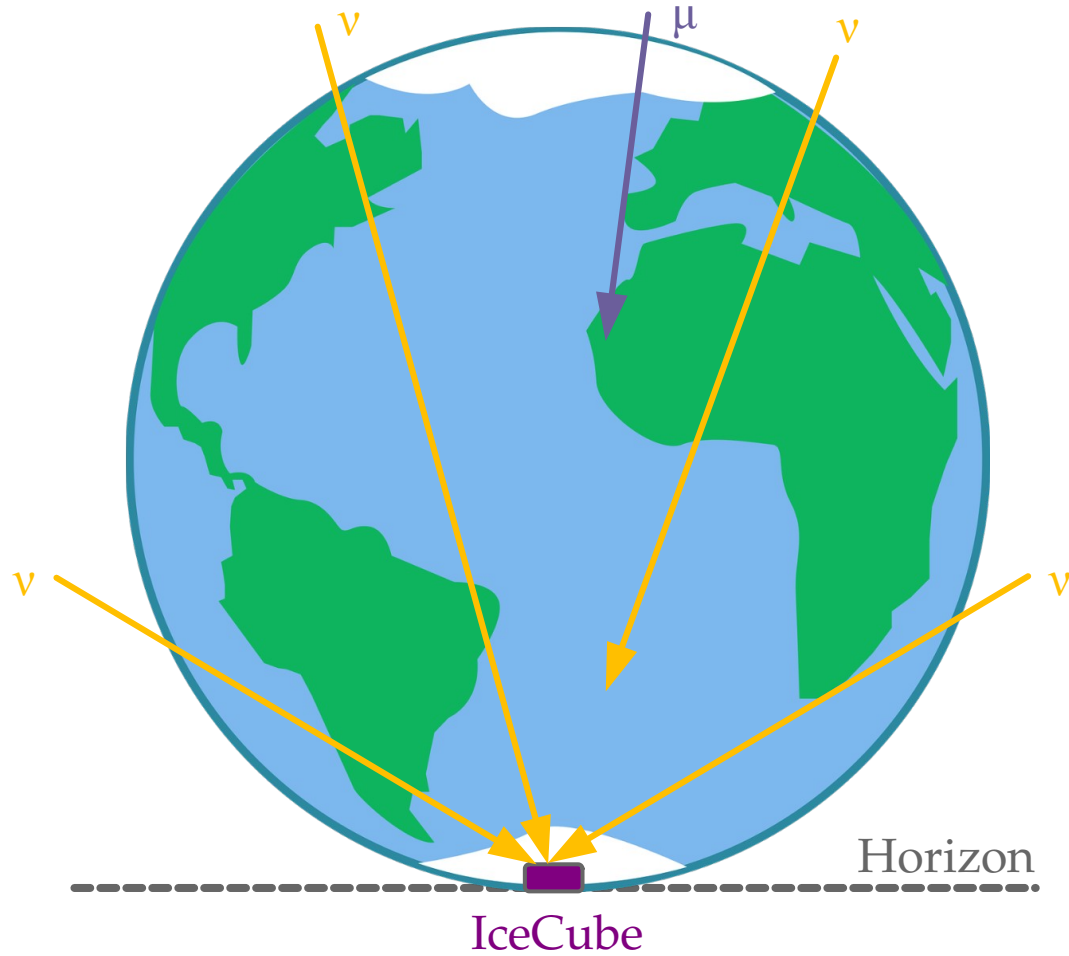


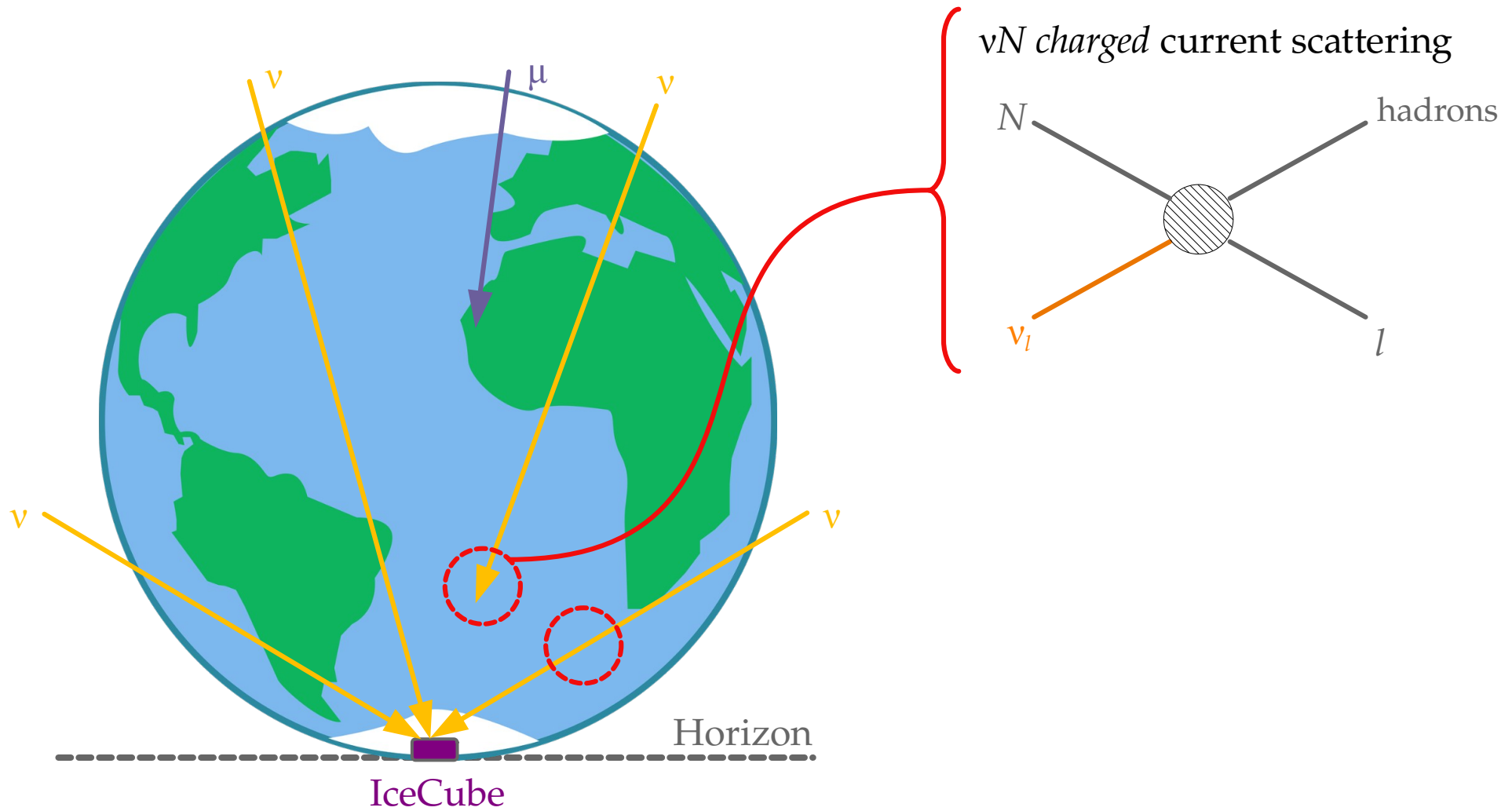
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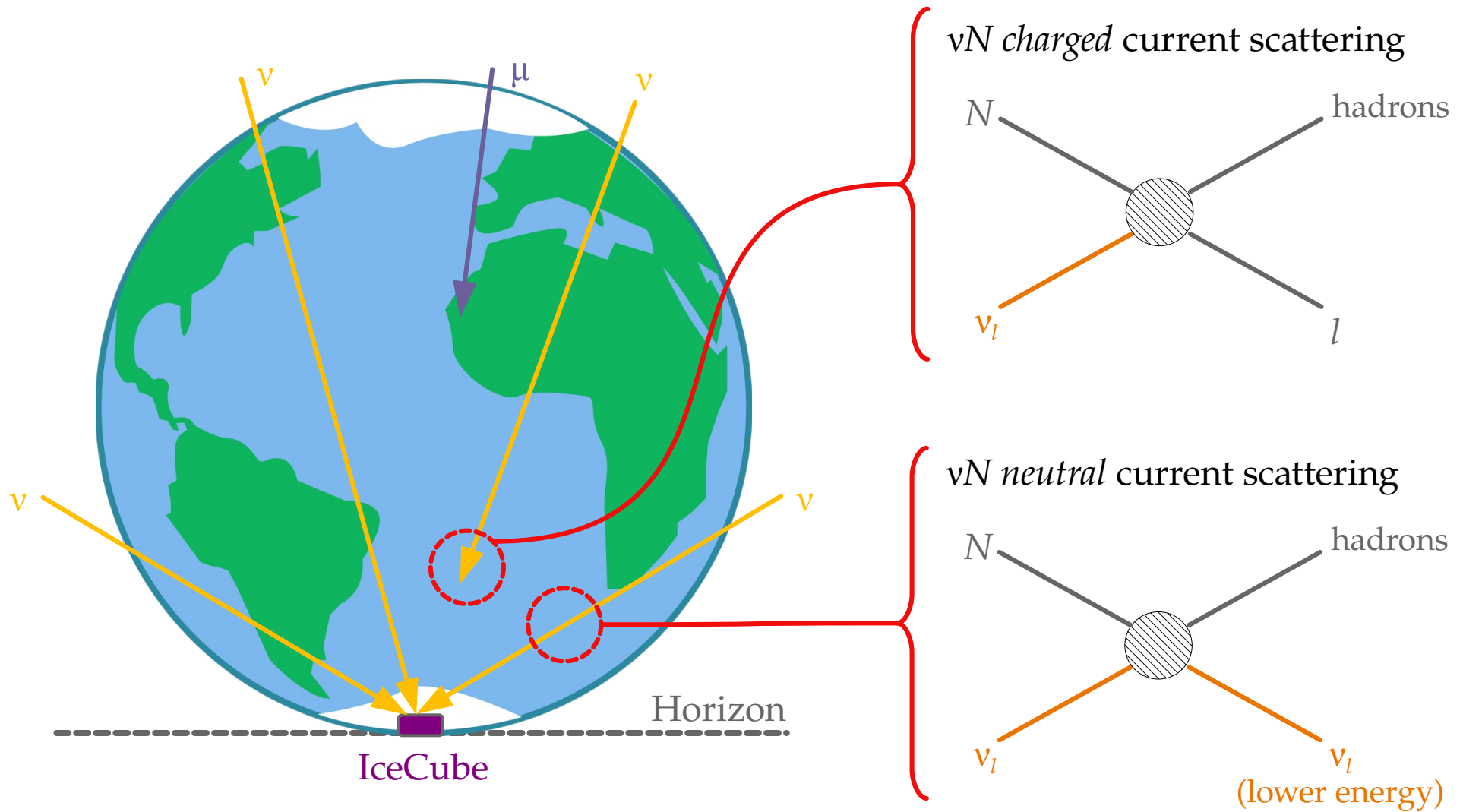
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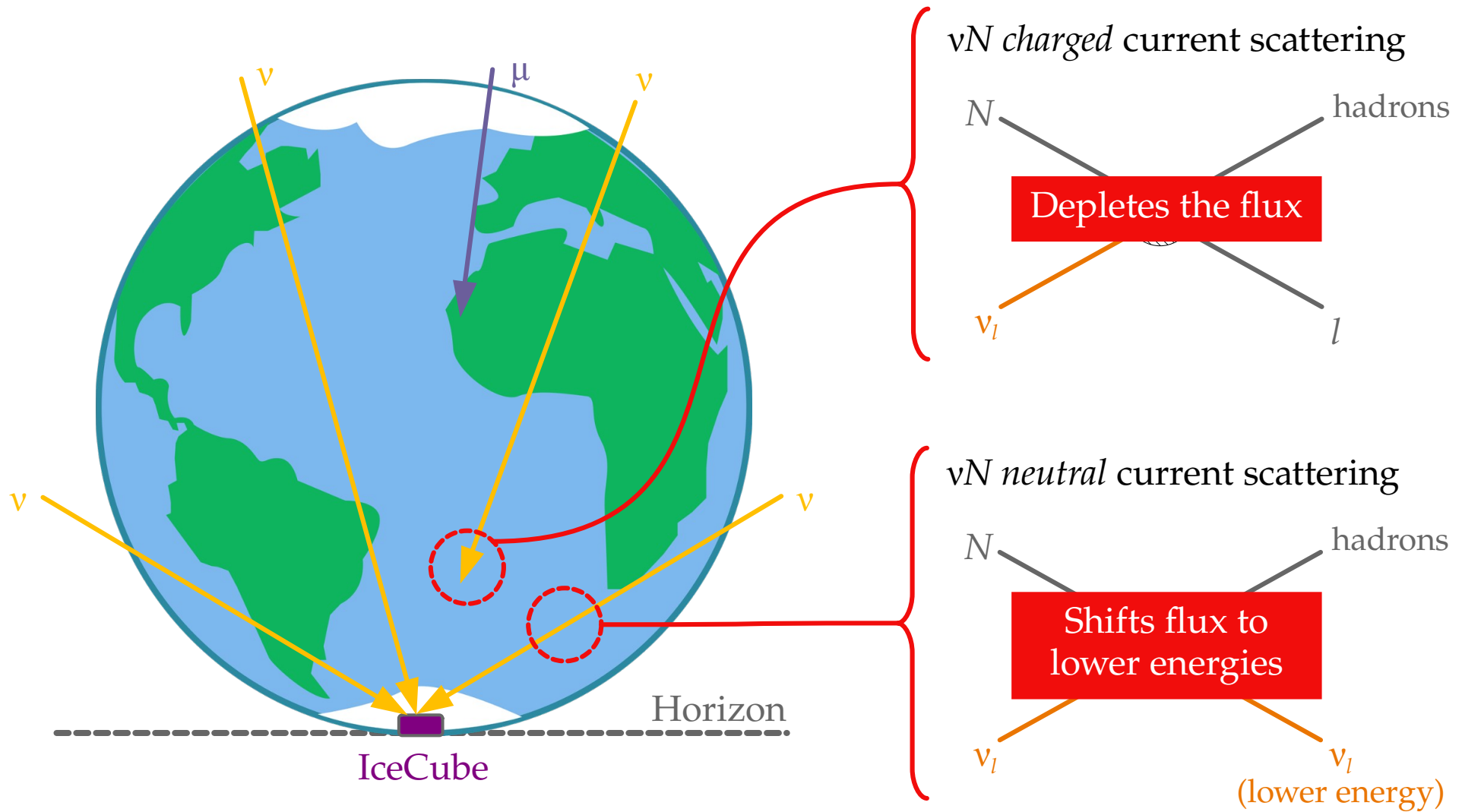
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Propagation inside the Earth

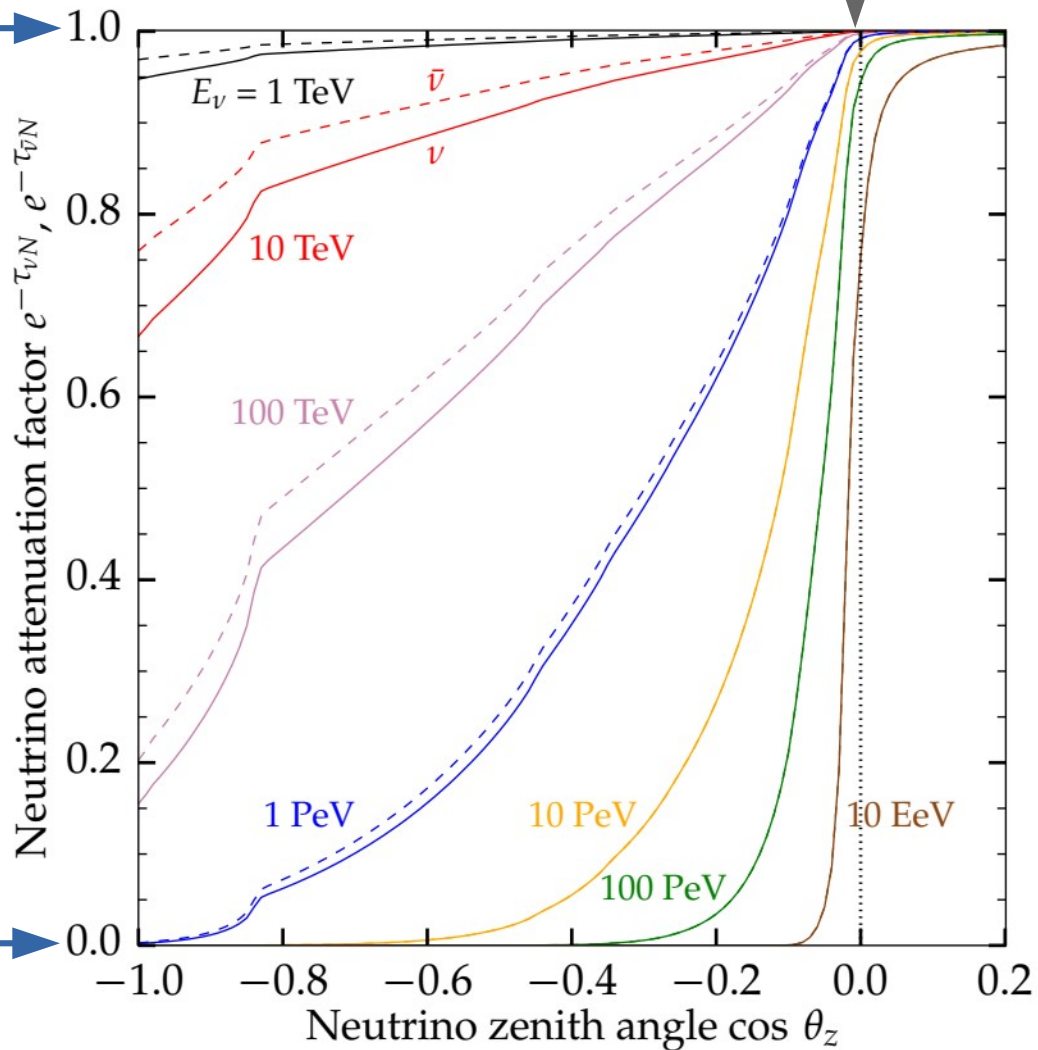




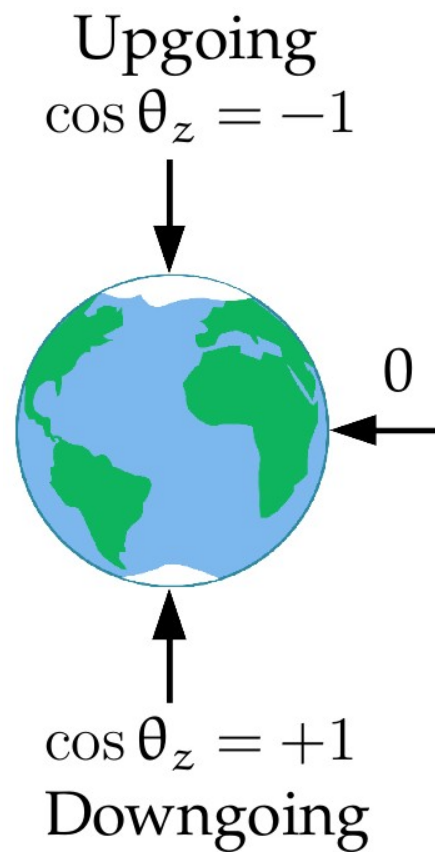


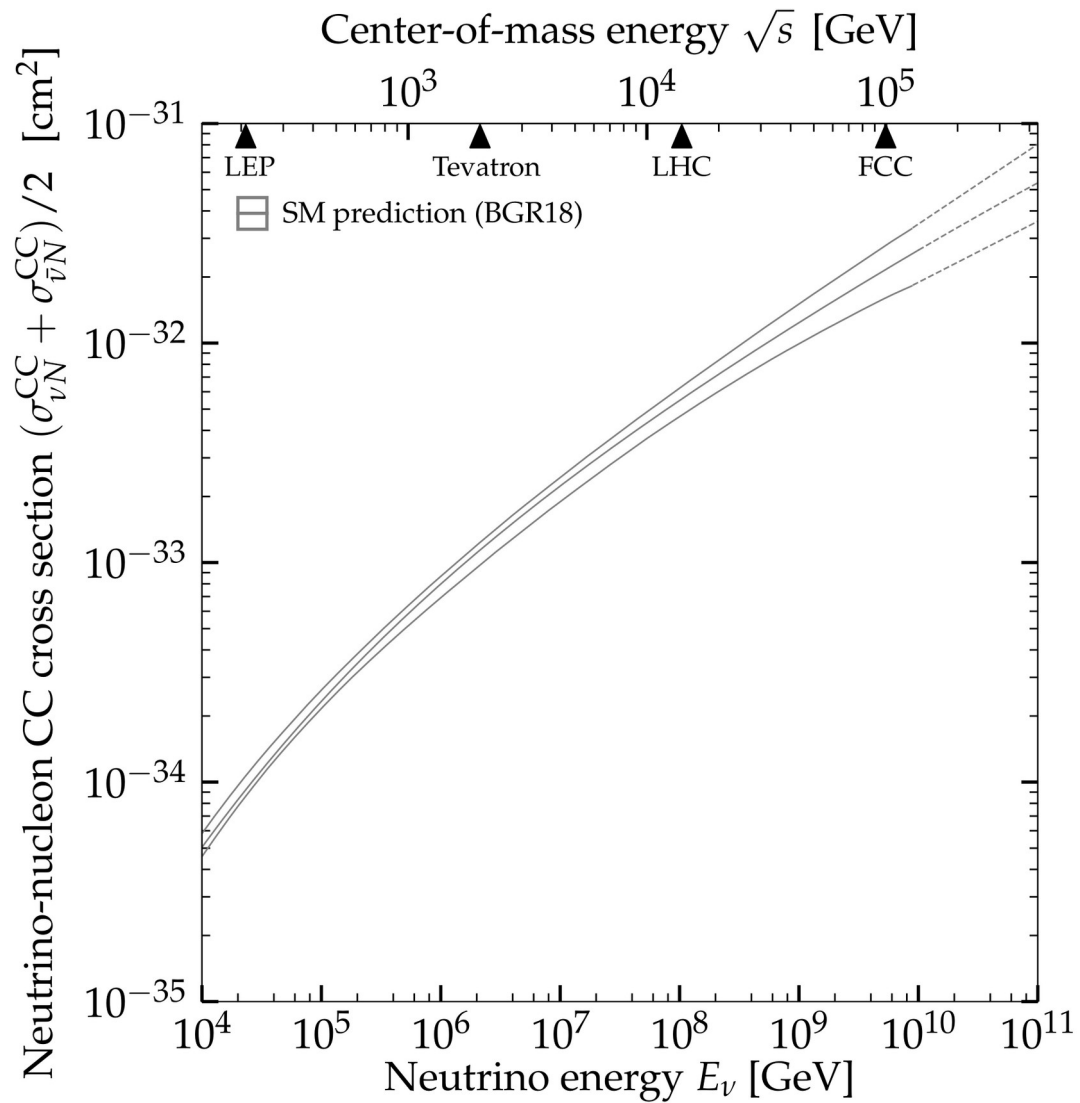


No
attenuation



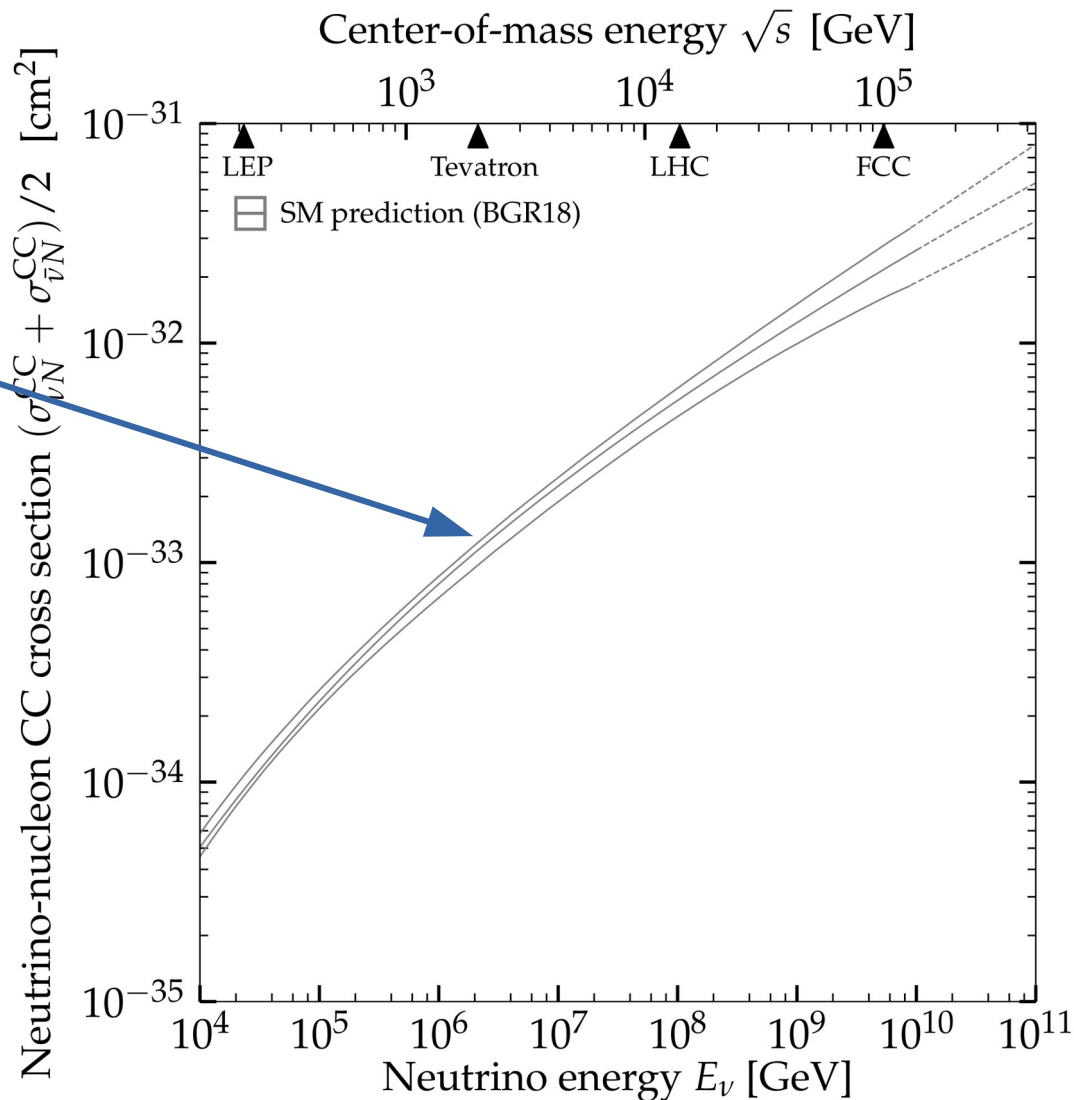
Full
attenuation





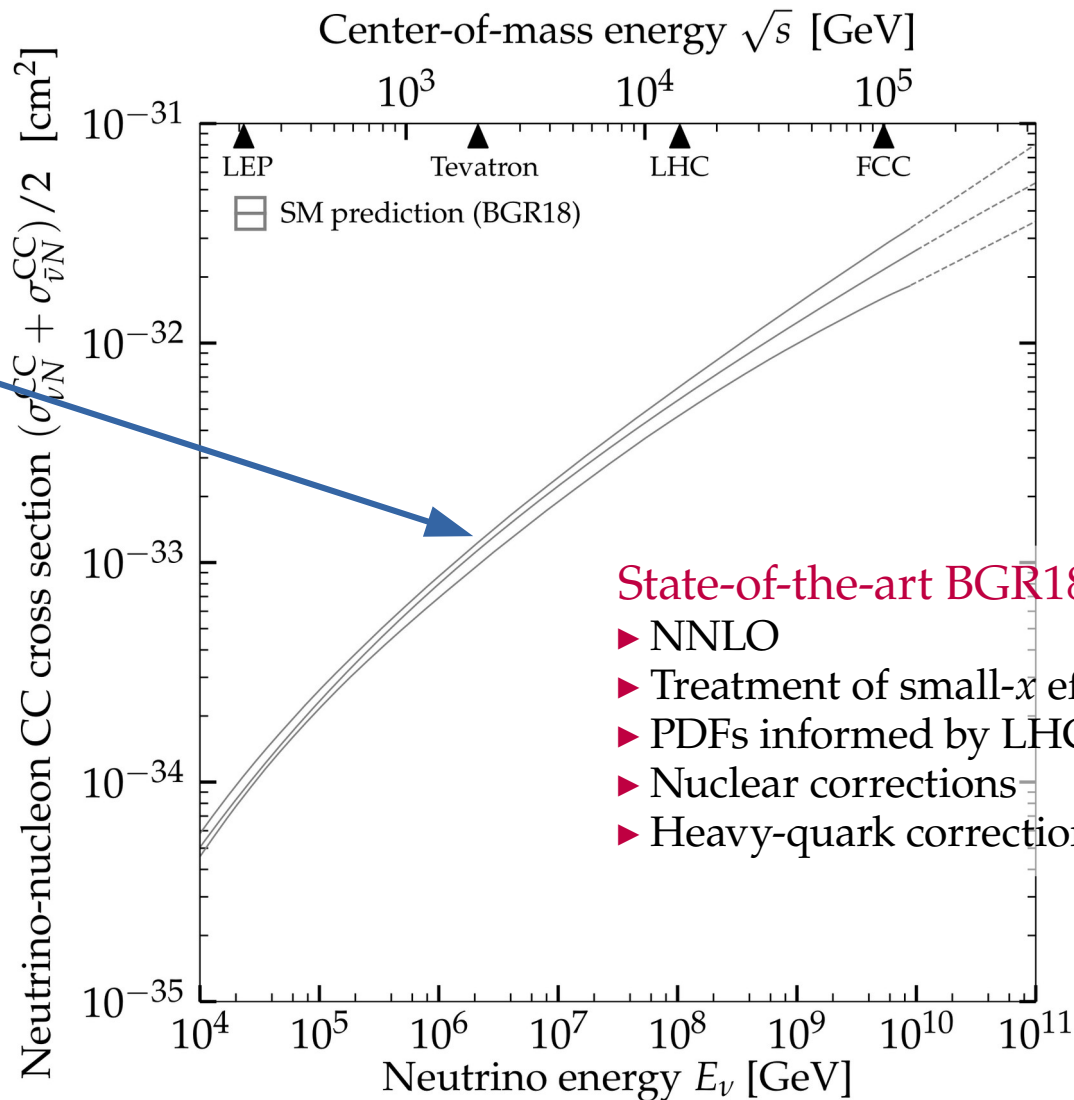
Softer-than-linear
dependence on E_ν
due to the W pole

Uncertainty from
extrapolating parton
distribution functions
(PDFs) to Bjorken
 $x \sim m_W/E_\nu \sim 10^{-6}$



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State-of-the-art BGR18 prediction:

- ▶ NNLO
- ▶ Treatment of small- x effects
- ▶ PDFs informed by LHCb D -meson data
- ▶ Nuclear corrections
- ▶ Heavy-quark corrections

Use NuPropEarth for in-Earth propagation

[github.com/pochoarus/NuPropEarth]

Interactions:

- ▶ BGR18 νN deep inelastic scattering (DIS) on partons (**dominant**)
- ▶ DIS on photon field of nucleons
- ▶ Coherent νA scattering
- ▶ Elastic & diffractive νN scattering
- ▶ ν scattering on atomic electrons

Sub-dominant:
increase attenuation
by $\sim 10\%$

Includes ν_τ regeneration:

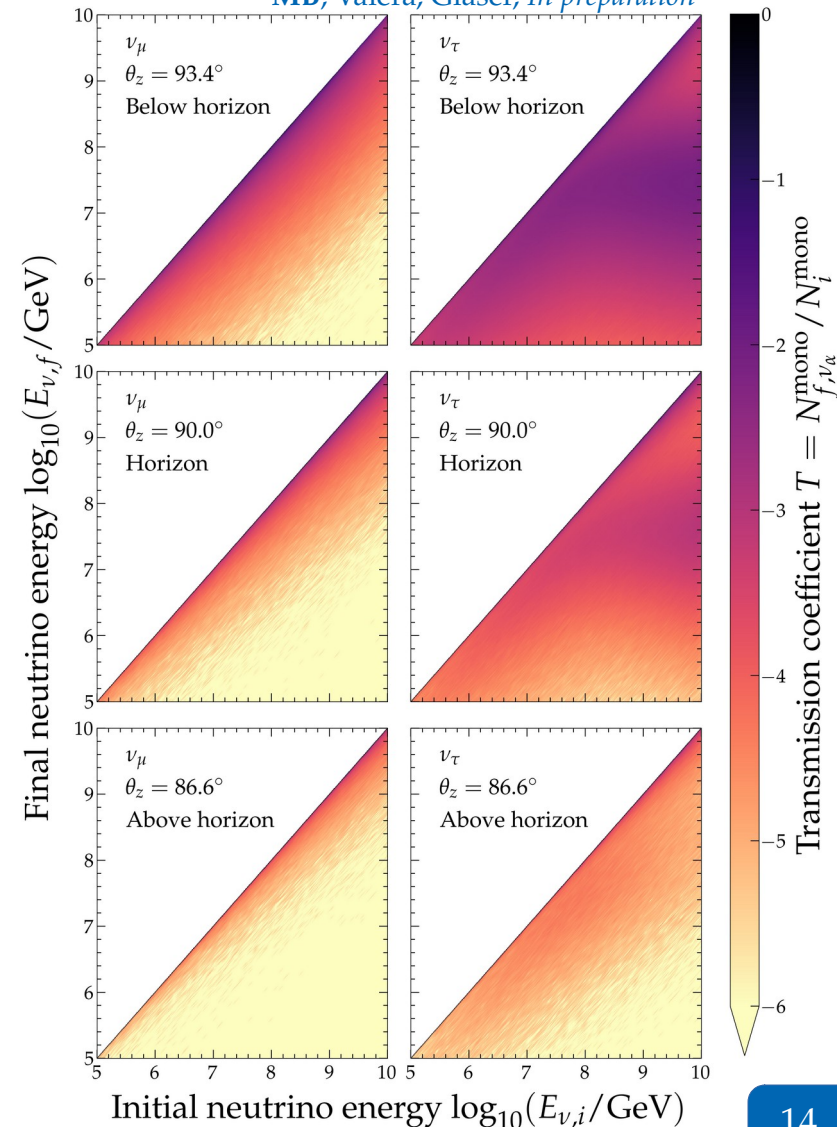
- ▶ TAUSIC: Energy losses of intermediate τ
- ▶ TAUOLA: Distribution of τ decay products

Matter inside Earth:

- ▶ Density: Preliminary Reference Earth Model
- ▶ Top layer of ice
- ▶ Varying element composition (non-isoscalar)

We propagate $\nu_e, \bar{\nu}_e, \nu_\mu, \bar{\nu}_\mu, \nu_\tau, \bar{\nu}_\tau$ separately

MB, Valera, Glaser, *In preparation*



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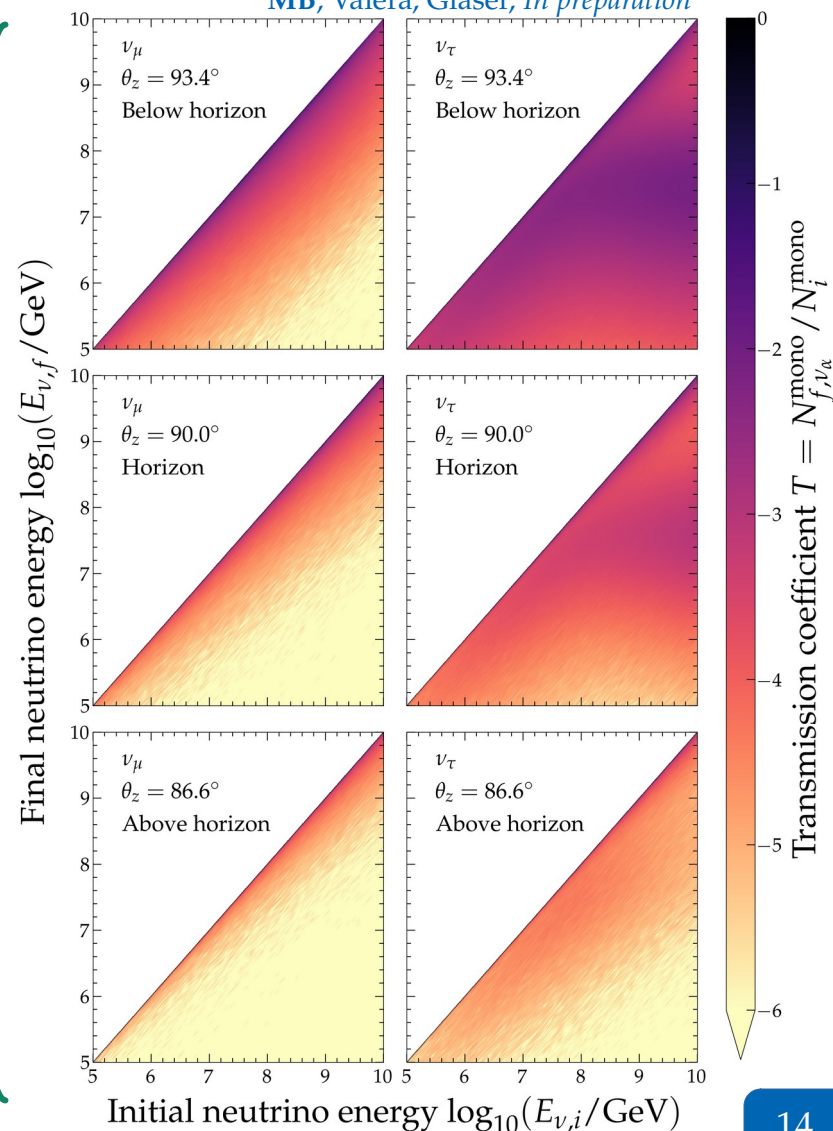
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Save look-up
tables of
propagated
 ν spectra

MB, Valera, Glaser, *In preparation*



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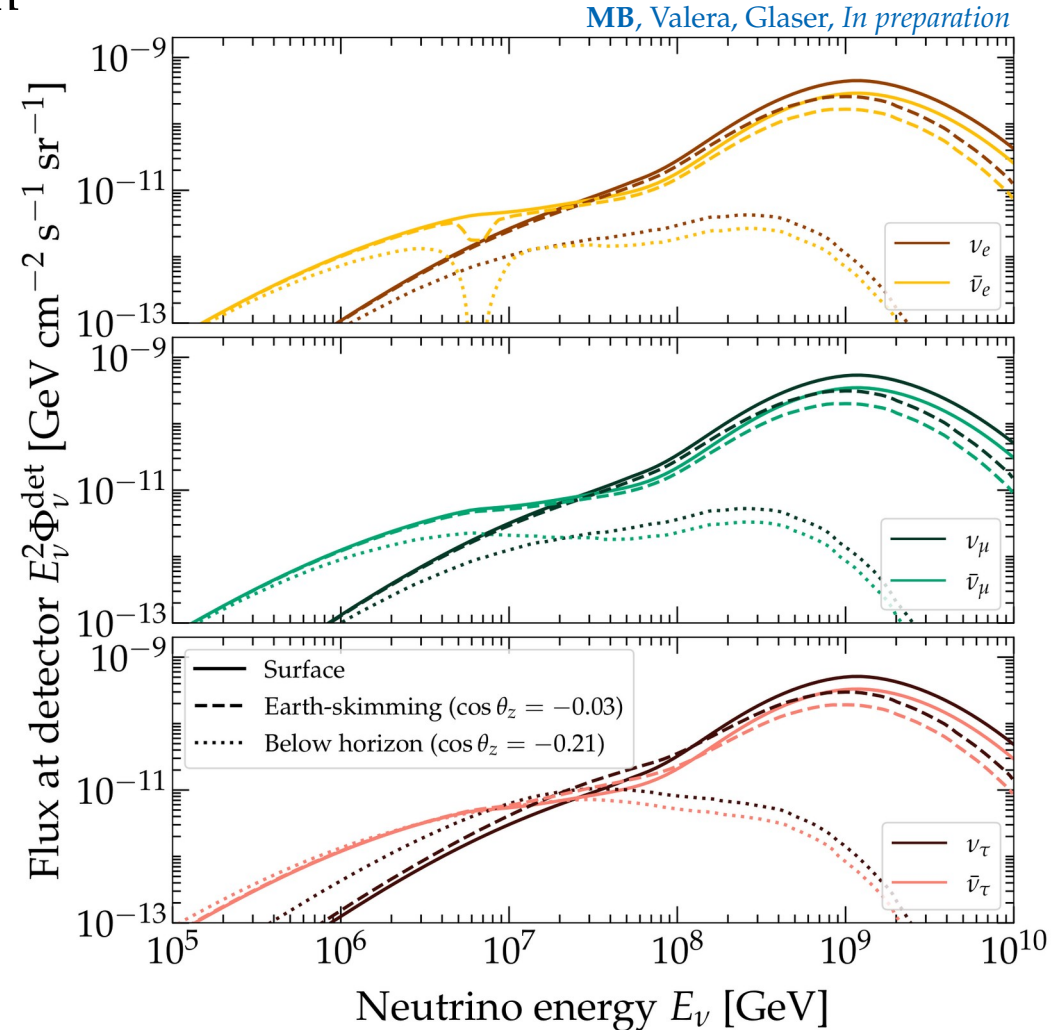
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Detector geometry

Underground cylinder

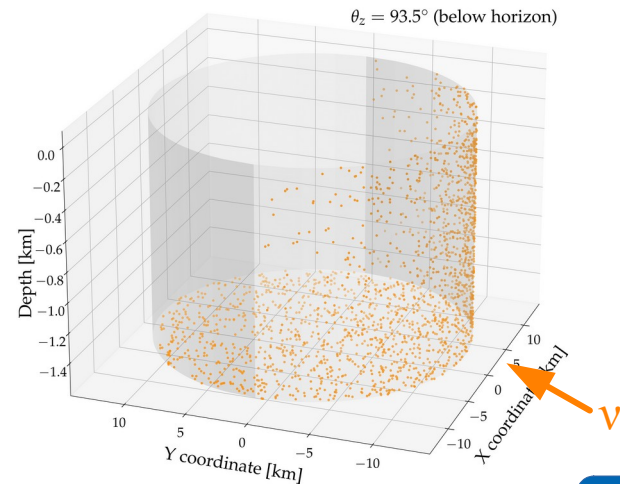
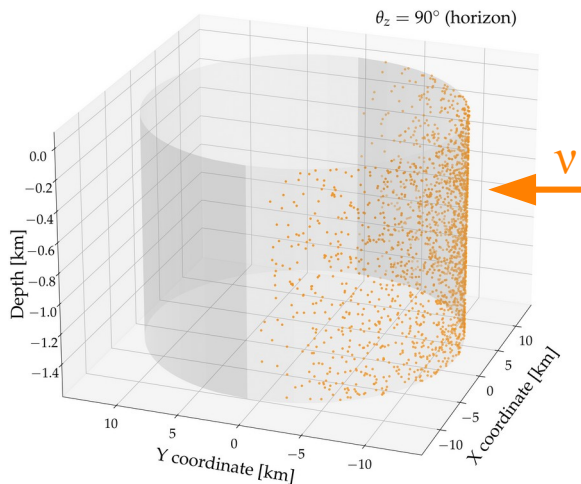
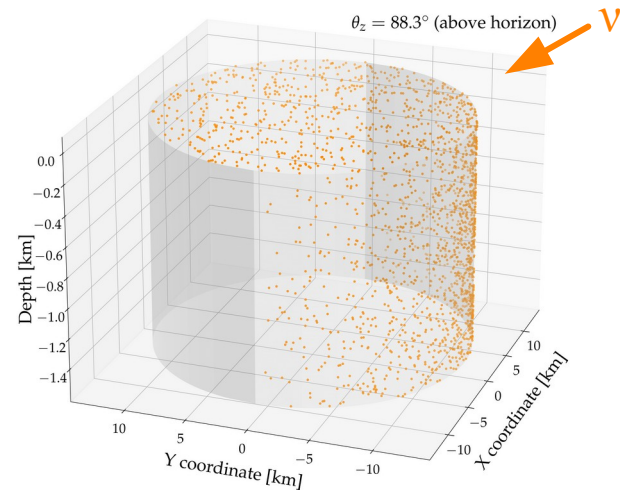
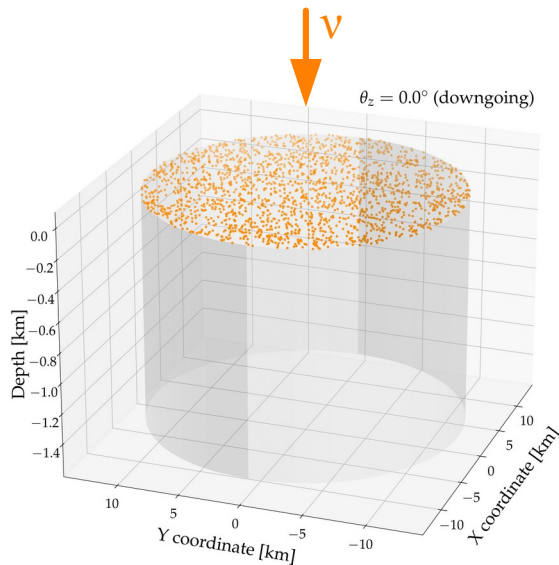
Area of lid: 500 km^2

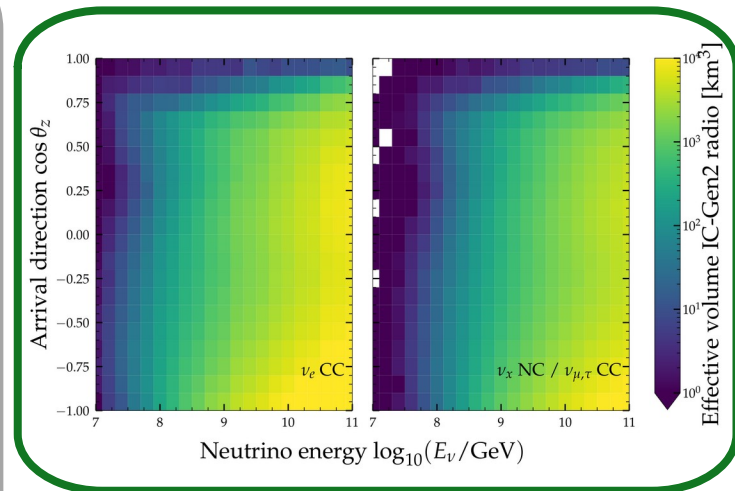
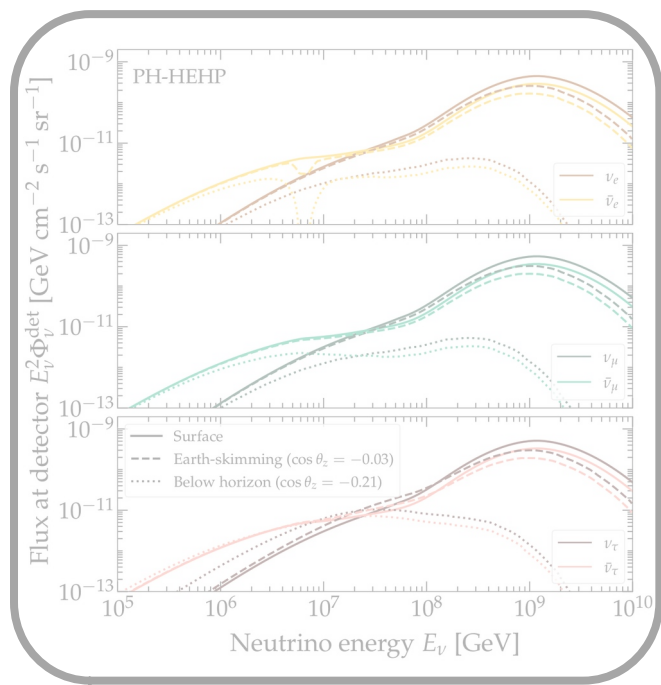
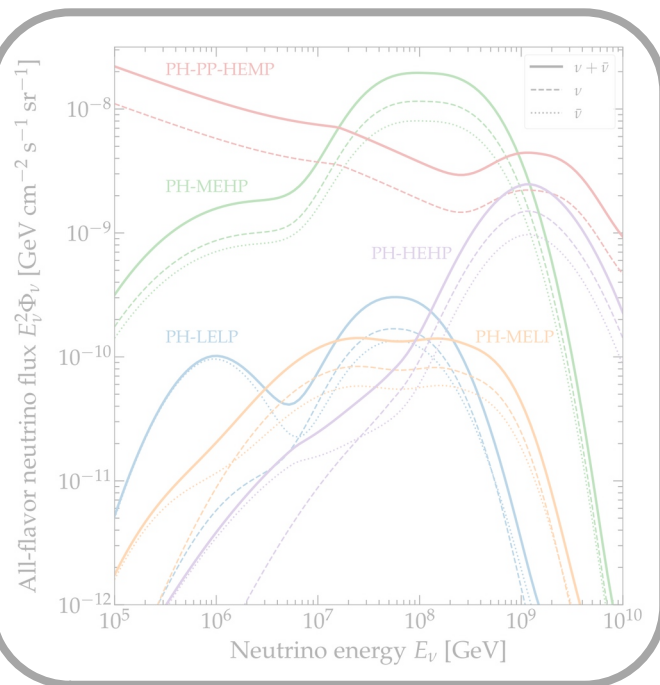
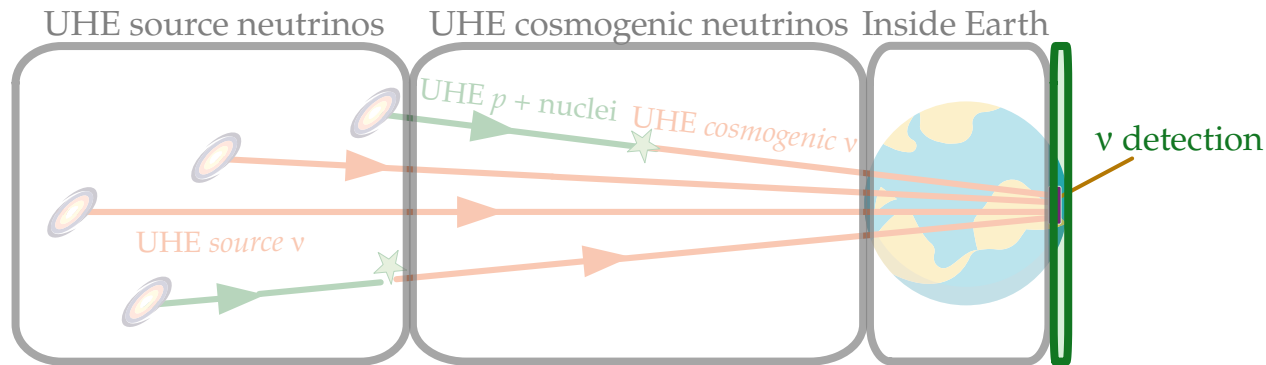
Height: 1.5 km

Detector geometry now
available in NuPropEarth

[\[github.com/pochoarus/NuPropEarth\]](https://github.com/pochoarus/NuPropEarth)

Work led by Víctor Valera





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Detector effective volume

IC-Gen2 has stations containing:

- ▶ Shallow antennas
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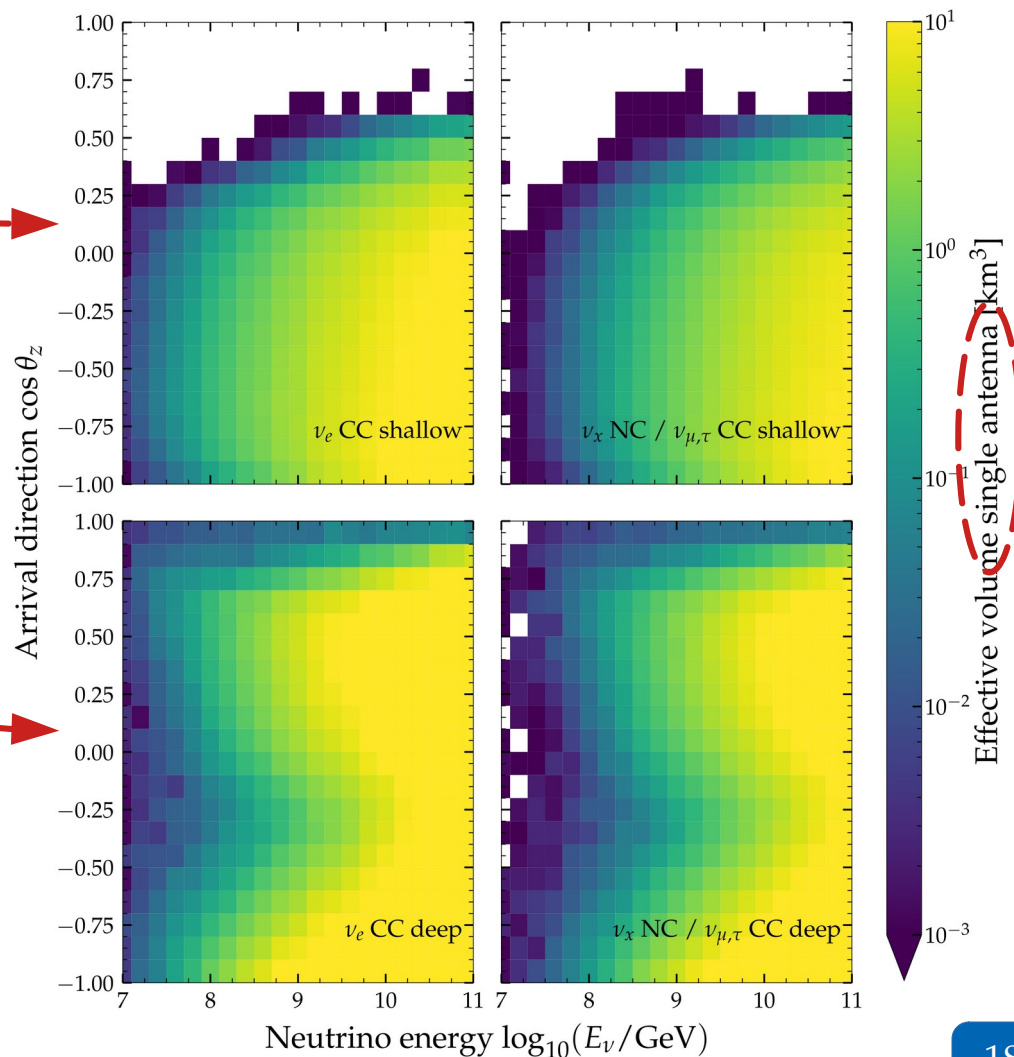
We simulate the effective volume of
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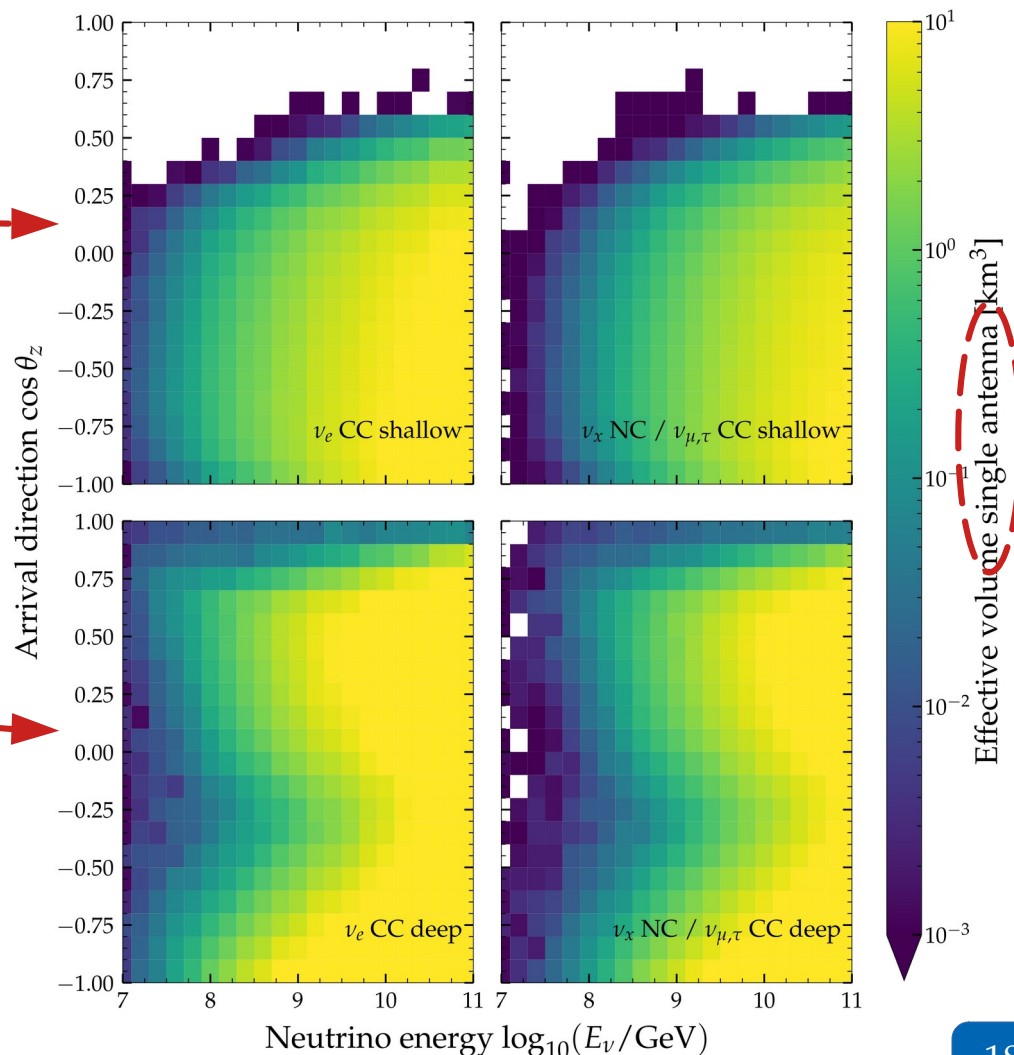
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We simulate the effective volume of
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Note: For now, we turned off the
contribution of secondary leptons

For ν_e CC: Use the CC V_{eff}

For ν_μ CC, ν_τ CC, ν_l NC: Use the CC V_{eff}



Detector effective volume

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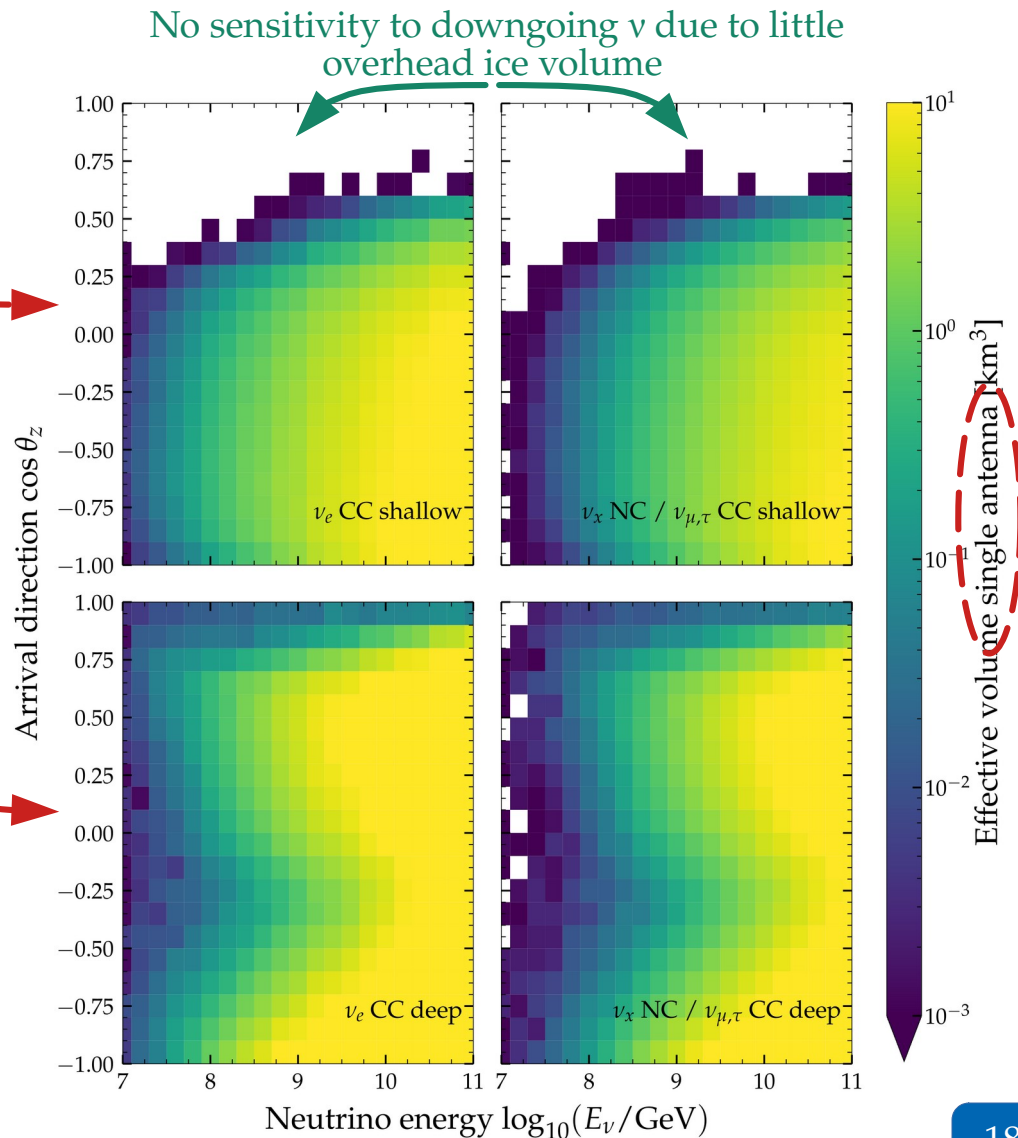
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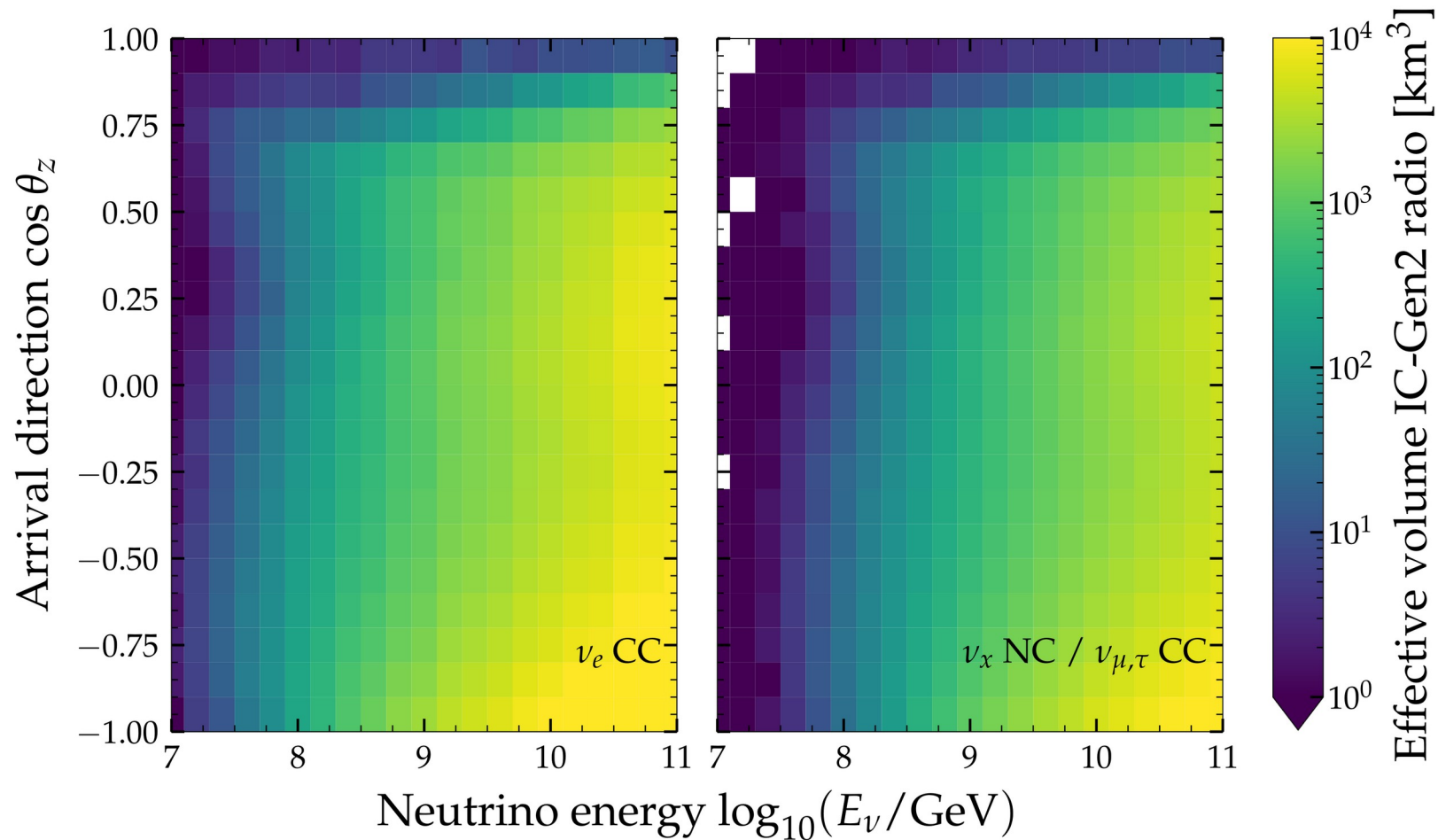
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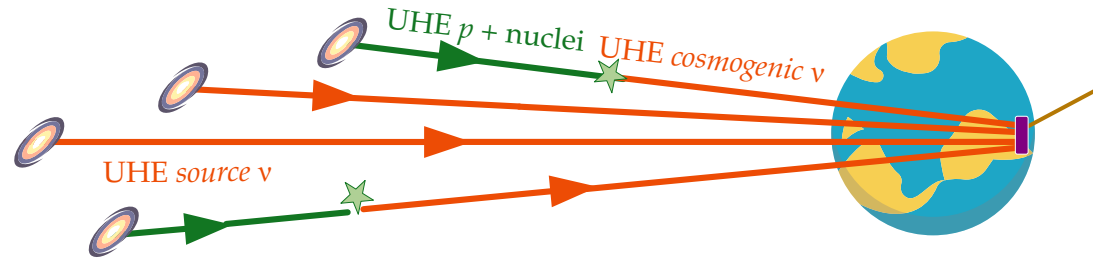
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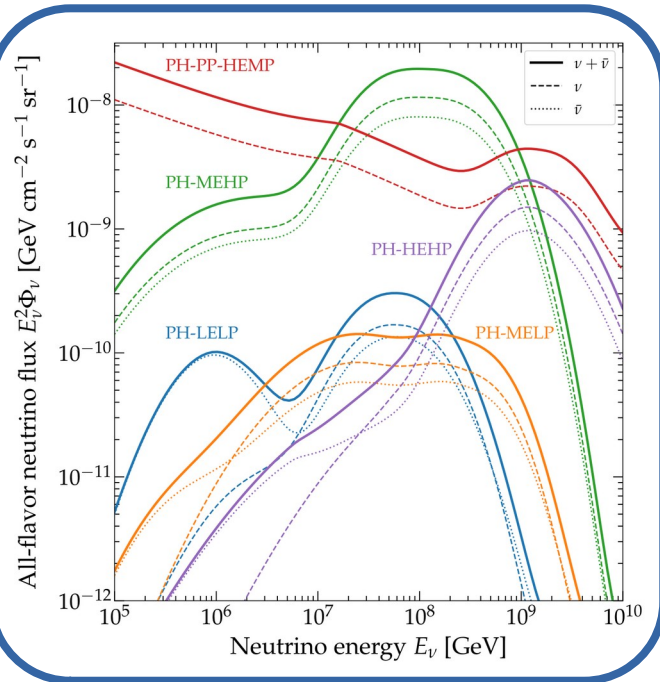
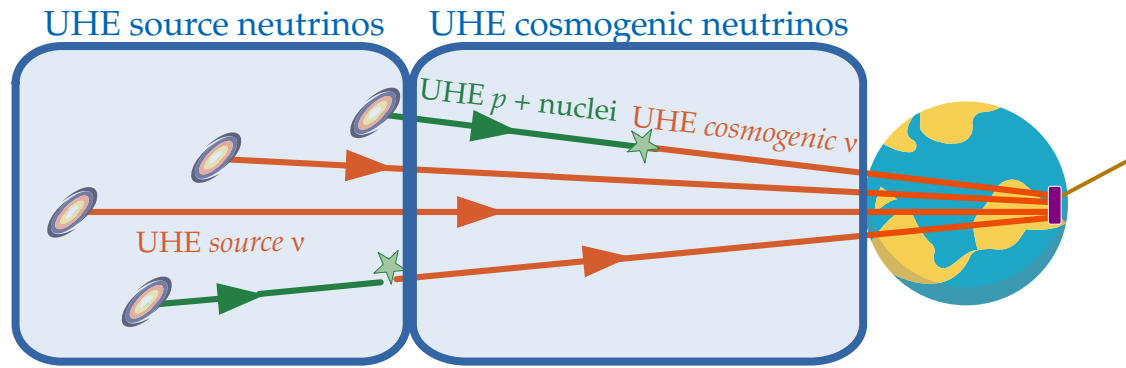
For ν_μ CC, ν_τ CC, ν_l NC: Use the CC V_{eff}



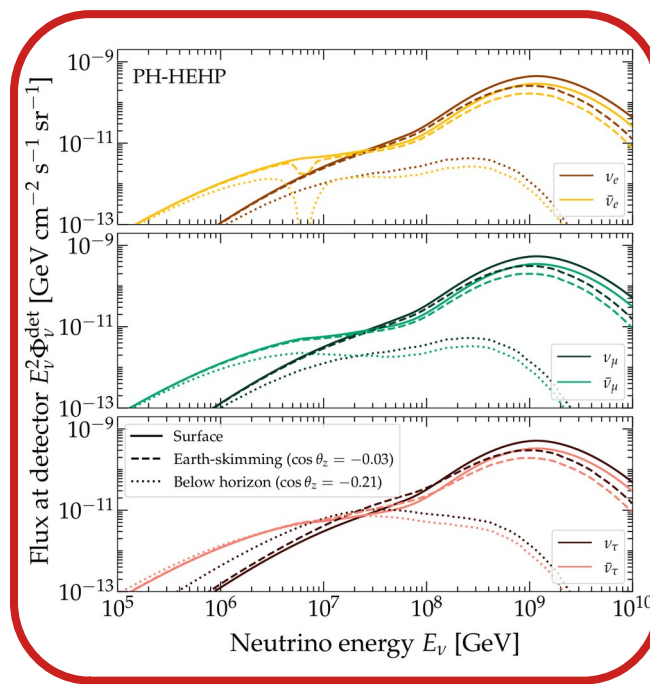
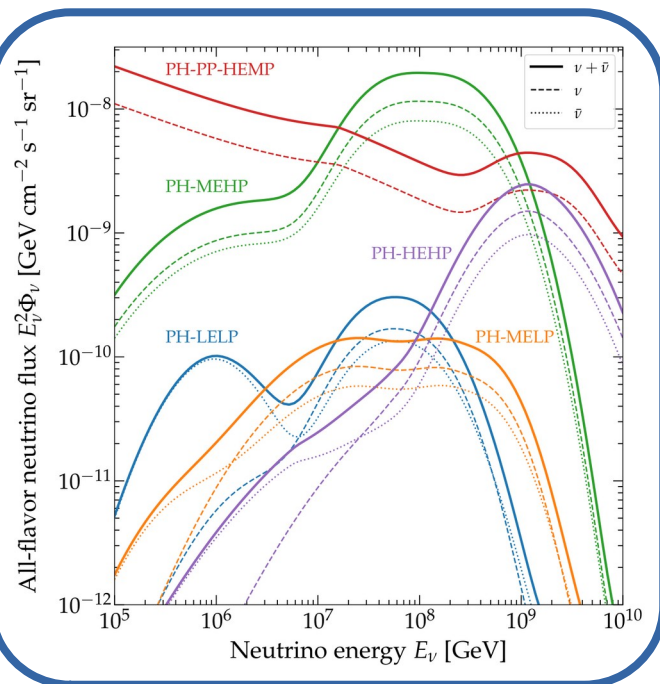
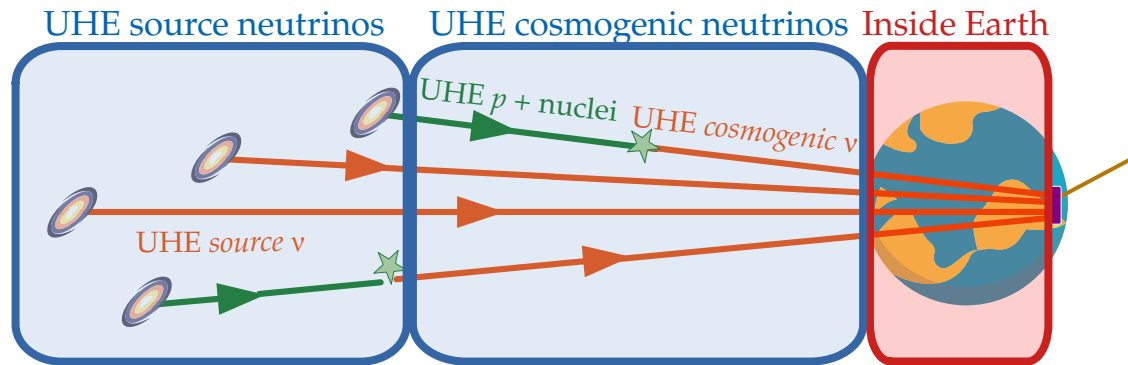
Total volume = 169 shallow-only stations + 144 hybrid (shallow+deep) stations





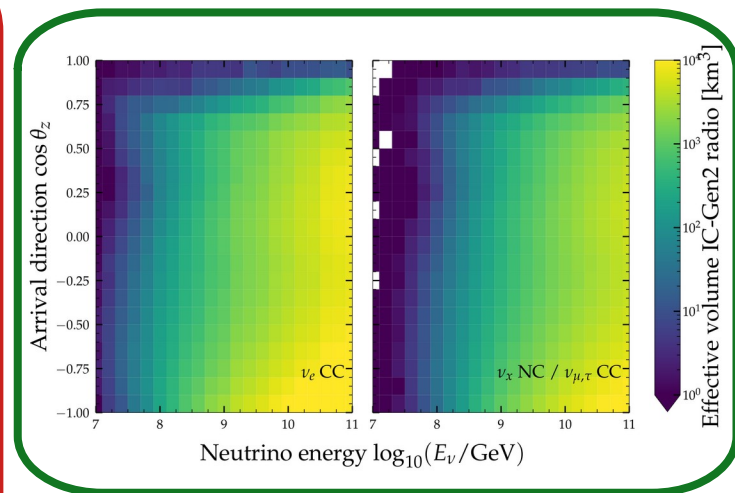
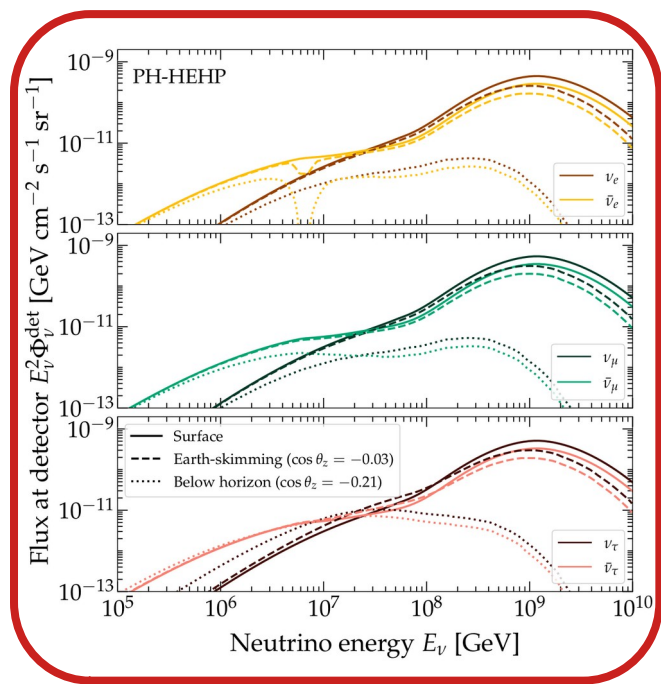
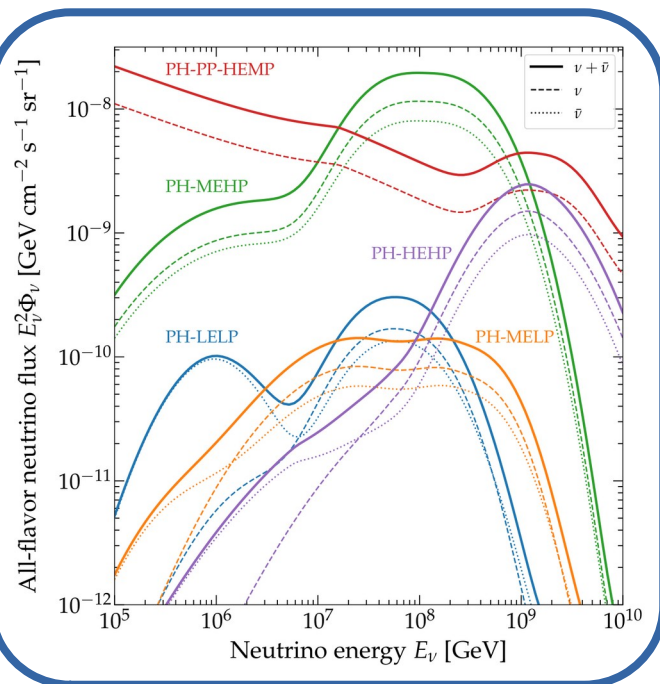
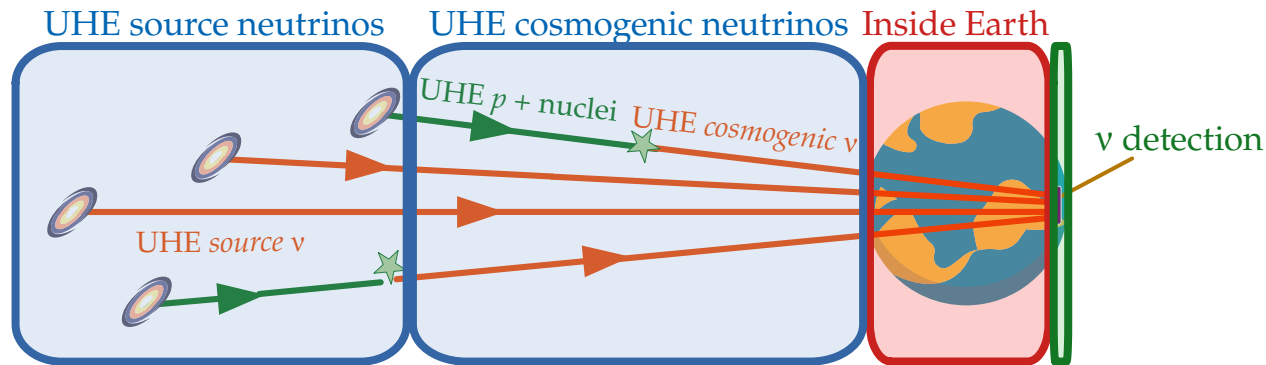


UHE ν from pp and $p\gamma$ interactions, account for
cosmic-ray spectrum & mass composition,
source properties



UHE ν from pp and $p\gamma$ interactions, account for
cosmic-ray spectrum & mass composition,
source properties

Propagate each flavor of ν and $\bar{\nu}$ separately:
deep inelastic scattering, diffractive
scattering, ν_τ regeneration



Model radio propagation in ice, antenna response, angular and energy resolution, inelasticity distribution

UHE ν from pp and $p\gamma$ interactions, account for cosmic-ray spectrum & mass composition, source properties

Propagate each flavor of ν and $\bar{\nu}$ separately: deep inelastic scattering, diffractive scattering, ν_τ regeneration

Event rate at IC-Gen2 Radio

Event rate at IC-Gen2 Radio

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}$$

E_ν : Neutrino energy

y : Inelasticity

$\cos\theta_z$: Neutrino direction

Includes:

- ▶ Flux
- ▶ In-Earth propagation
- ▶ Effective volume
- ▶ Inelasticity distribution

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Detector effects

Each ν species
computed separately

Includes:

- Flux
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Event rate at IC-Gen2 Radio

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Includes:

- Flux
- In-Earth propagation
- Effective volume
- Inelasticity distribution

Detector effects

Each ν species
computed separately

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}}$$

E_{dep} : Deposited energy

$\cos\theta_{z,\text{rec}}$: Reconstructed direction

Includes, in addition:

- Connection between ν energy and shower energy
- Energy resolution
- Angular resolution

Event rate at IC-Gen2 Radio

Note: Calculations are similar for CC and NC

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}$$

E_ν : Neutrino energy

y : Inelasticity

$\cos\theta_z$: Neutrino direction

Includes:

- Flux
- In-Earth propagation
- Effective volume
- Inelasticity distribution

Detector effects

Each ν species
computed separately

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}}$$

E_{dep} : Deposited energy

$\cos\theta_{z,\text{rec}}$: Reconstructed direction

Includes, in addition:

- Connection between ν energy and shower energy
- Energy resolution
- Angular resolution

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}} V_{\text{eff},\nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z) \frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy} \Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)$$

Real event rate

Number
of target
nucleons

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T \overbrace{N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}}}^{\text{Number of target nucleons}} V_{\text{eff}, \nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z) \frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy} \Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)$$

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T \underbrace{N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}}}_{\substack{\text{Number} \\ \text{of target} \\ \text{nucleons}}} \underbrace{V_{\text{eff}, \nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z)}_{\text{Effective volume}} \frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy} \Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)$$

Real event rate

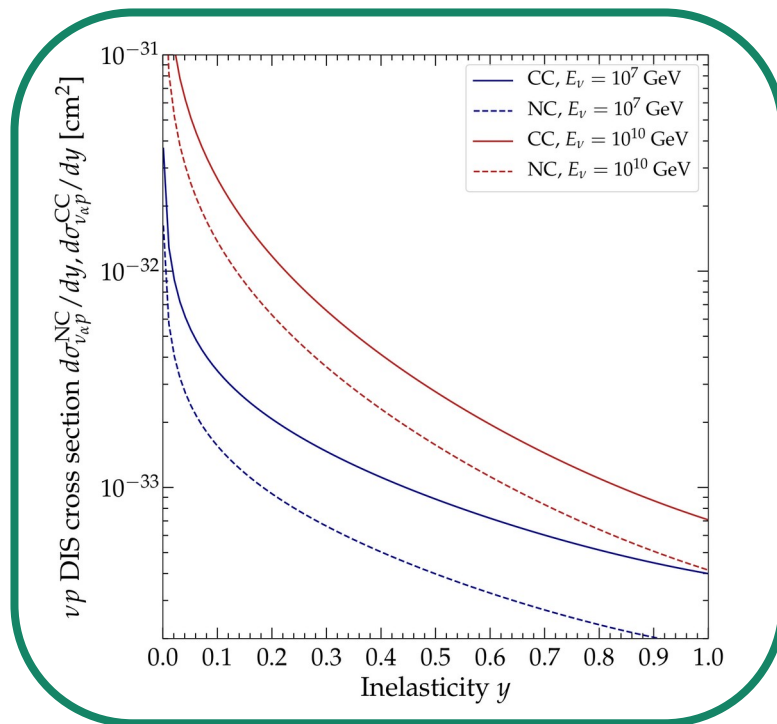
$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T \underbrace{N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}}}_{\text{Number of target nucleons}} \underbrace{V_{\text{eff}, \nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z)}_{\text{Effective volume}} \underbrace{\frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy}}_{\text{Flux at detector}} \Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)$$

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T \underbrace{N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}}}_{\text{Number of target nucleons}} \underbrace{V_{\text{eff}, \nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z)}_{\text{Effective volume}} \underbrace{\frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy}}_{\text{Inelasticity distribution}} \underbrace{\Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)}_{\text{Flux at detector}}$$

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = \underbrace{2\pi T N_{\text{Av}} \frac{\rho_{\text{ice}}}{M_{\text{ice}}}}_{\text{Number of target nucleons}} \underbrace{V_{\text{eff},\nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z)}_{\text{Effective volume}} \underbrace{\frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy}}_{\text{Inelasticity distribution}} \underbrace{\Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)}_{\text{Flux at detector}}$$

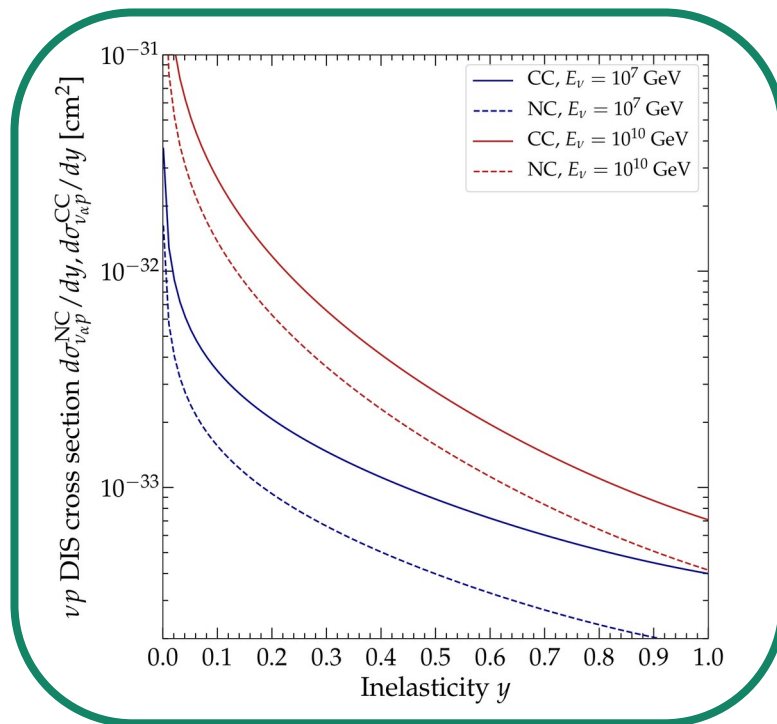


Inelasticity
distribution

Flux at
detector

Real event rate

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} = 2\pi T N_{\text{Av}} \underbrace{\frac{\rho_{\text{ice}}}{M_{\text{ice}}}}_{\text{Number of target nucleons}} \underbrace{V_{\text{eff},\nu_\alpha}^{\text{CC}}(E_\nu, \cos\theta_z)}_{\text{Effective volume}} \underbrace{\frac{d\sigma_{\nu N}^{\text{CC}}(E_\nu, y)}{dy}}_{\text{Inelasticity distribution}} \underbrace{\Phi_{\nu_\alpha}^{\text{det}}(E_\nu, \cos\theta_z)}_{\text{Flux at detector}}$$

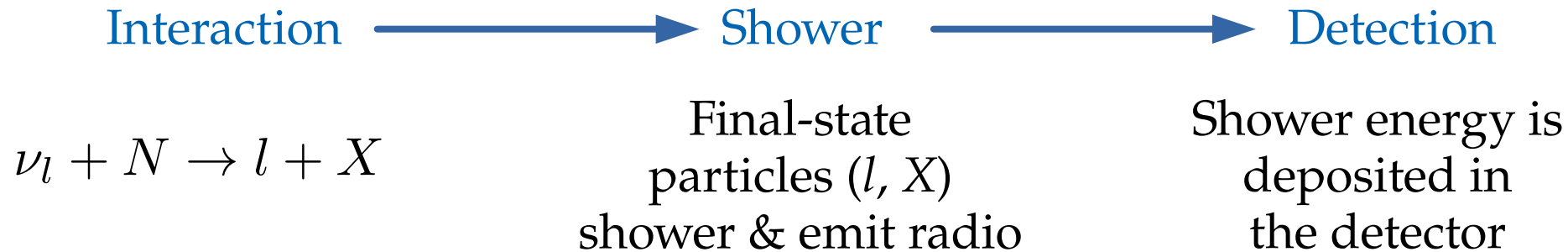


Inelasticity
distribution

Flux at
detector

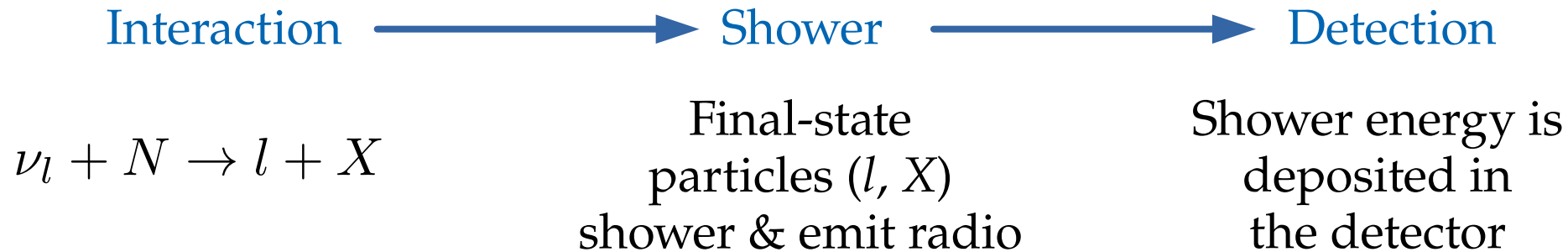
Use the BGR18
vN cross section
during **propagation**
and at **detection**

Detected event rate



Real event rate

Detected event rate

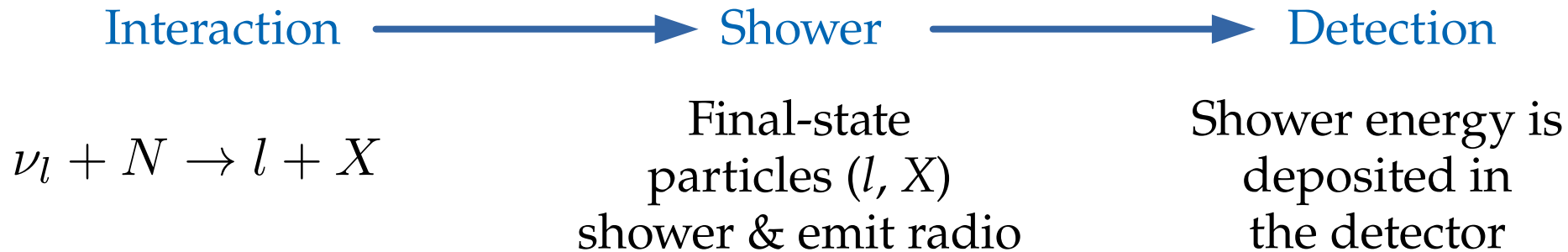


Neutrino energy:

$$E_\nu$$

Real event rate

Detected event rate



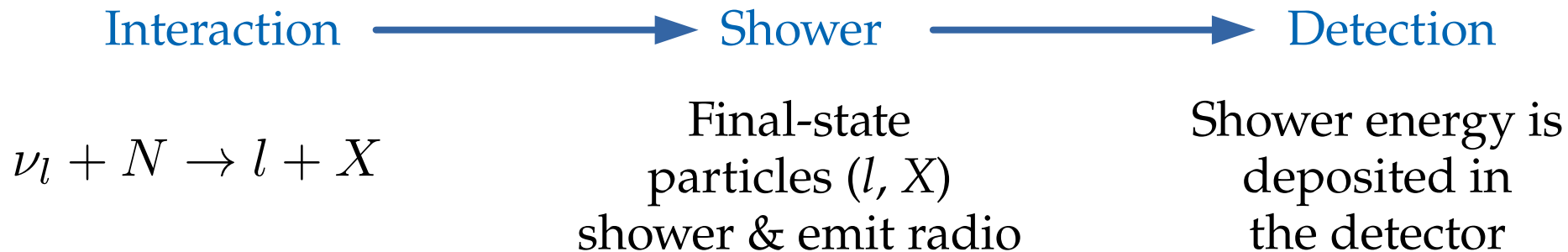
Neutrino energy:

Shower energy:

$$E_\nu \quad E_{\text{sh}, \nu_\alpha}^i(E_\nu, y) = \begin{cases} yE_\nu, & \text{for } \nu_\alpha \text{ NC} \\ E_\nu, & \text{for } \nu_e \text{ CC} \\ yE_\nu, & \text{for } \nu_\mu \text{ and } \nu_\tau \text{ CC} \end{cases}$$

Real event rate

Detected event rate



Neutrino energy:

$$E_\nu$$

Shower energy:

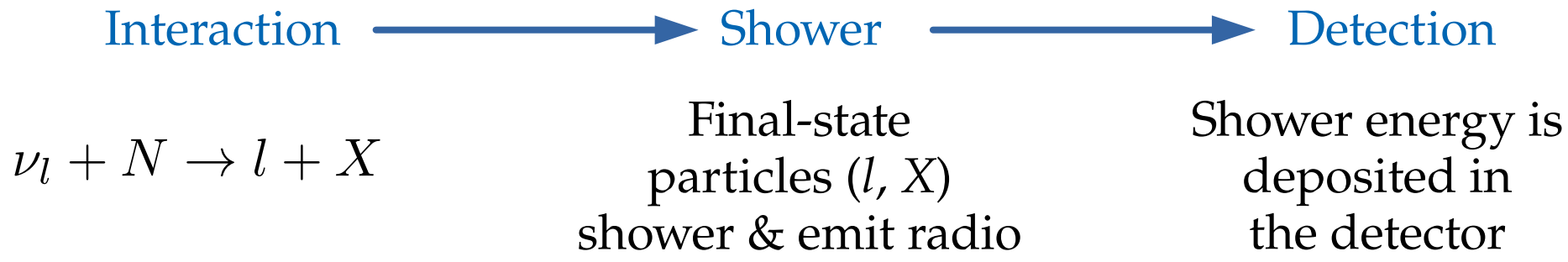
$$E_{\text{sh},\nu_\alpha}^i(E_\nu, y) = \begin{cases} yE_\nu, & \text{for } \nu_\alpha \text{ NC} \\ E_\nu, & \text{for } \nu_e \text{ CC} \\ yE_\nu, & \text{for } \nu_\mu \text{ and } \nu_\tau \text{ CC} \end{cases}$$

Deposited energy:

$$E_{\text{dep}}$$

Real event rate

Detected event rate



Neutrino energy:

$$E_\nu$$

Shower energy:

$$E_{\text{sh},\nu_\alpha}^i(E_\nu, y) = \begin{cases} yE_\nu, & \text{for } \nu_\alpha \text{ NC} \\ E_\nu, & \text{for } \nu_e \text{ CC} \\ yE_\nu, & \text{for } \nu_\mu \text{ and } \nu_\tau \text{ CC} \end{cases}$$

Deposited energy:

$$E_{\text{dep}}$$

$$\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}$$

Real event rate



$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}}$$

Detected event rate

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy \frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z} R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)] R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)$$

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy \overbrace{\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}}^{\text{Real event rate}} R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)] R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)$$

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy \underbrace{\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}}_{\text{Real event rate}} \underbrace{R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)] R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)}_{\text{Energy resolution}}$$

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy \underbrace{\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}}_{\text{Real event rate}} \underbrace{R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)] R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)}_{\text{Energy resolution}}$$

$$R_E(E_{\text{dep}}, E_{\text{sh}}) = \frac{2}{\sqrt{2\pi}\sigma_{E_{\text{dep}}}} e^{-\frac{(E_{\text{dep}} - E_{\text{sh}})^2}{2\sigma_{E_{\text{dep}}}^2}}$$

(Mismatch between shower and deposited energies)

Baseline: $\sigma_{\log_{10} E_{\text{dep}}} = 0.1$

Detected event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy \underbrace{\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}}_{\text{Real event rate}} \underbrace{R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)]}_{\text{Energy resolution}} \underbrace{R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)}_{\text{Angular resolution}}$$

$$R_E(E_{\text{dep}}, E_{\text{sh}}) = \frac{2}{\sqrt{2\pi}\sigma_{E_{\text{dep}}}} e^{-\frac{(E_{\text{dep}} - E_{\text{sh}})^2}{2\sigma_{E_{\text{dep}}}^2}}$$

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(Mismatch between shower and deposited energies)
Baseline: $\sigma_{\log_{10} E_{\text{dep}}} = 0.1$

$$R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z) = \frac{1}{\sqrt{2\pi}\sigma_{\theta_z}} e^{-\frac{(\theta_{z,\text{rec}} - \theta_z)^2}{2\sigma_{\theta_z}^2}}$$

(Mismatch between real and reconstructed directions)
Baseline: $\theta_{z,\text{rec}} = 2^\circ$

Detected event rate

Contribution from all
values of real direction &
energy, and inelasticity

Real
event rate

$$\frac{d^2 N_{\nu_\alpha}^{\text{CC}}}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \underbrace{\int_{-1}^{+1} d\cos\theta_z \int_{E_{\text{dep}}}^{\infty} dE_\nu \int_0^1 dy}_{\text{Contribution from all values of real direction \& energy, and inelasticity}} \underbrace{\frac{d^3 N_{\nu_\alpha}^{\text{CC}}}{dE_\nu dy d\cos\theta_z}}_{\text{Real event rate}} \underbrace{R_E[E_{\text{dep}}, E_{\text{sh},\nu_\alpha}^{\text{CC}}(E_\nu, y)]}_{\text{Energy resolution}} \underbrace{R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z)}_{\text{Angular resolution}}$$

$$R_E(E_{\text{dep}}, E_{\text{sh}}) = \frac{2}{\sqrt{2\pi}\sigma_{E_{\text{dep}}}} e^{-\frac{(E_{\text{dep}} - E_{\text{sh}})^2}{2\sigma_{E_{\text{dep}}}^2}}$$

(Mismatch between shower and deposited energies)

Baseline: $\sigma_{\log_{10} E_{\text{dep}}} = 0.1$

$$R_{\theta_z}(\theta_{z,\text{rec}}, \theta_z) = \frac{1}{\sqrt{2\pi}\sigma_{\theta_z}} e^{-\frac{(\theta_{z,\text{rec}} - \theta_z)^2}{2\sigma_{\theta_z}^2}}$$

(Mismatch between real and reconstructed directions)

Baseline: $\theta_{z,\text{rec}} = 2^\circ$

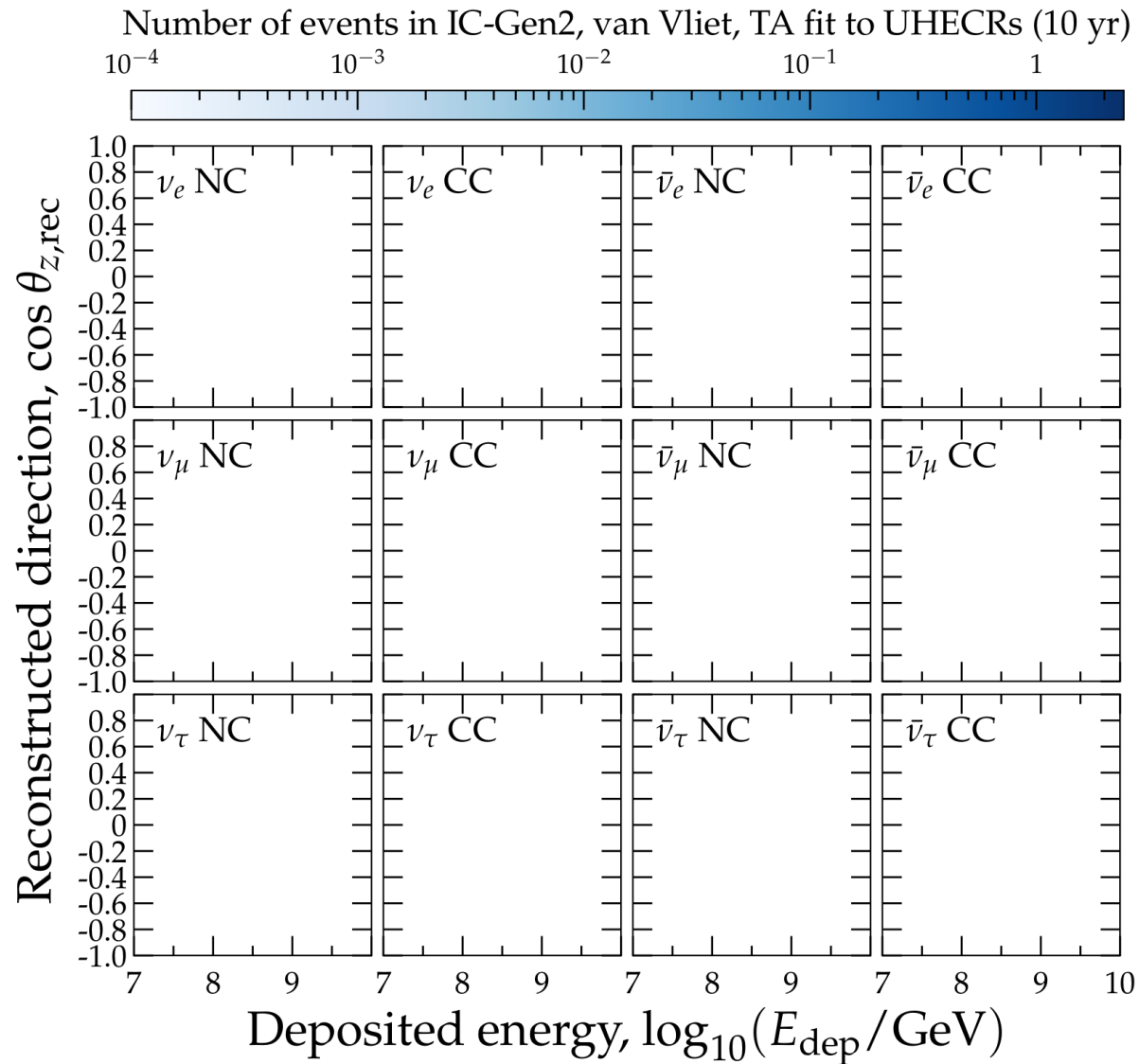
Detected event rate

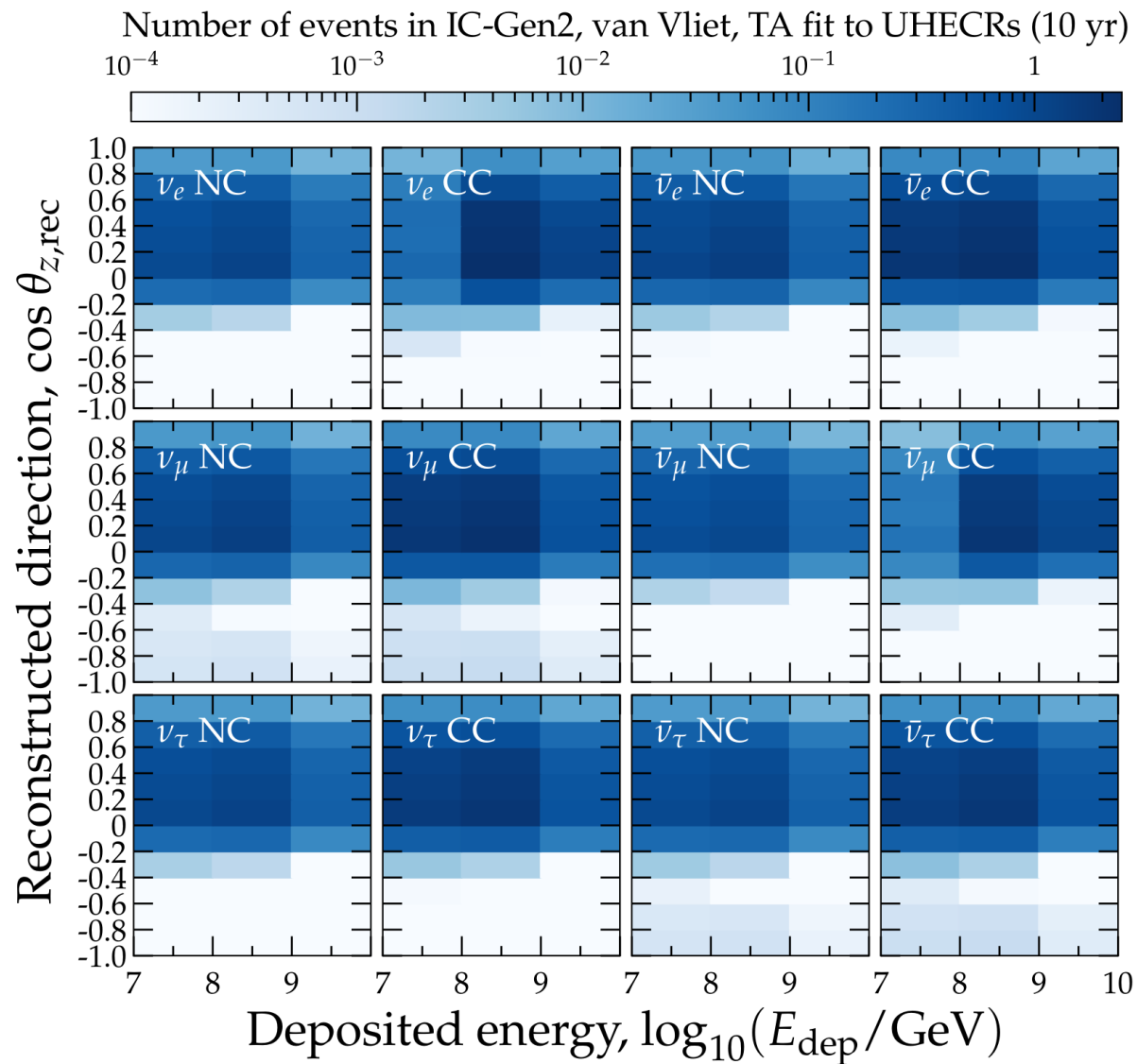
Sum over NC & CC, and all flavors of ν and $\bar{\nu}$:

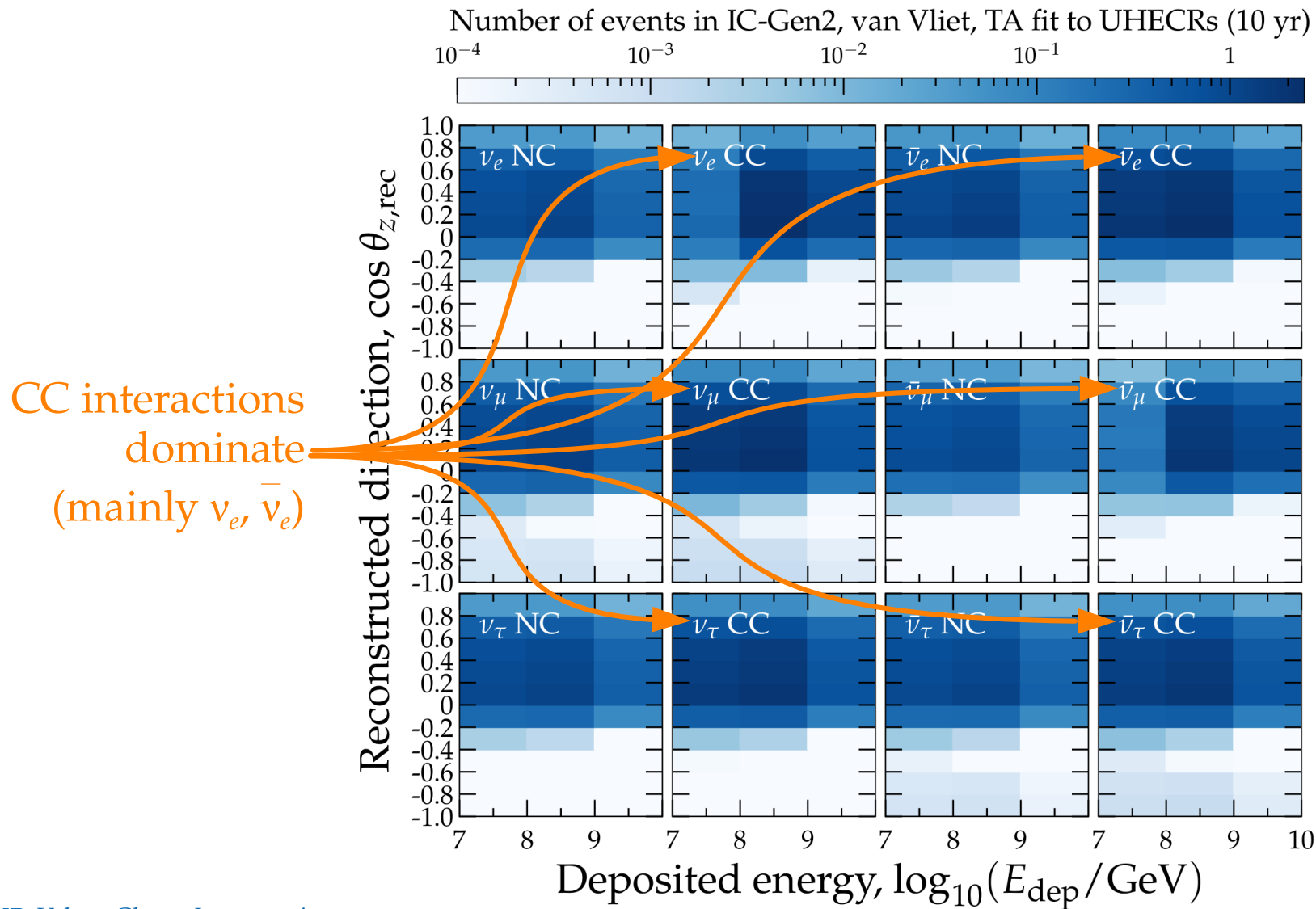
$$\frac{d^2 N_\nu}{dE_{\text{dep}} d\theta_{z,\text{rec}}} = \sum_i^{\text{NC,CC}} \sum_\alpha^{e,\mu,\tau} \left(\frac{d^2 N_{\nu_\alpha}^i}{dE_{\text{dep}} d\theta_{z,\text{rec}}} + \nu_\alpha \rightarrow \bar{\nu}_\alpha \right)$$

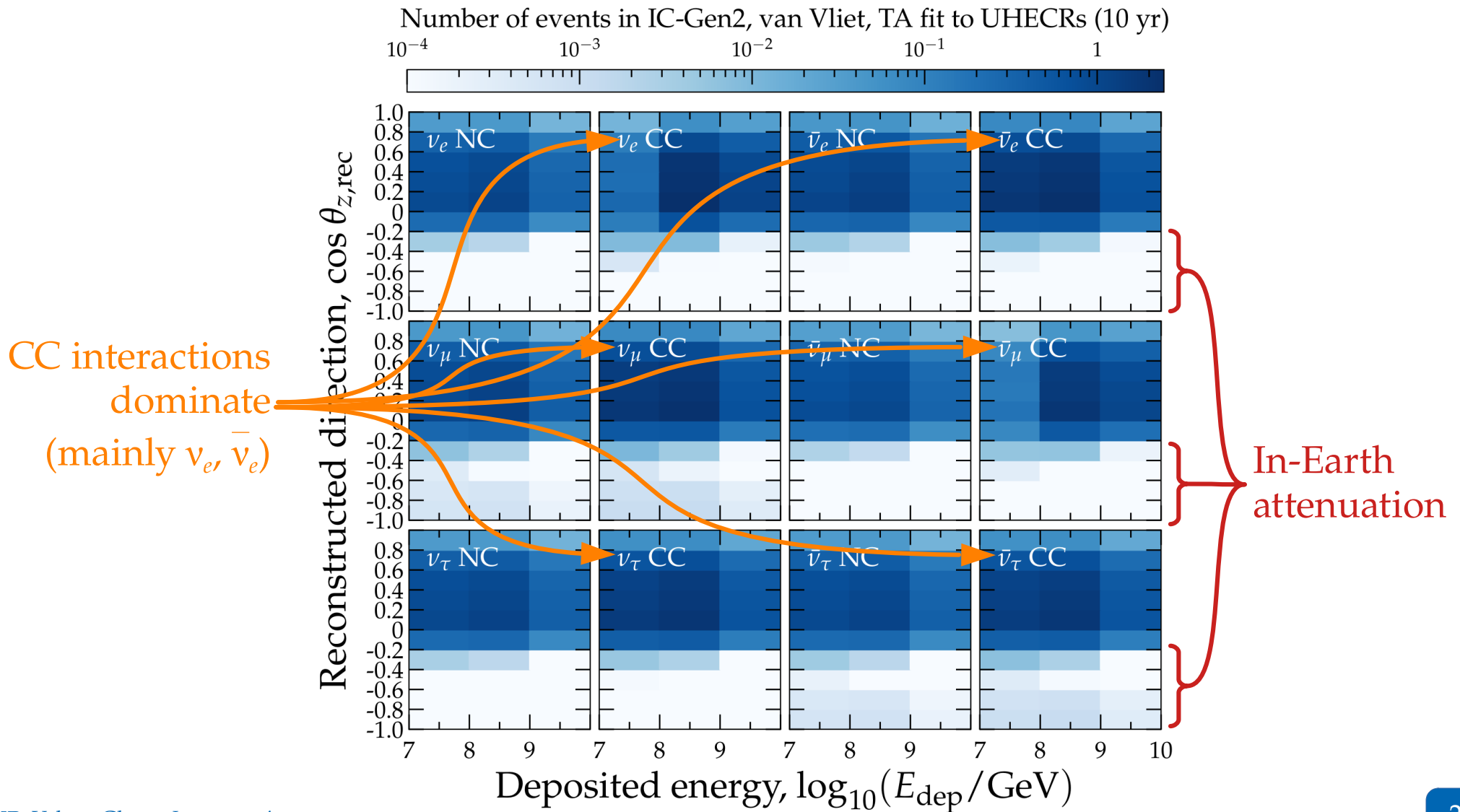
Total number of events in energy bin $[E_{\text{dep}}^{\min}, E_{\text{dep}}^{\max}]$ and direction bin $[\cos_{z,\text{rec}}^{\min}, \cos_{z,\text{rec}}^{\max}]$:

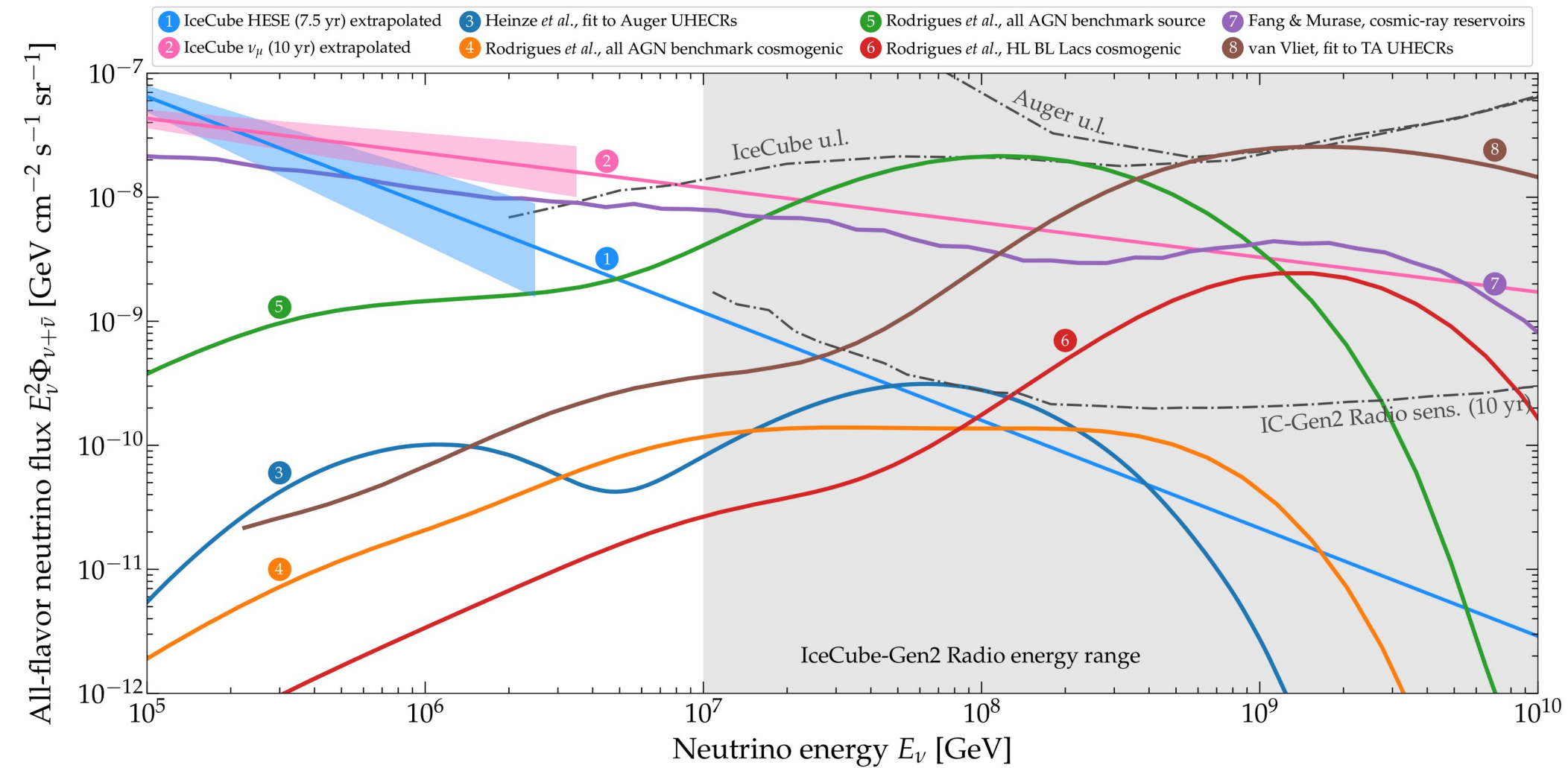
$$N_\nu = \int_{E_{\text{dep}}^{\min}}^{E_{\text{dep}}^{\max}} dE_{\text{dep}} \int_{\theta_{z,\text{rec}}^{\min}}^{\theta_{z,\text{rec}}^{\max}} d\theta_{z,\text{rec}} \frac{d^2 N_\nu}{dE_{\text{dep}} d\theta_{z,\text{rec}}}$$

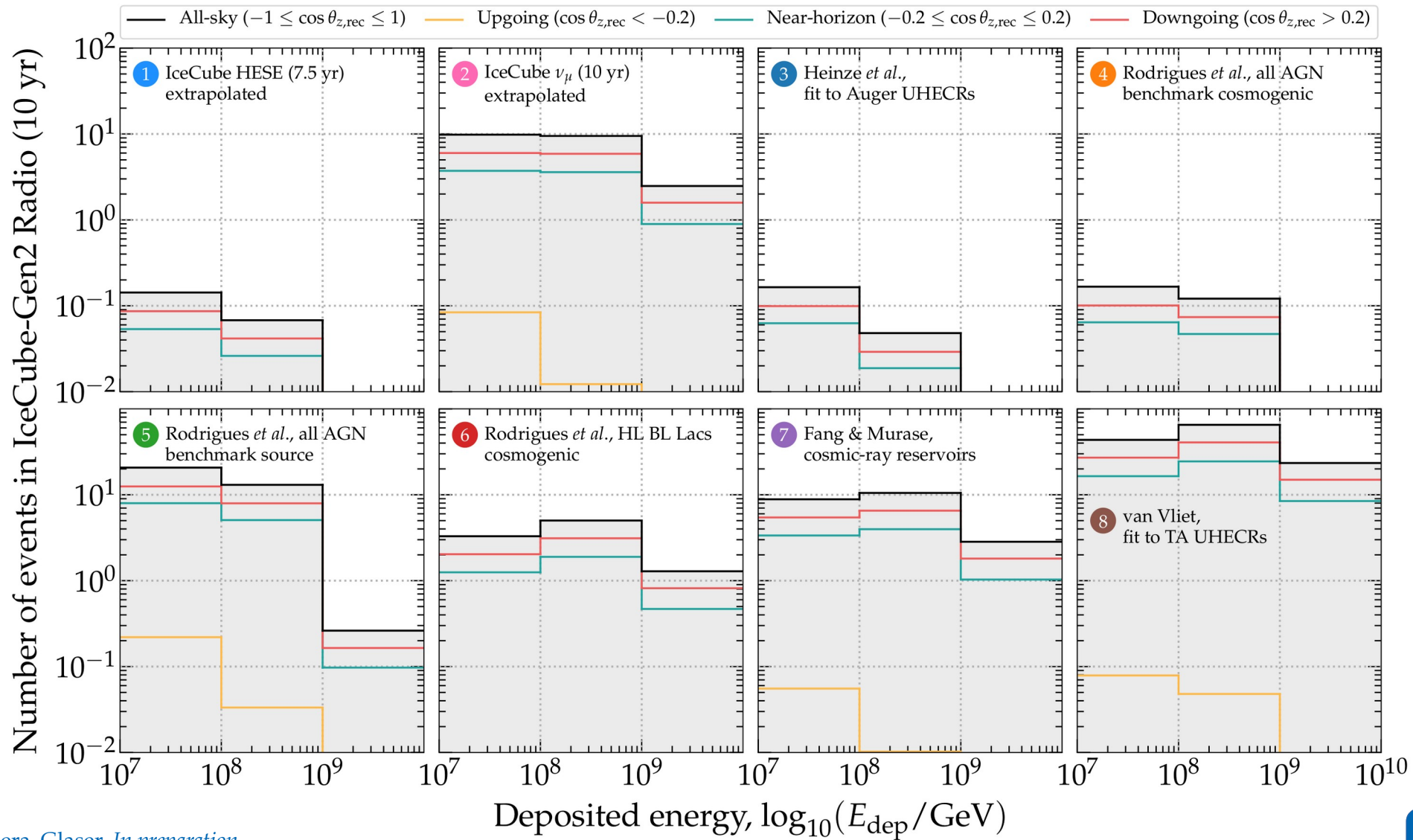


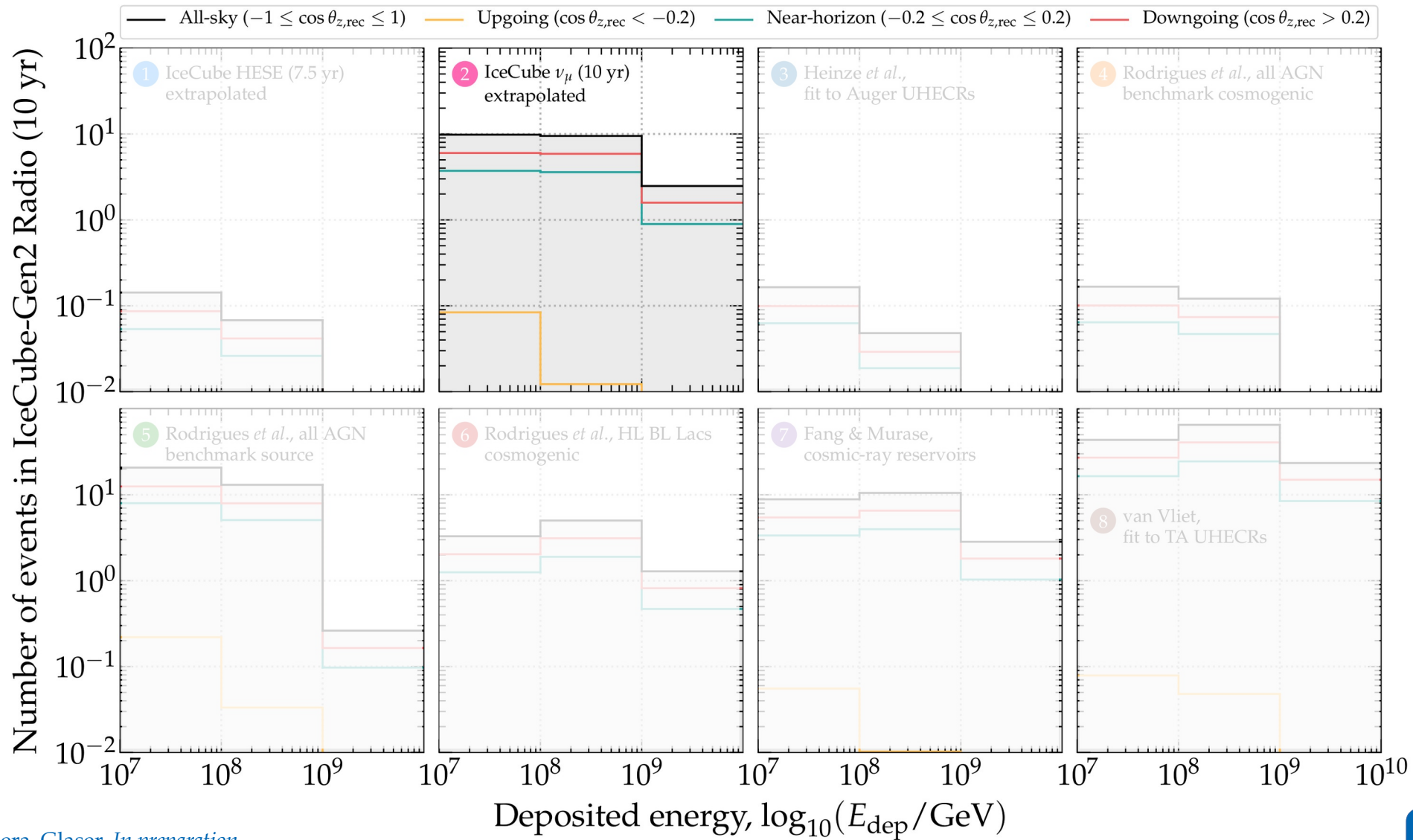


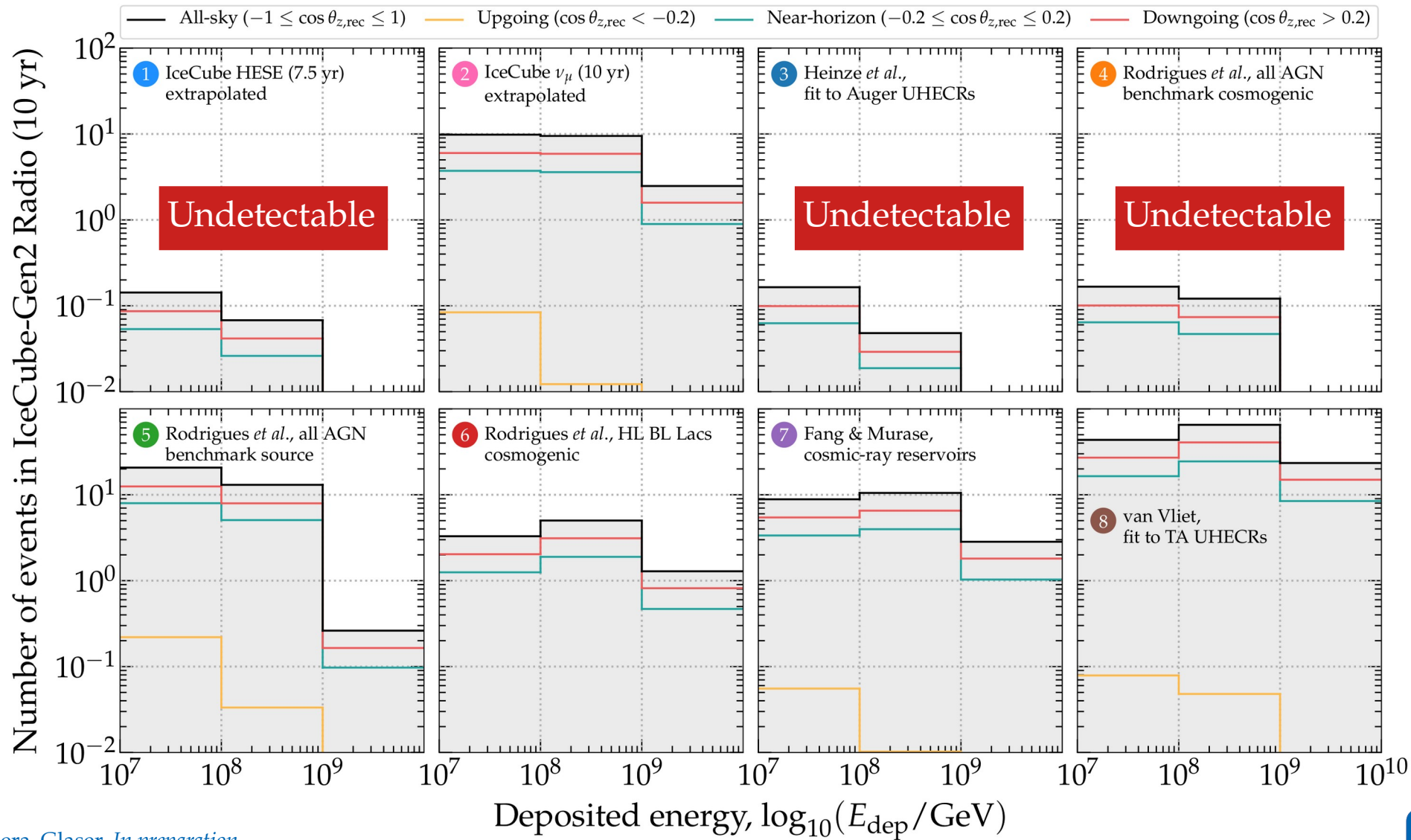


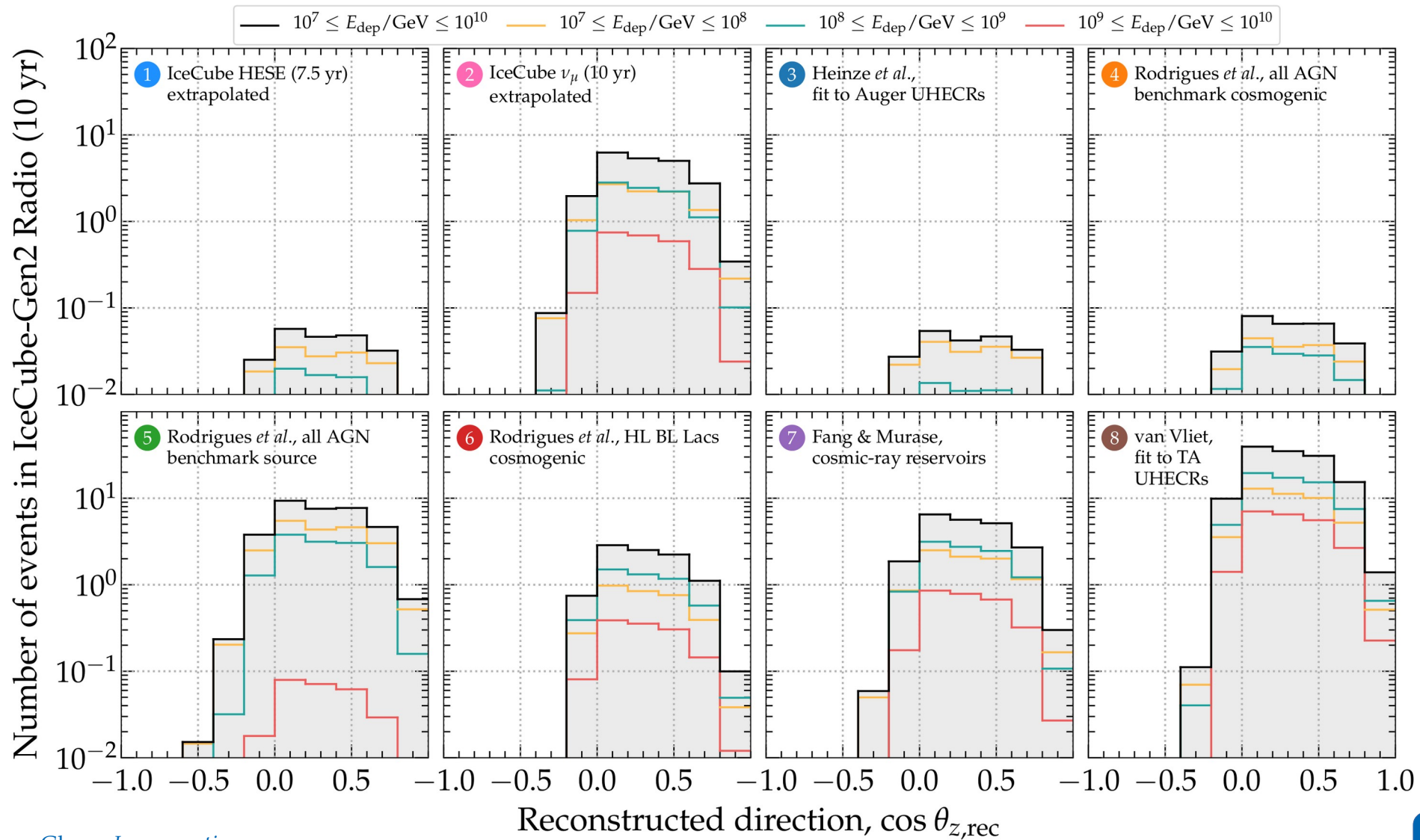


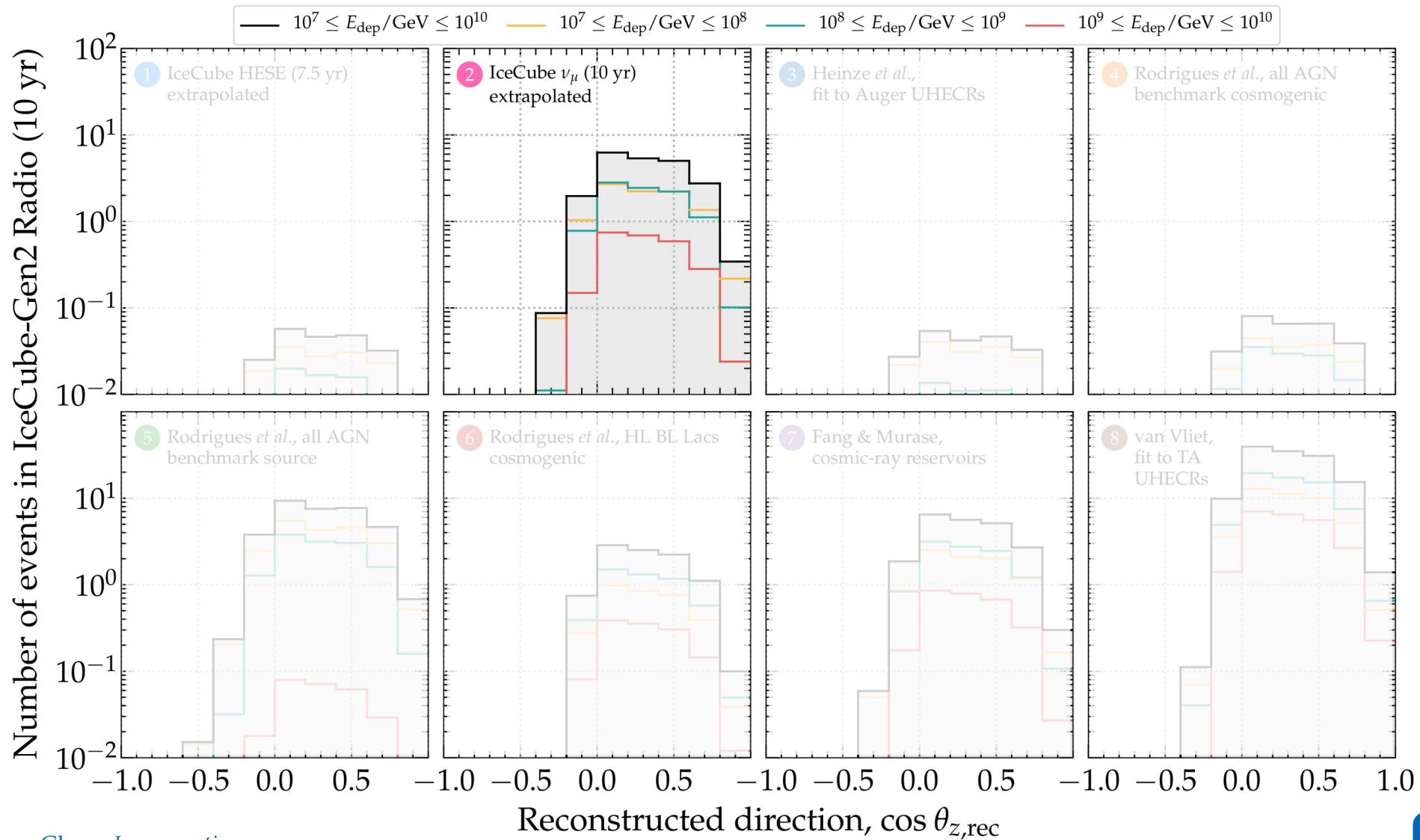


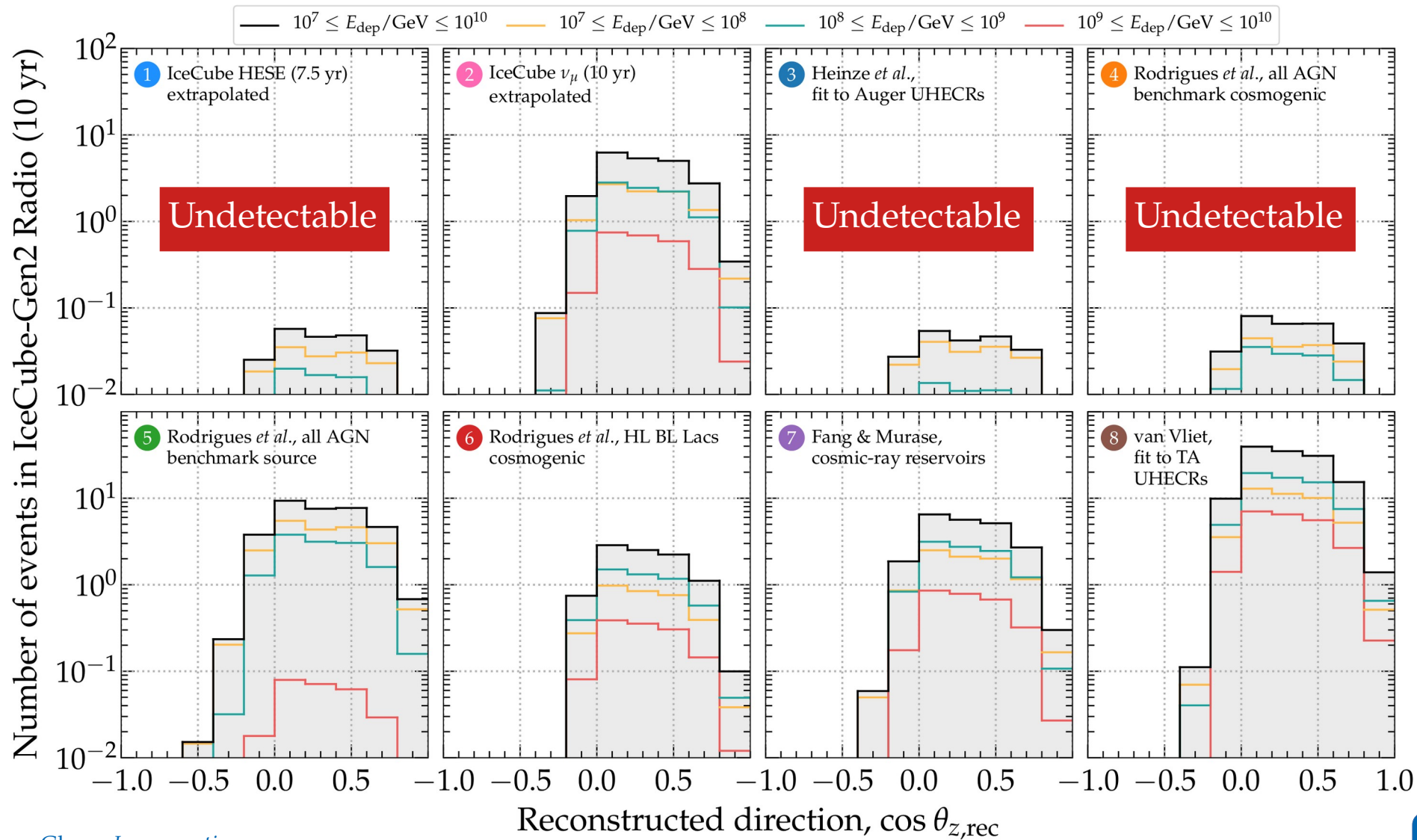






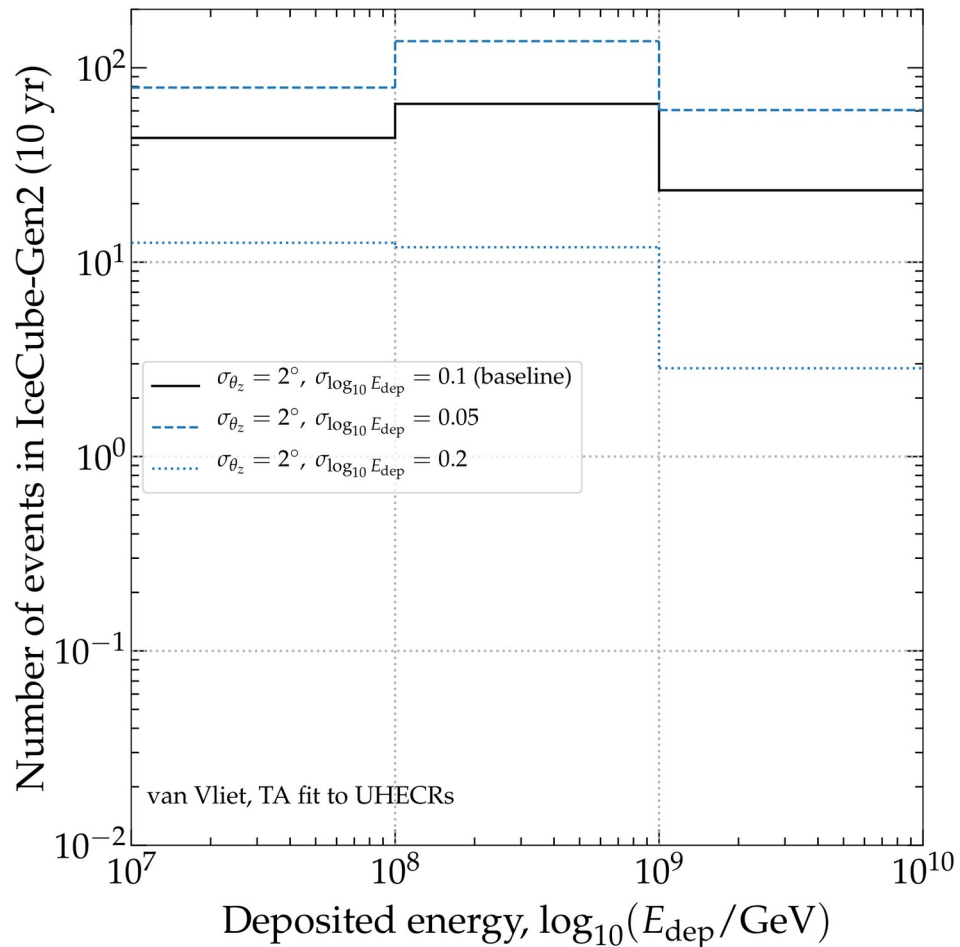




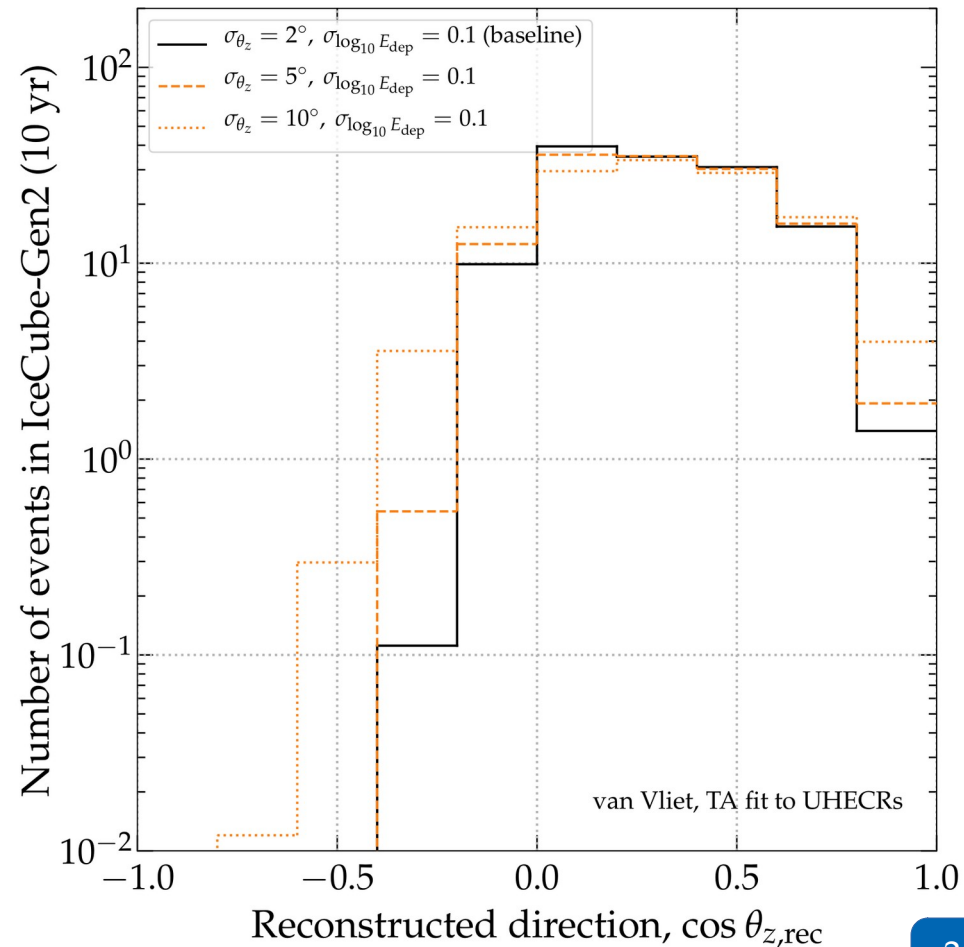


Effect of energy & angular resolution

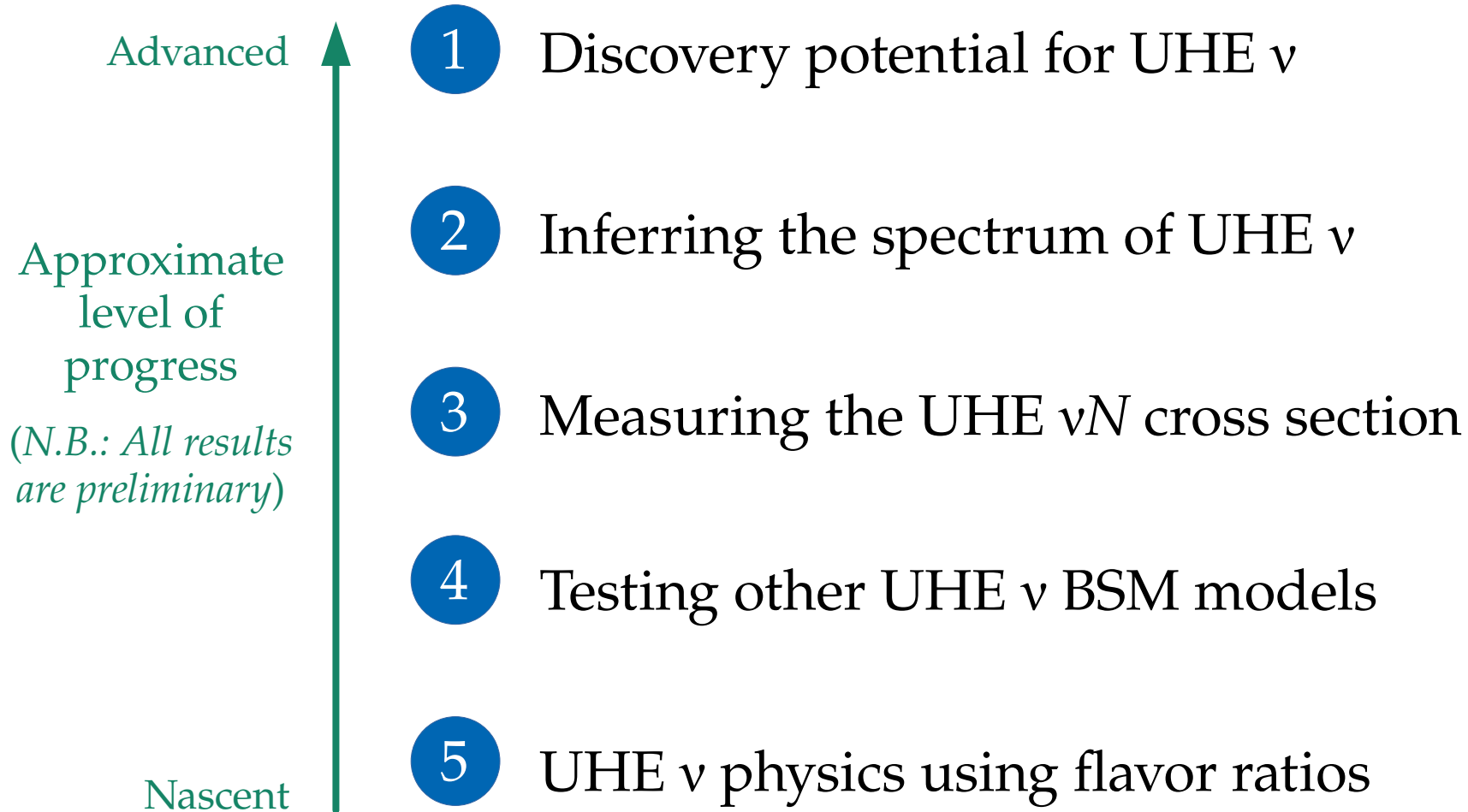
Changing resolution in E_{dep}



Changing resolution in $\theta_{z,\text{rec}}$



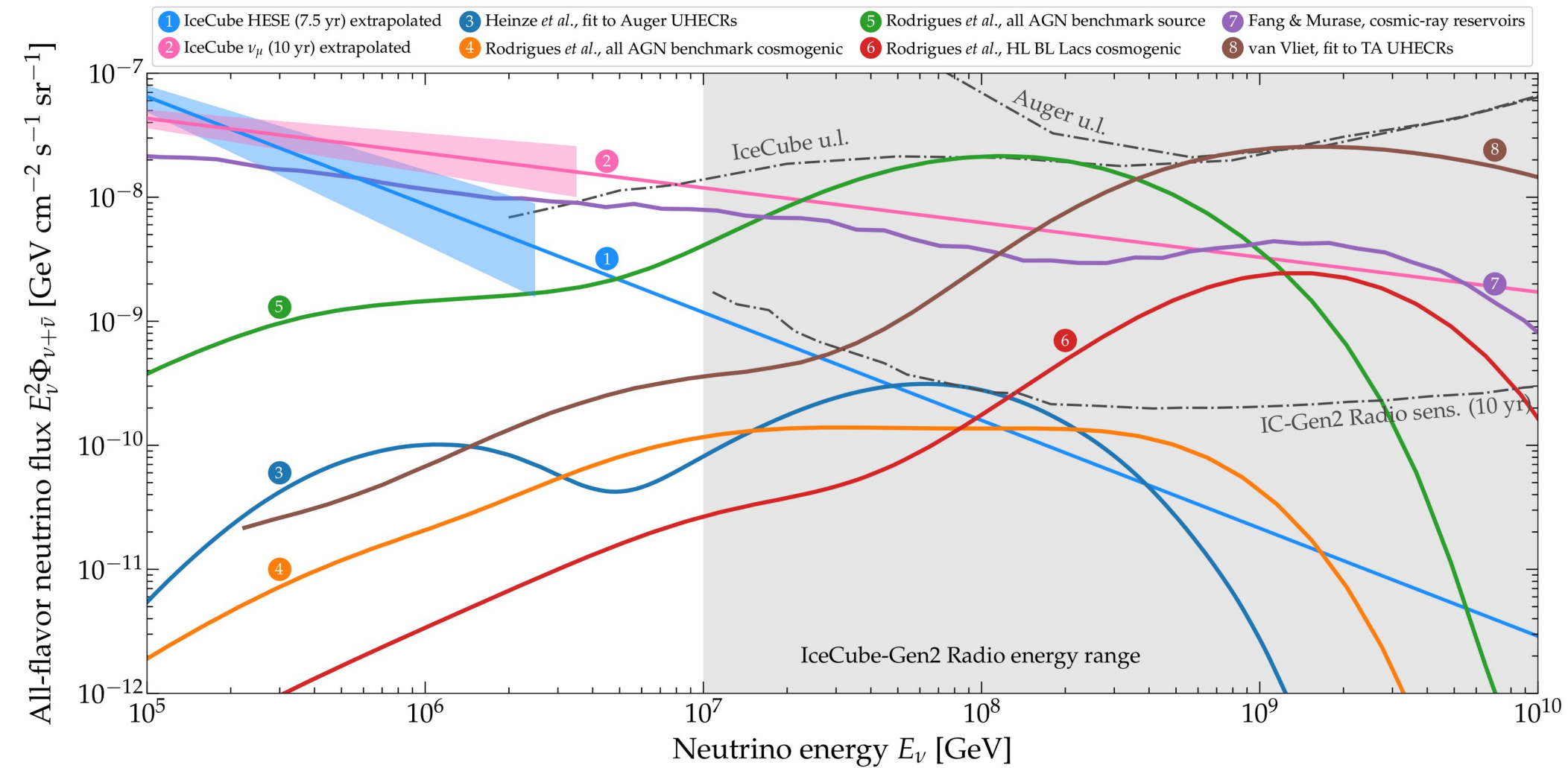
Five directions

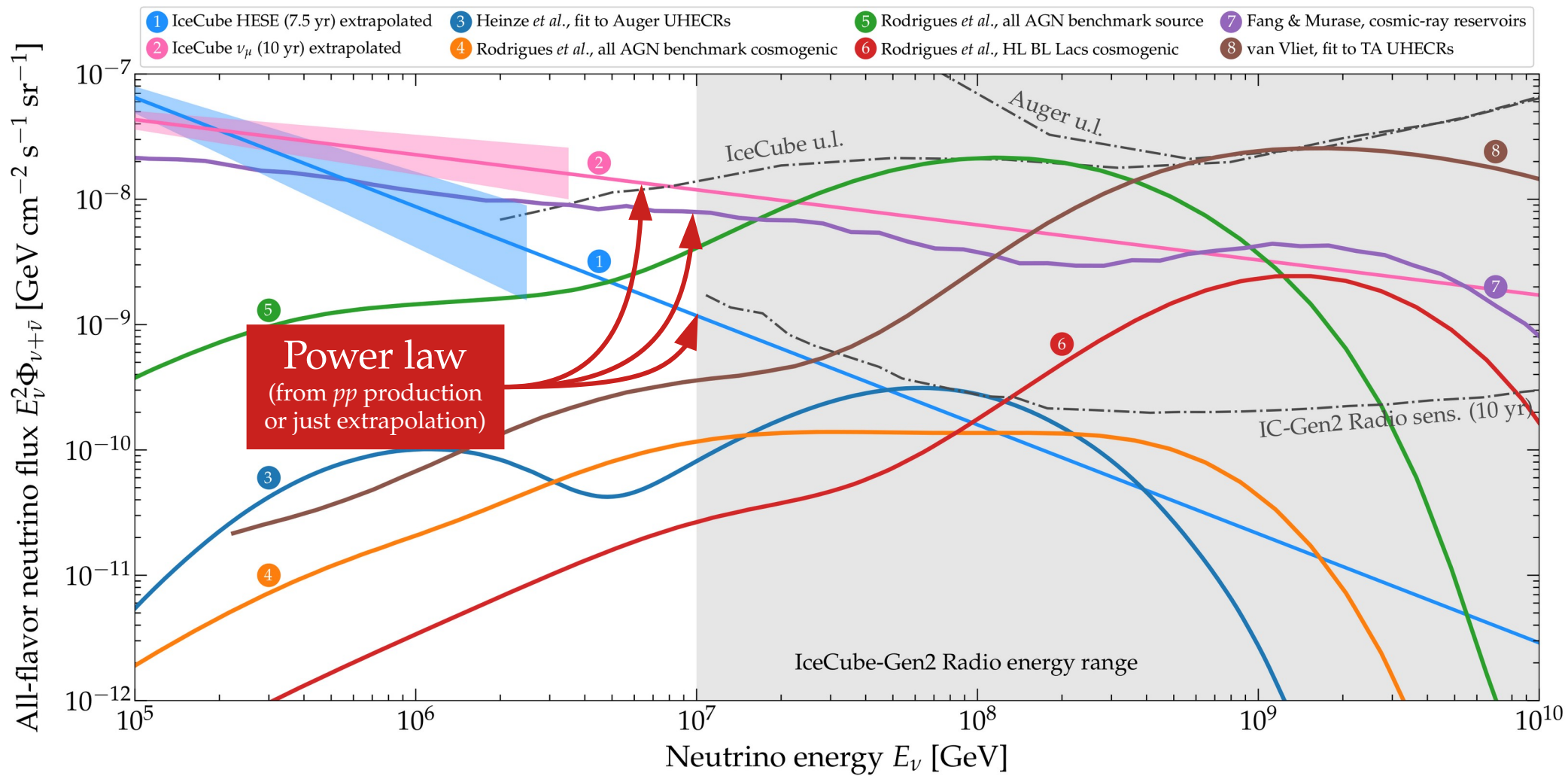


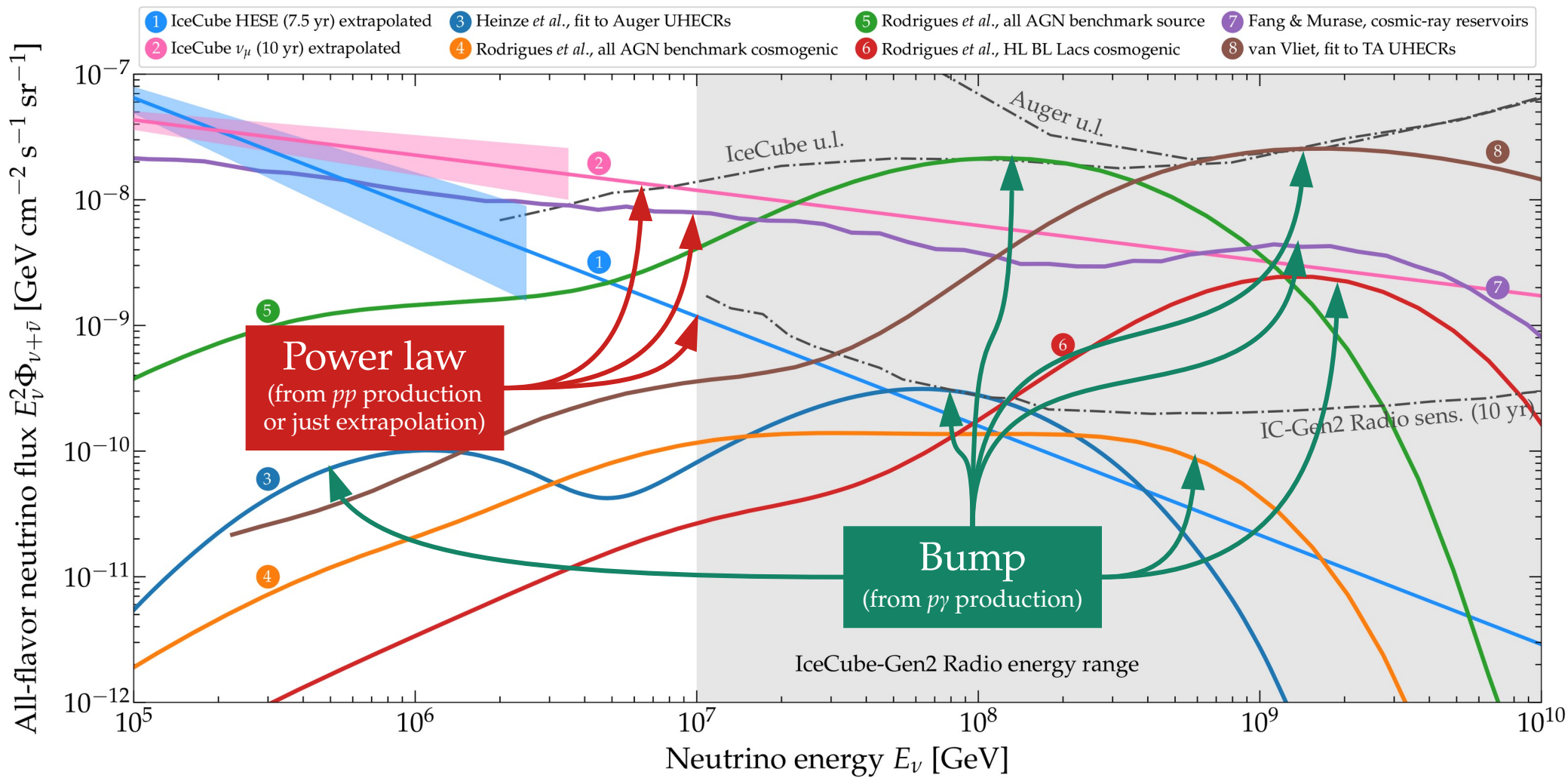
I.
Discovery potential
for UHE ν

Work in progress, stay tuned ...

II. Inferring the spectrum of UHE ν







A generic, empirical model of the UHE ν spectrum

Neutrinos:


$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) =$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

Normalization


$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = (E_\nu^2 \Phi_0) f_{\alpha, \oplus} f_\nu$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$\overbrace{E_\nu^2 \Phi_{\nu_\alpha}(E_\nu)}^{\text{Normalization}} = (E_\nu^2 \Phi_0) f_{\alpha, \oplus} f_\nu \left[\right]$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = \underbrace{(E_\nu^2 \Phi_0) f_{\alpha, \oplus} f_\nu}_{\text{Normalization}} \underbrace{\left[\left(\frac{E_\nu}{\text{PeV}} \right)^{-\gamma} \right]}_{\text{Power-law (from } pp \text{ or extrapolation)}}$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = \underbrace{(E_\nu^2 \Phi_0)}_{\text{Normalization}} f_{\alpha, \oplus} f_\nu \left[\underbrace{\left(\frac{E_\nu}{\text{PeV}} \right)^{-\gamma}}_{\text{Power-law (from } pp \text{ or extrapolation)}} + \underbrace{\eta_l^\nu \mathcal{G}_l(E_\nu; \alpha_l, \beta_l^\nu, \mu_l)}_{\text{Low-energy } p\gamma \text{ bump (from EBL or in source)}} \right]$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = \underbrace{(E_\nu^2 \Phi_0)}_{\text{Normalization}} f_{\alpha, \oplus} f_\nu \left[\underbrace{\left(\frac{E_\nu}{\text{PeV}} \right)^{-\gamma}}_{\text{Power-law (from } pp \text{ or extrapolation)}} + \underbrace{\eta_l^\nu \mathcal{G}_l(E_\nu; \alpha_l, \beta_l^\nu, \mu_l)}_{\text{Low-energy } p\gamma \text{ bump (from EBL or in source)}} + \underbrace{\eta_h^\nu \mathcal{G}_h(E_\nu; \alpha_h, \beta_h^\nu, \mu_h)}_{\text{High-energy } p\gamma \text{ bump (from CMB or in source)}} \right]$$

Anti-neutrinos:

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = \underbrace{(E_\nu^2 \Phi_0)}_{\text{Normalization}} f_{\alpha, \oplus} f_\nu \left[\underbrace{\left(\frac{E_\nu}{\text{PeV}} \right)^{-\gamma}}_{\text{Power-law (from } pp \text{ or extrapolation)}} + \underbrace{\eta_l^\nu \mathcal{G}_l(E_\nu; \alpha_l, \beta_l^\nu, \mu_l)}_{\text{Low-energy } p\gamma \text{ bump (from EBL or in source)}} + \underbrace{\eta_h^\nu \mathcal{G}_h(E_\nu; \alpha_h, \beta_h^\nu, \mu_h)}_{\text{High-energy } p\gamma \text{ bump (from CMB or in source)}} \right]$$

Anti-neutrinos:

$$E_\nu^2 \Phi_{\bar{\nu}_\alpha}(E_\nu) =$$

A generic, empirical model of the UHE ν spectrum

Neutrinos:

$$E_\nu^2 \Phi_{\nu_\alpha}(E_\nu) = \underbrace{(E_\nu^2 \Phi_0)}_{\text{Normalization}} f_{\alpha,\oplus} f_\nu \left[\underbrace{\left(\frac{E_\nu}{\text{PeV}} \right)^{-\gamma}}_{\text{Power-law (from } pp \text{ or extrapolation)}} + \underbrace{\eta_l^\nu \mathcal{G}_l(E_\nu; \alpha_l, \beta_l^\nu, \mu_l)}_{\text{Low-energy } p\gamma \text{ bump (from EBL or in source)}} + \underbrace{\eta_h^\nu \mathcal{G}_h(E_\nu; \alpha_h, \beta_h^\nu, \mu_h)}_{\text{High-energy } p\gamma \text{ bump (from CMB or in source)}} \right]$$

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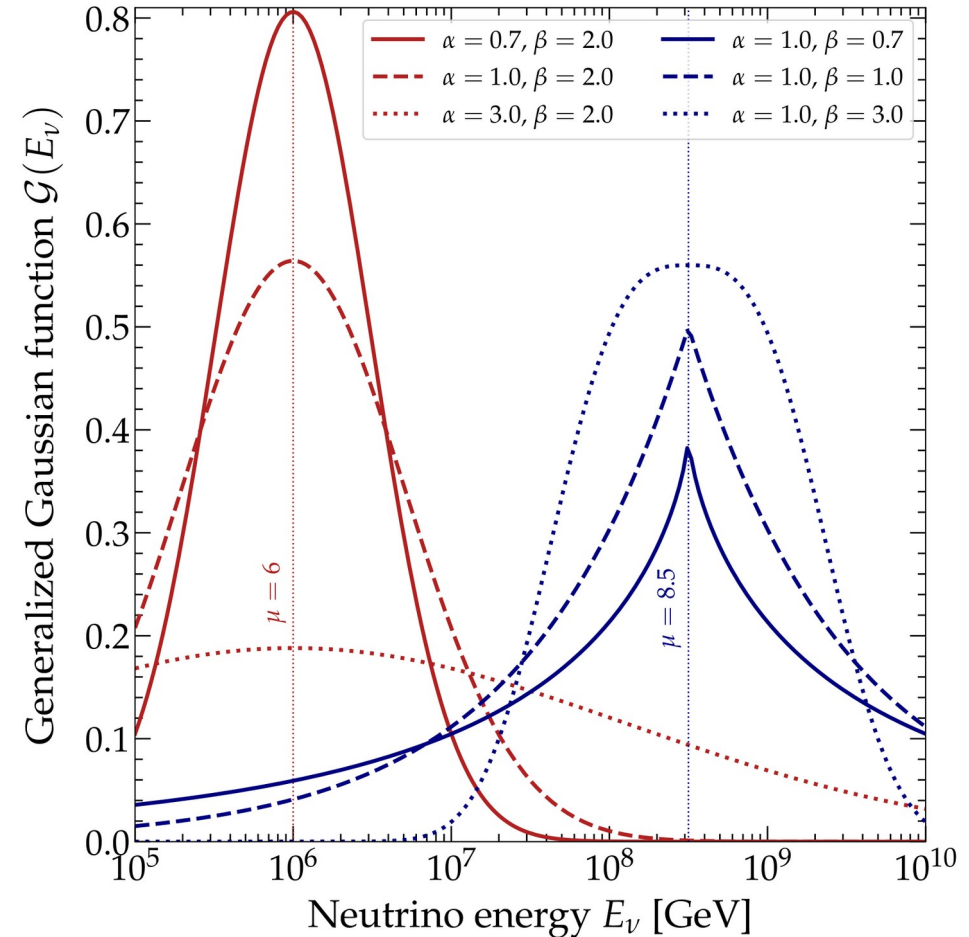
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A generic, empirical model of the UHE ν spectrum

Each bump \mathcal{G} is a generalized Gaussian, *e.g.*,

$$\mathcal{G}(E_\nu; \underbrace{\alpha}_{\text{Scale}}, \underbrace{\beta}_{\text{Shape}}, \underbrace{\mu}_{\text{Center}})$$

Has non-zero kurtosis
(for more accurate fits to known spectra)

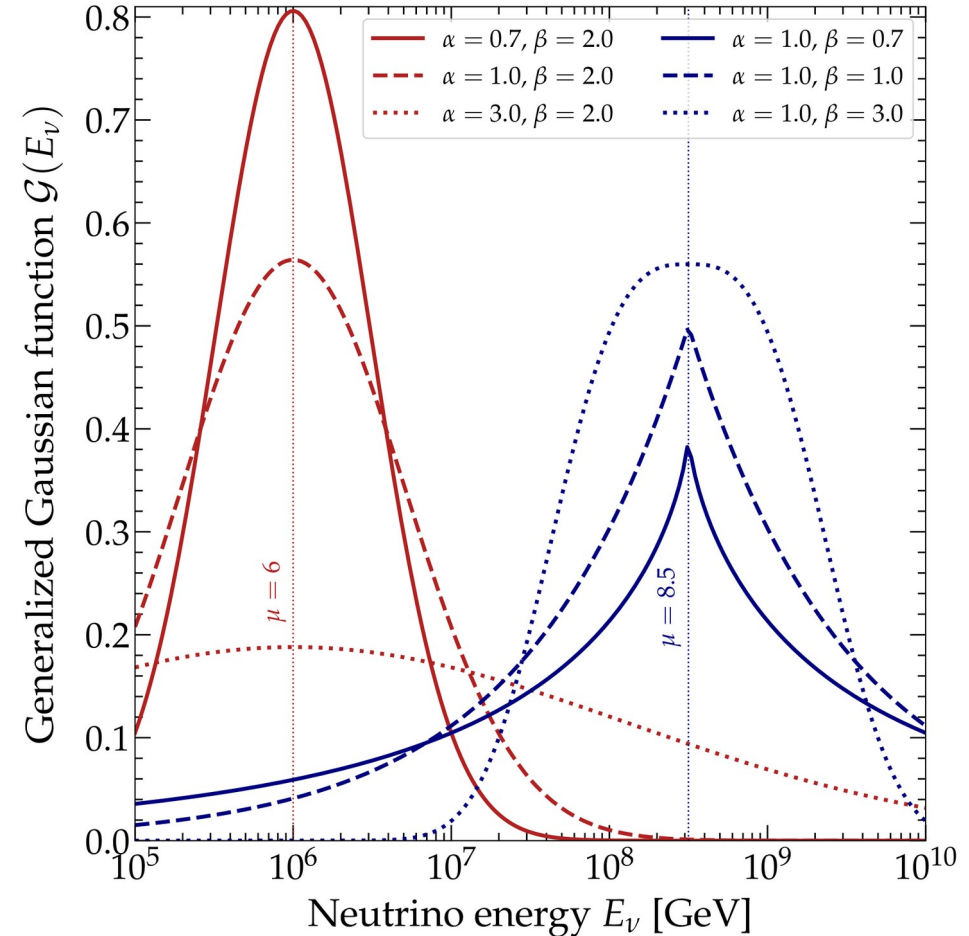


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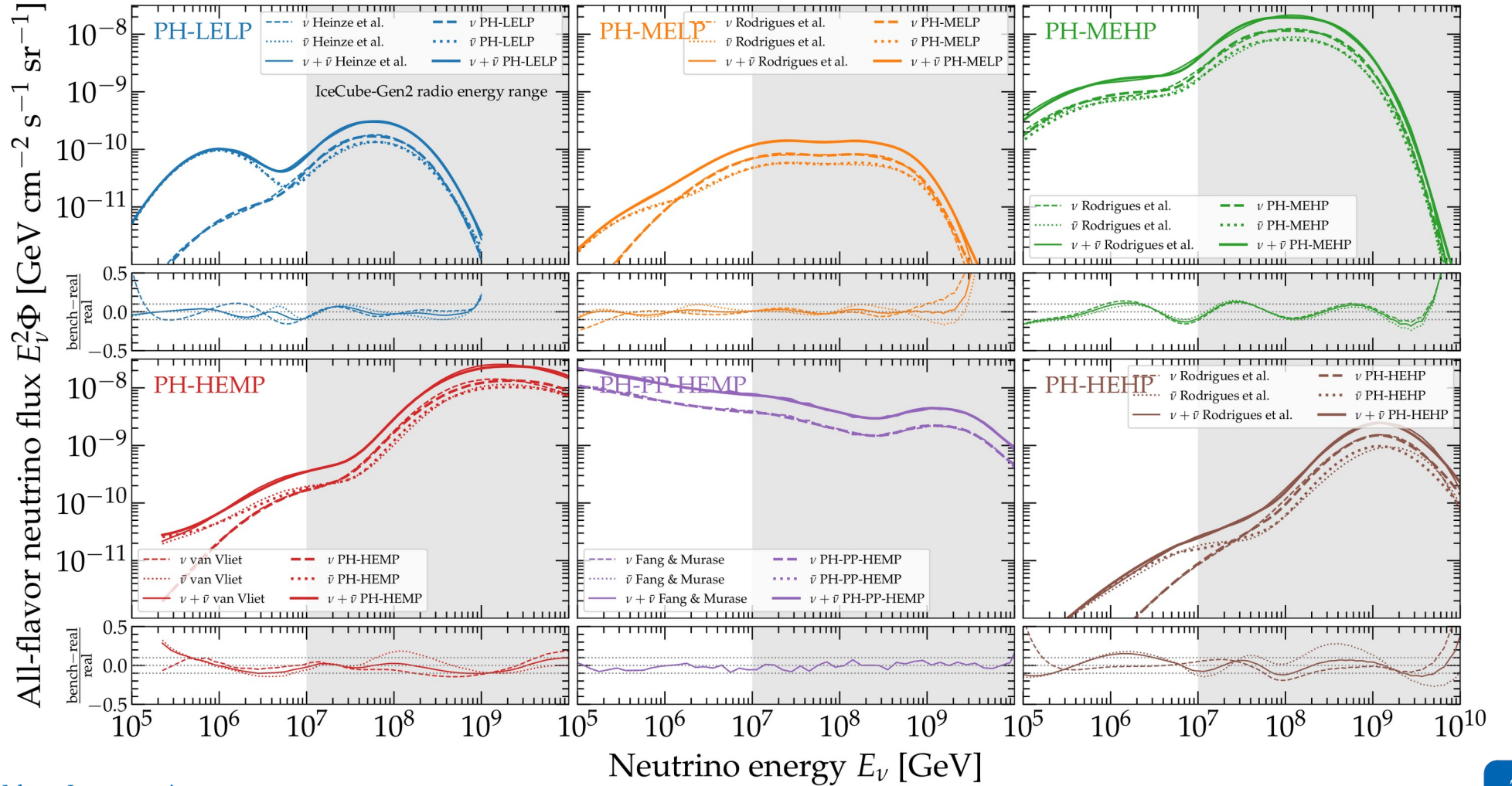
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The empirical model fits all benchmark fluxes to within 10%, *i.e.*,

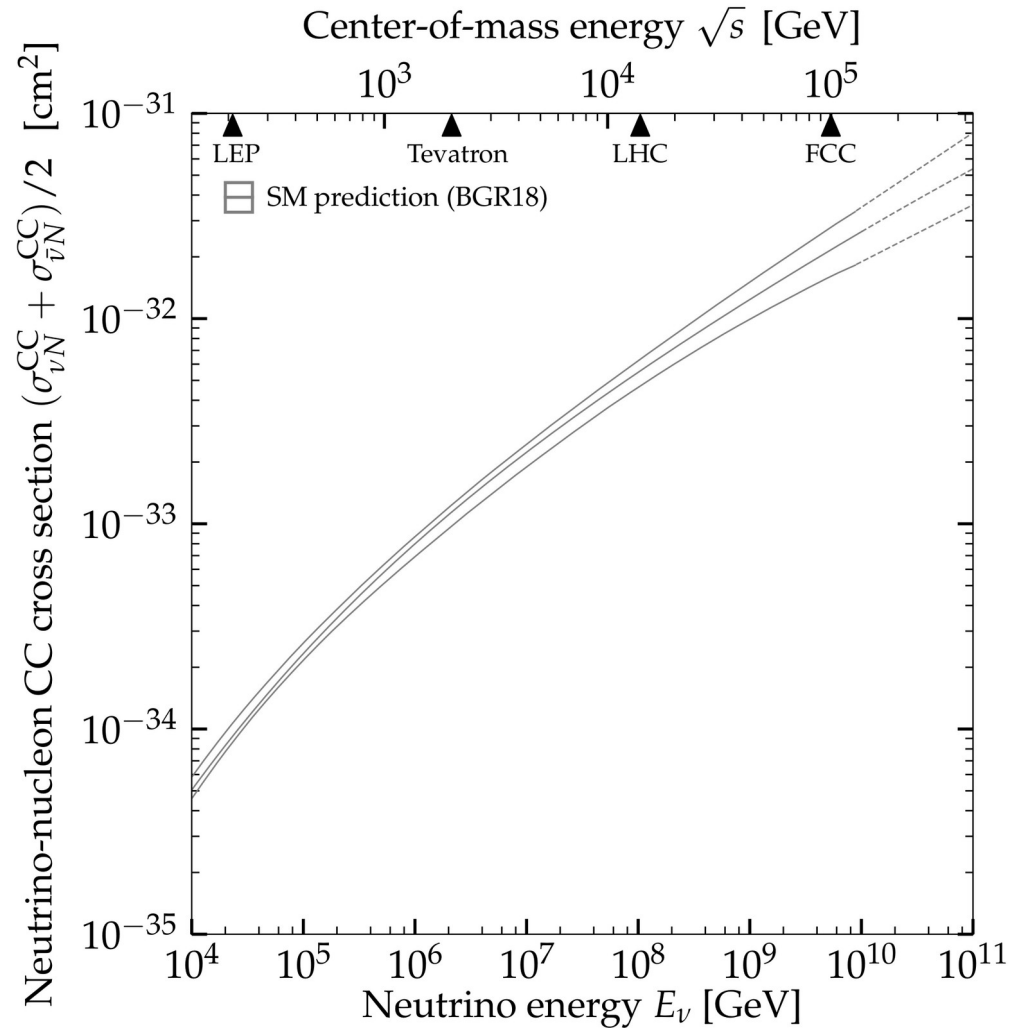


Work in progress, stay tuned ...

III.

Measuring the UHE νN cross section

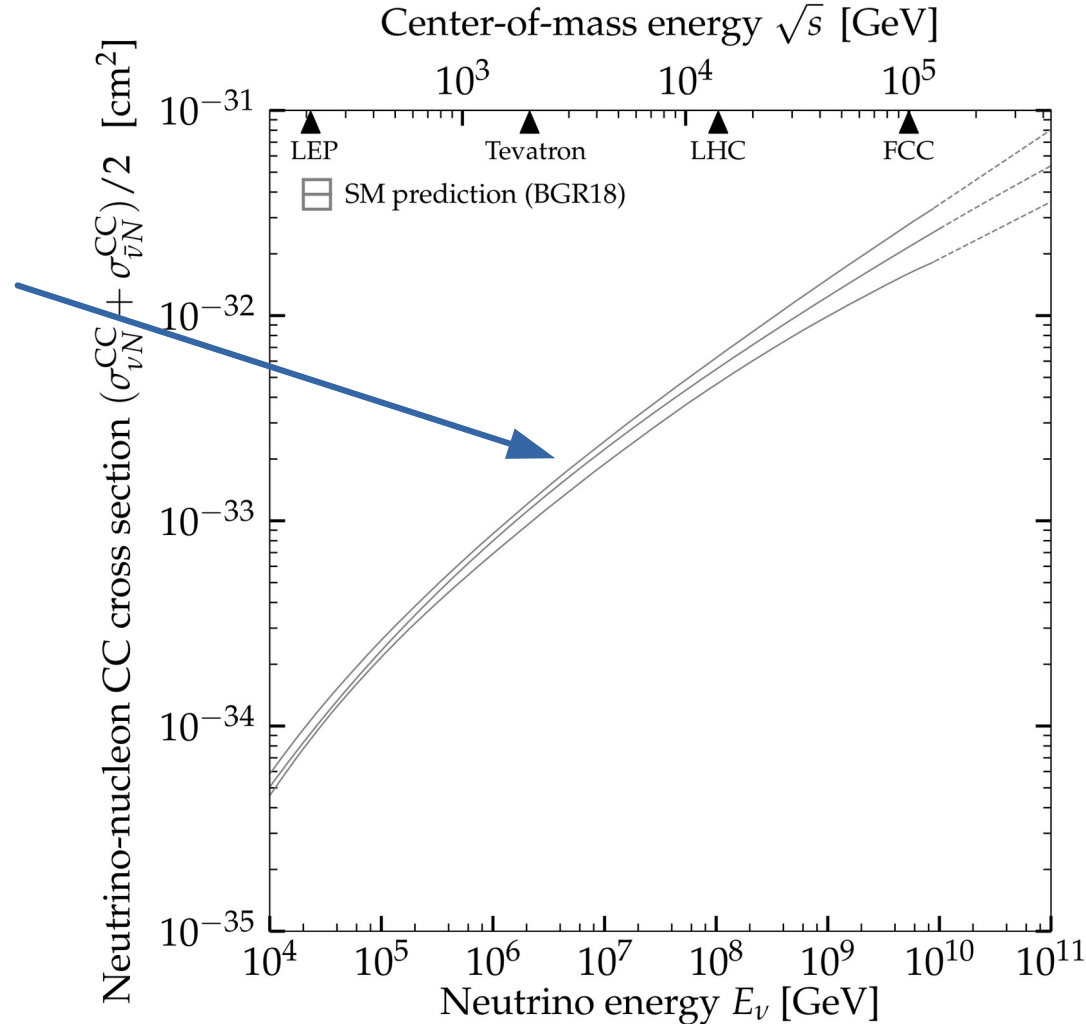
High-energy νN cross section: *prediction*



High-energy νN cross section: *prediction*

Softer-than-linear
dependence on E_ν
due to the W pole

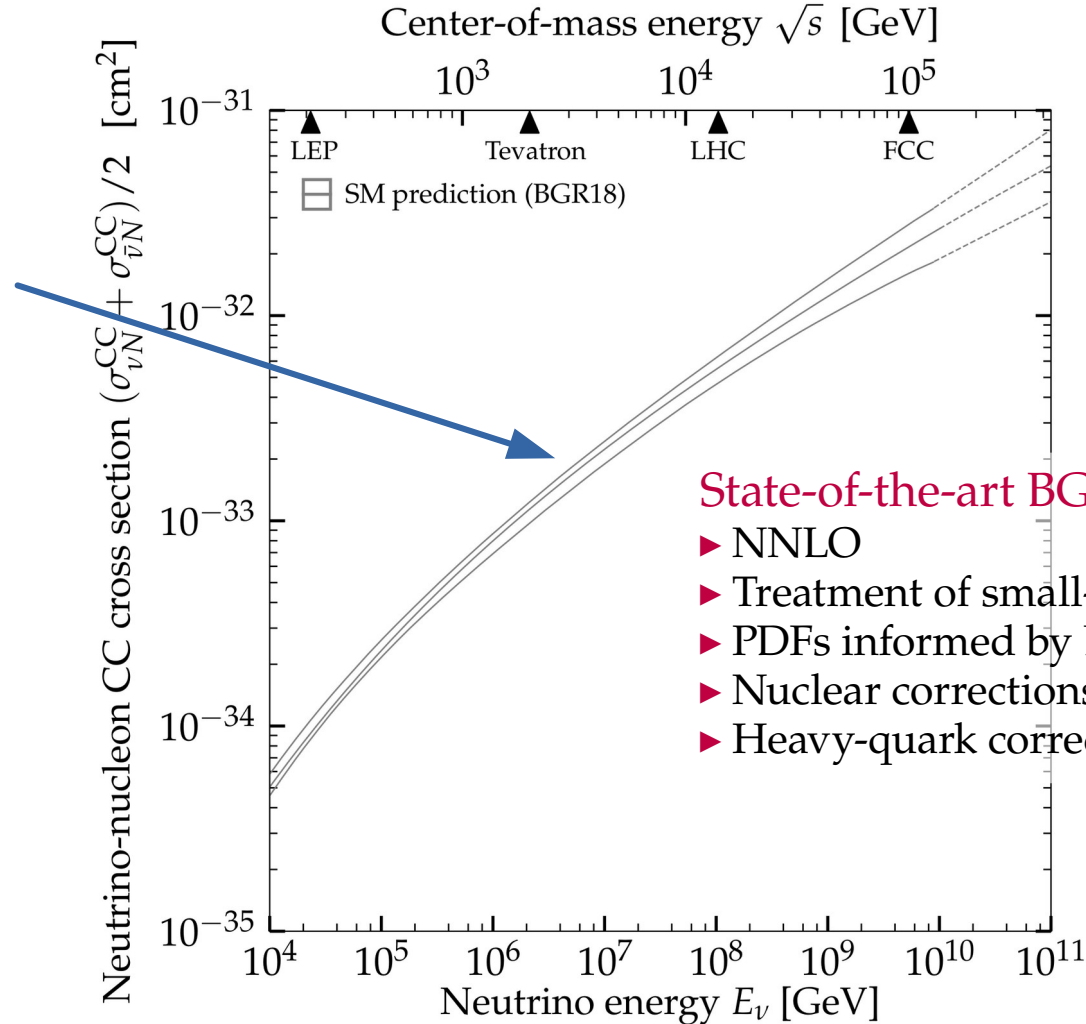
Uncertainty from
extrapolating parton
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 $x \sim m_W/E_\nu \sim 10^{-6}$



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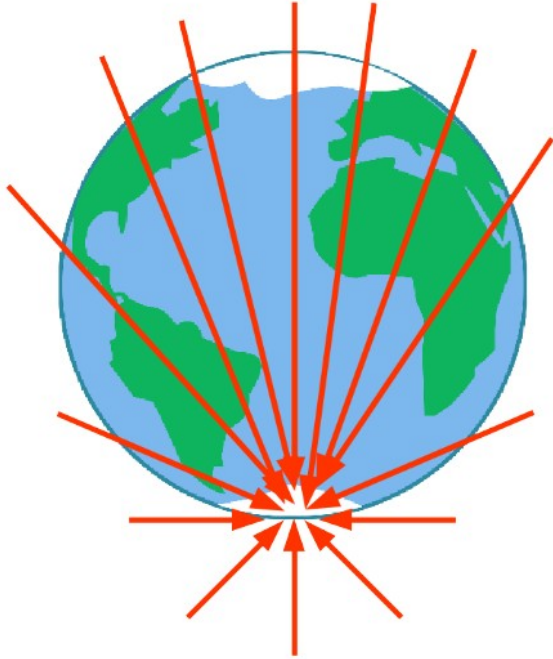


State-of-the-art BGR18 prediction:

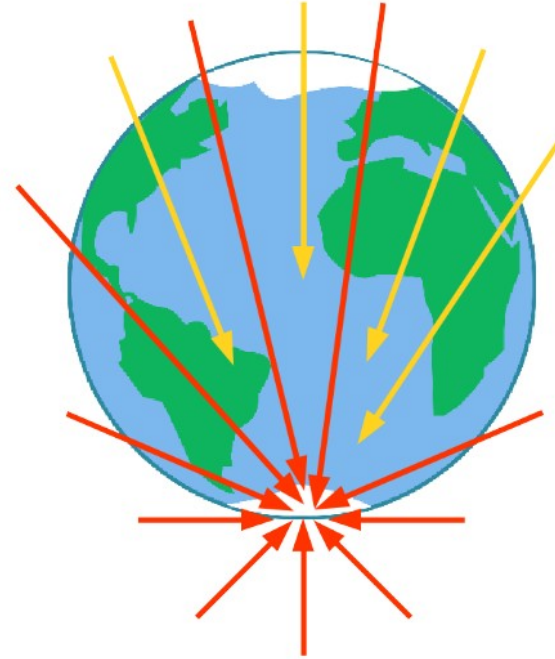
- ▶ NNLO
- ▶ Treatment of small- x effects
- ▶ PDFs informed by LHCb D -meson data
- ▶ Nuclear corrections
- ▶ Heavy-quark corrections

Measuring the high-energy νN cross section

Below ~ 10 TeV: Earth is transparent

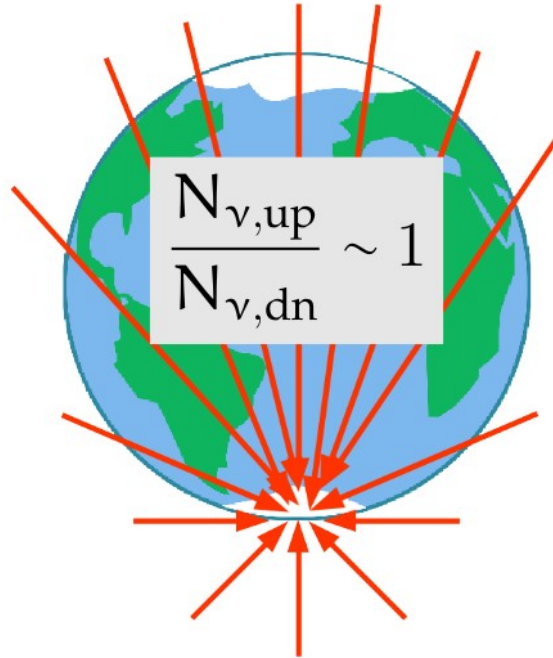


Above ~ 10 TeV: Earth is opaque

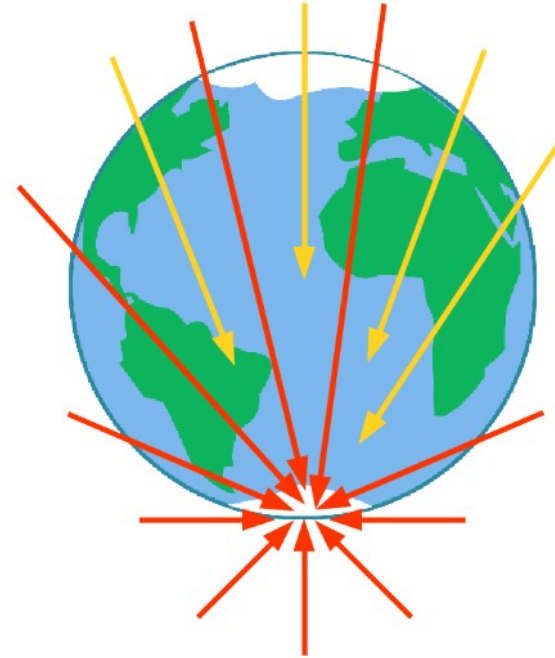


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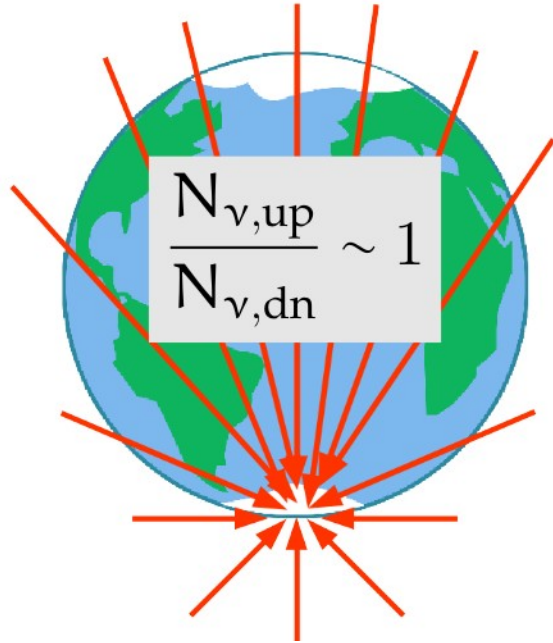


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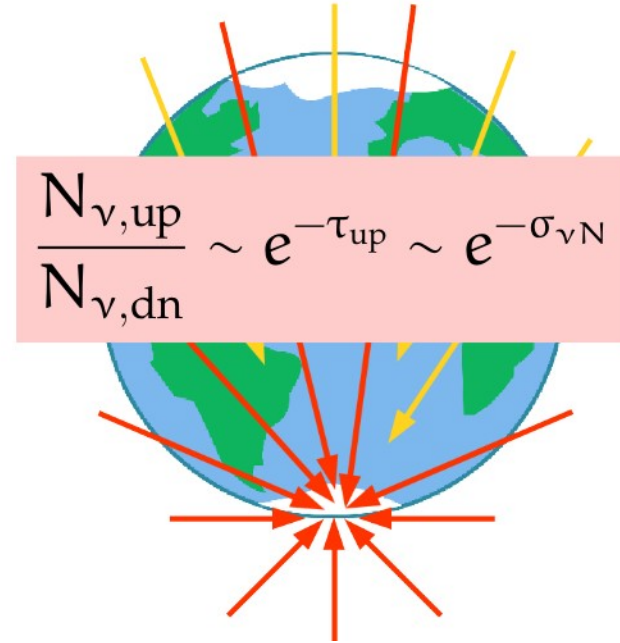


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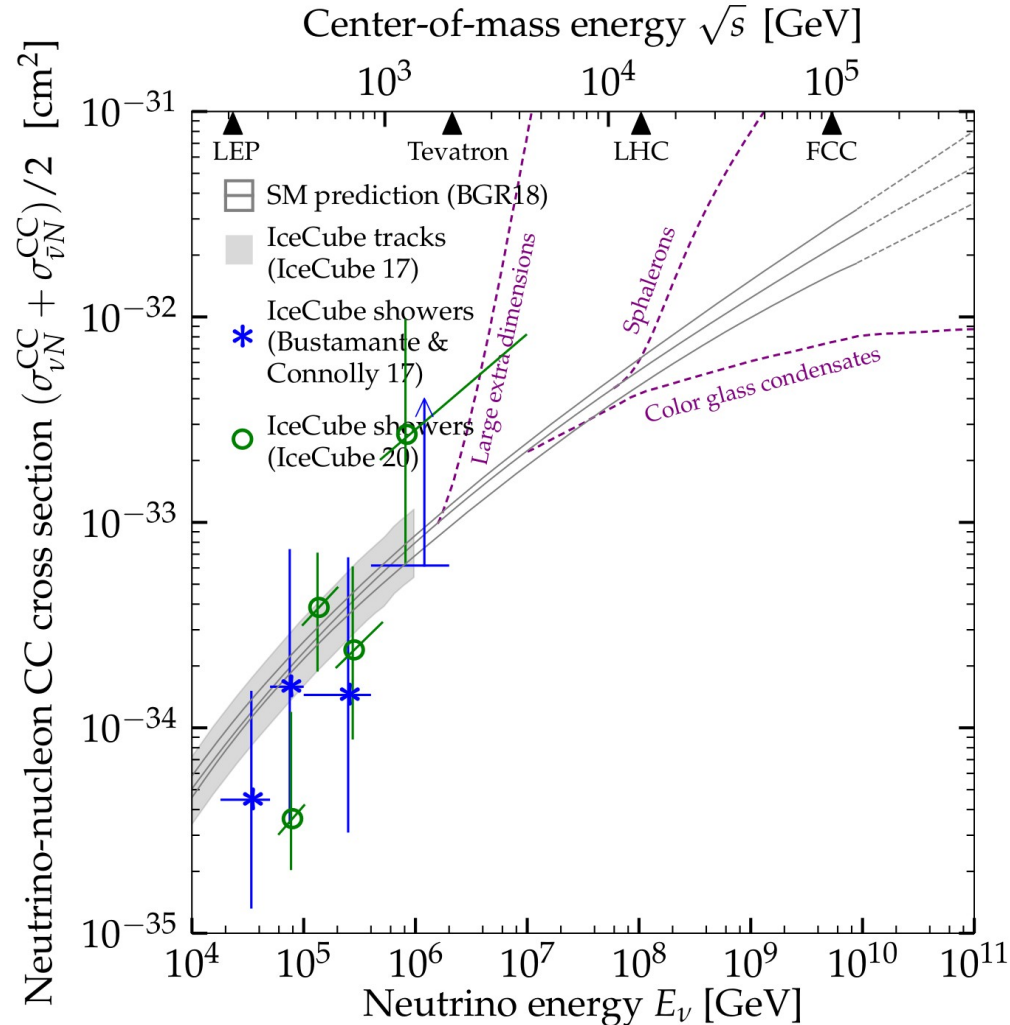
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High-energy νN cross section: *today*

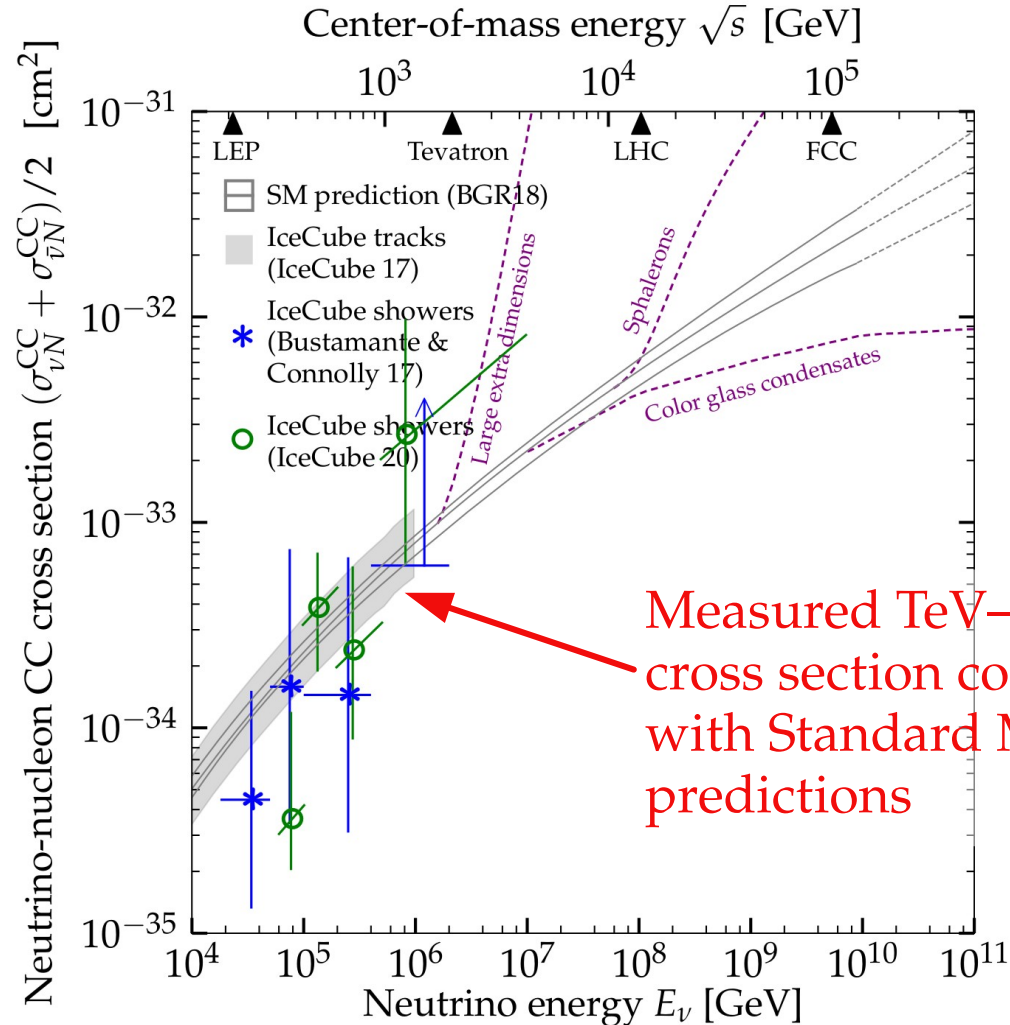


BGR18 prediction from:
Bertone, Gaud, Rojo, *JHEP* 2019

See also:
García, Gaud, Heijboer, Rojo, *JCAP* 2020

Measurements from:
IceCube, 2011.03560
MB & Connolly, *PRL* 2019
IceCube, *Nature* 2017

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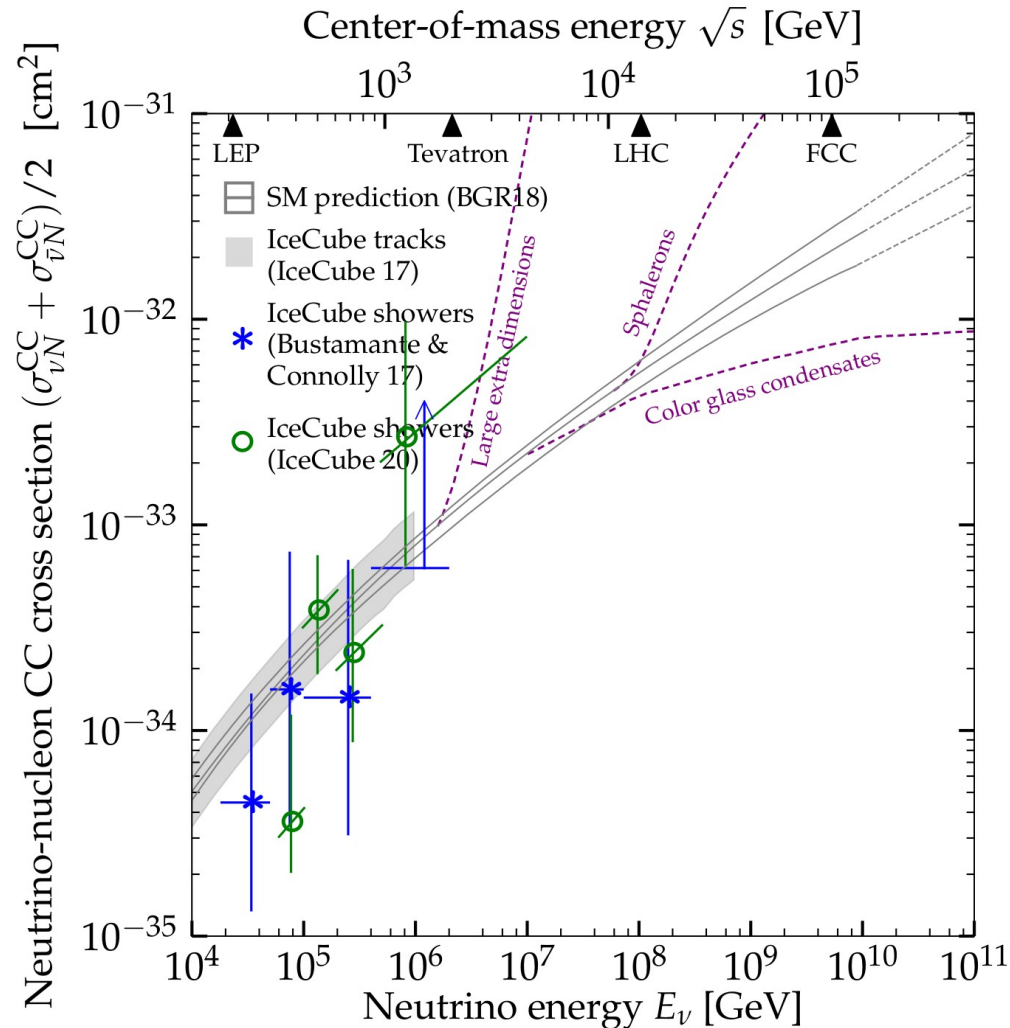


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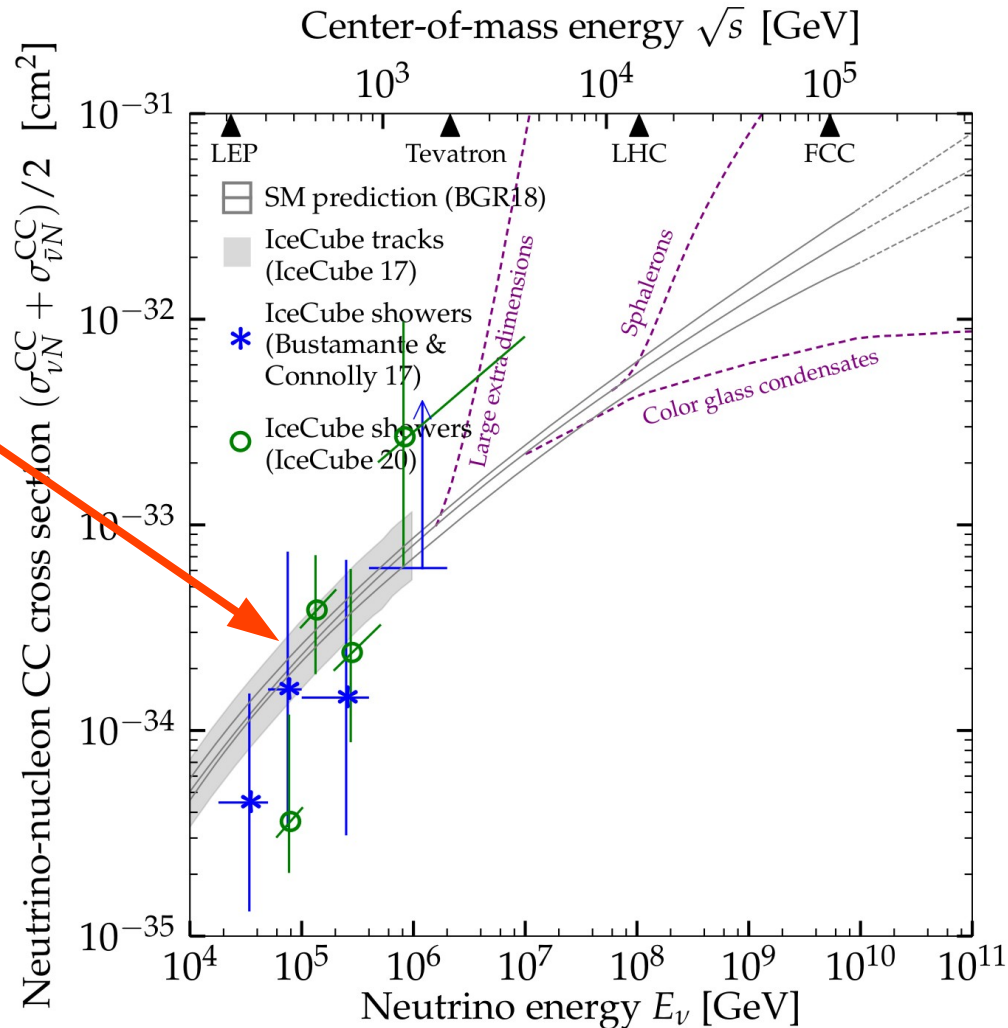
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High-energy νN cross section: *today*

Measured:
TeV – PeV
cross section



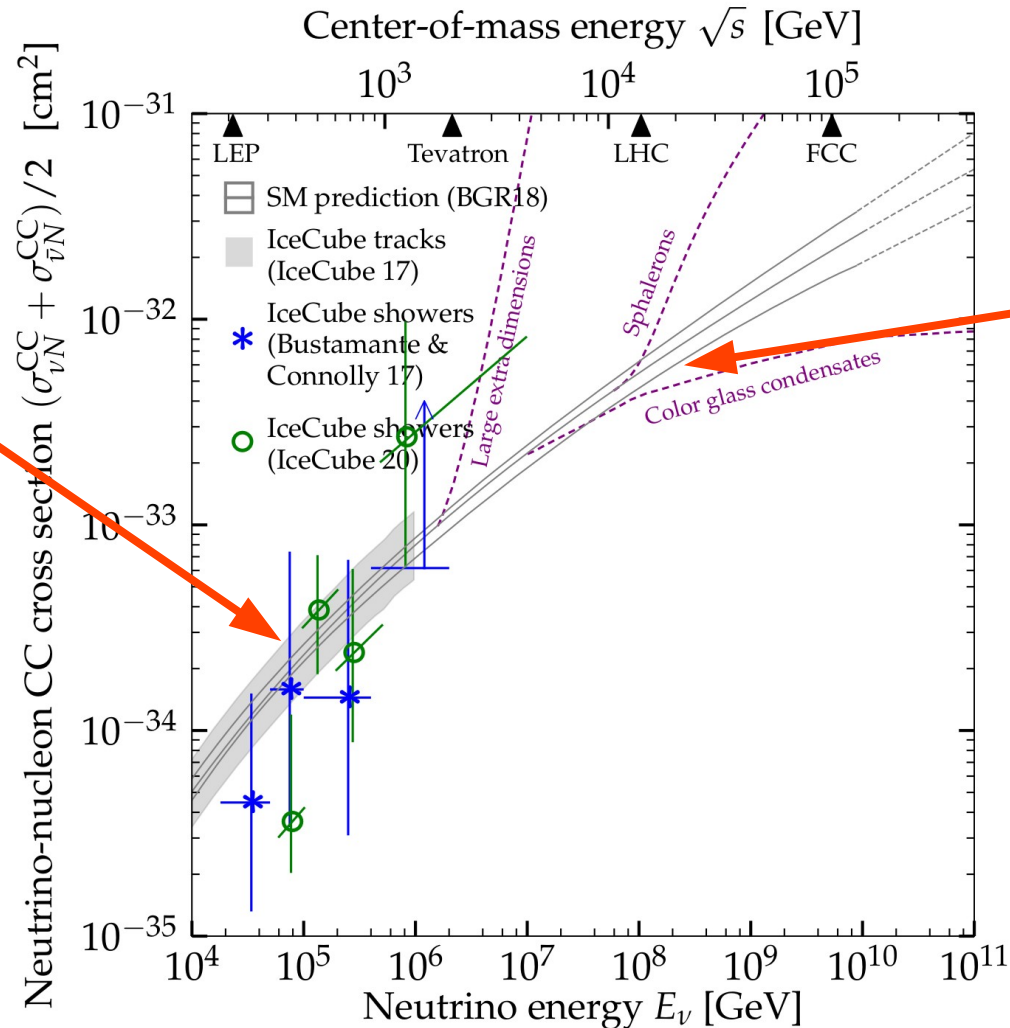
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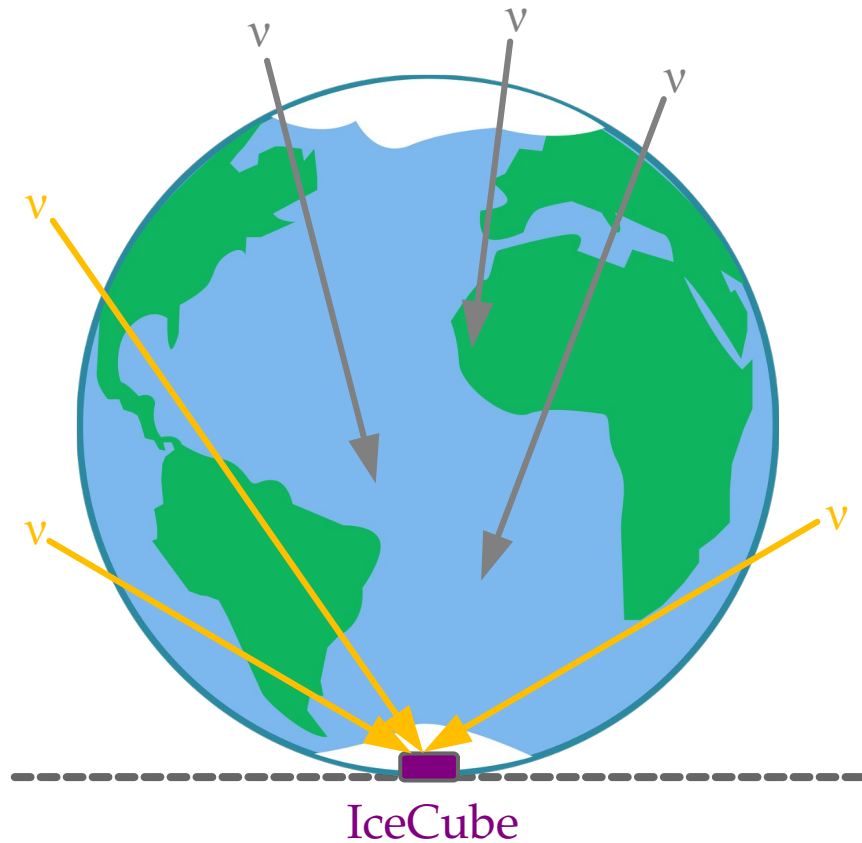
Not measured:
> 10-PeV
cross section

BGR18 prediction from:
[Bertone, Gauld, Rojo, JHEP 2019](#)

See also:
[García, Gauld, Heijboer, Rojo, JCAP 2020](#)

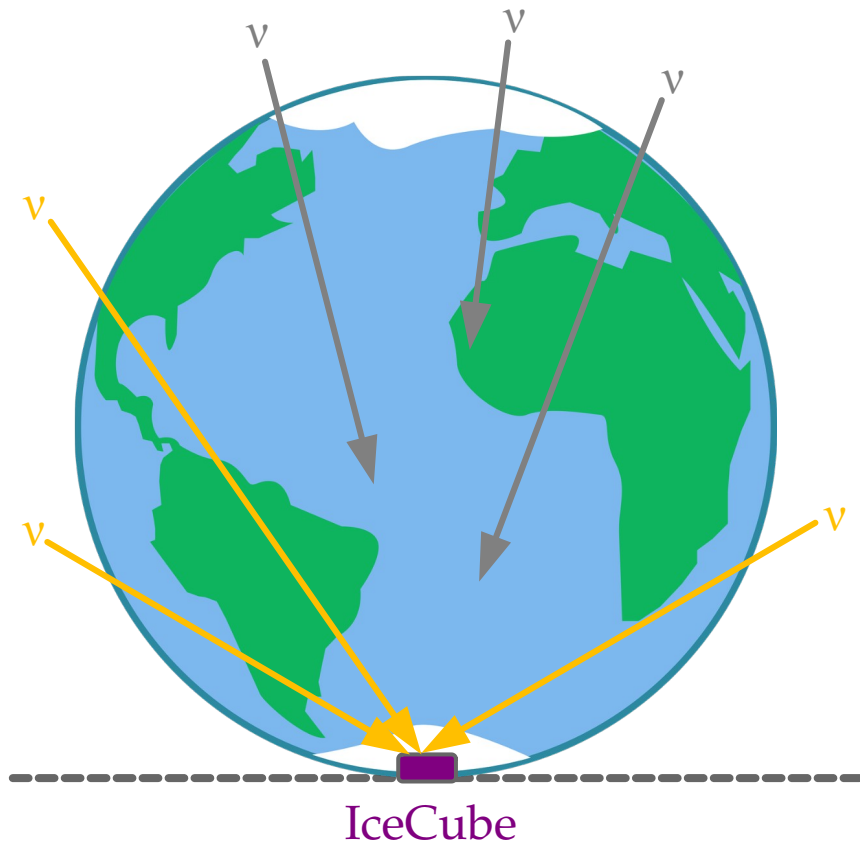
Measurements from:
[IceCube, 2011.03560](#)
[MB & Connolly, PRL 2019](#)
[IceCube, Nature 2017](#)

TeV–PeV:



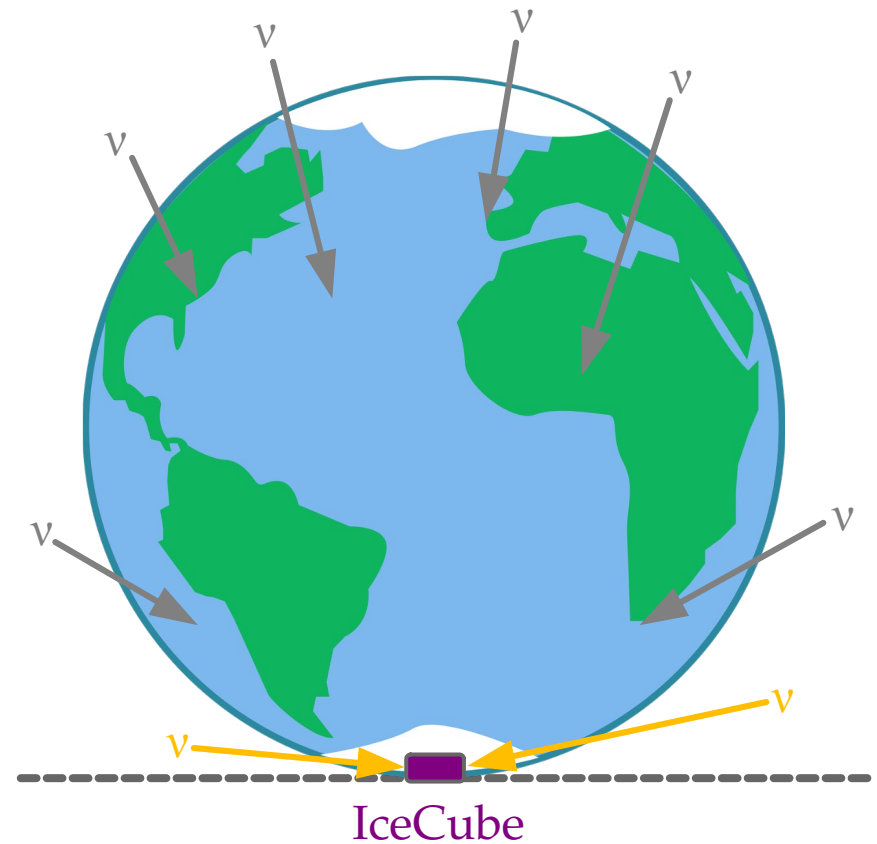
Earth is *almost fully* opaque,
some upgoing ν still make it through

TeV–PeV:



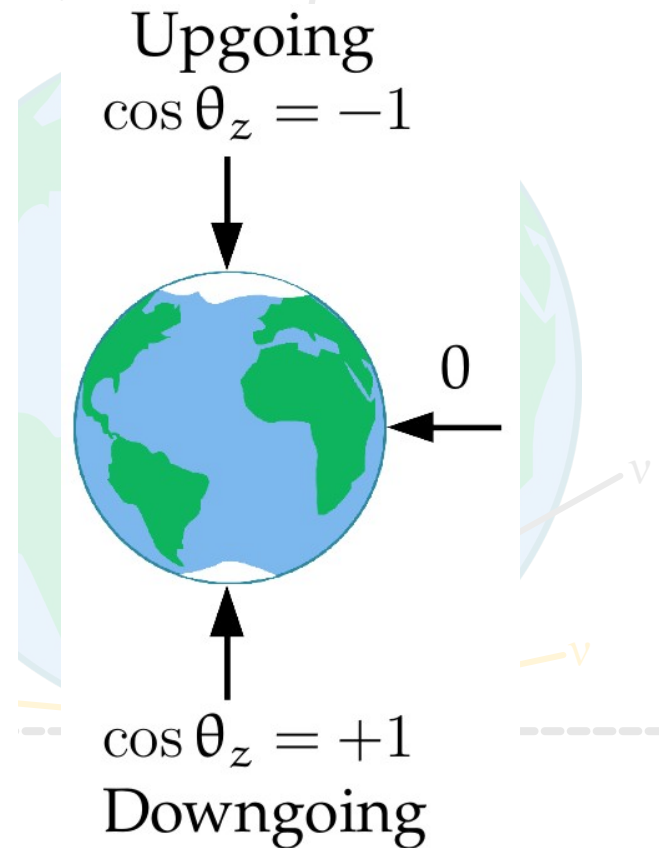
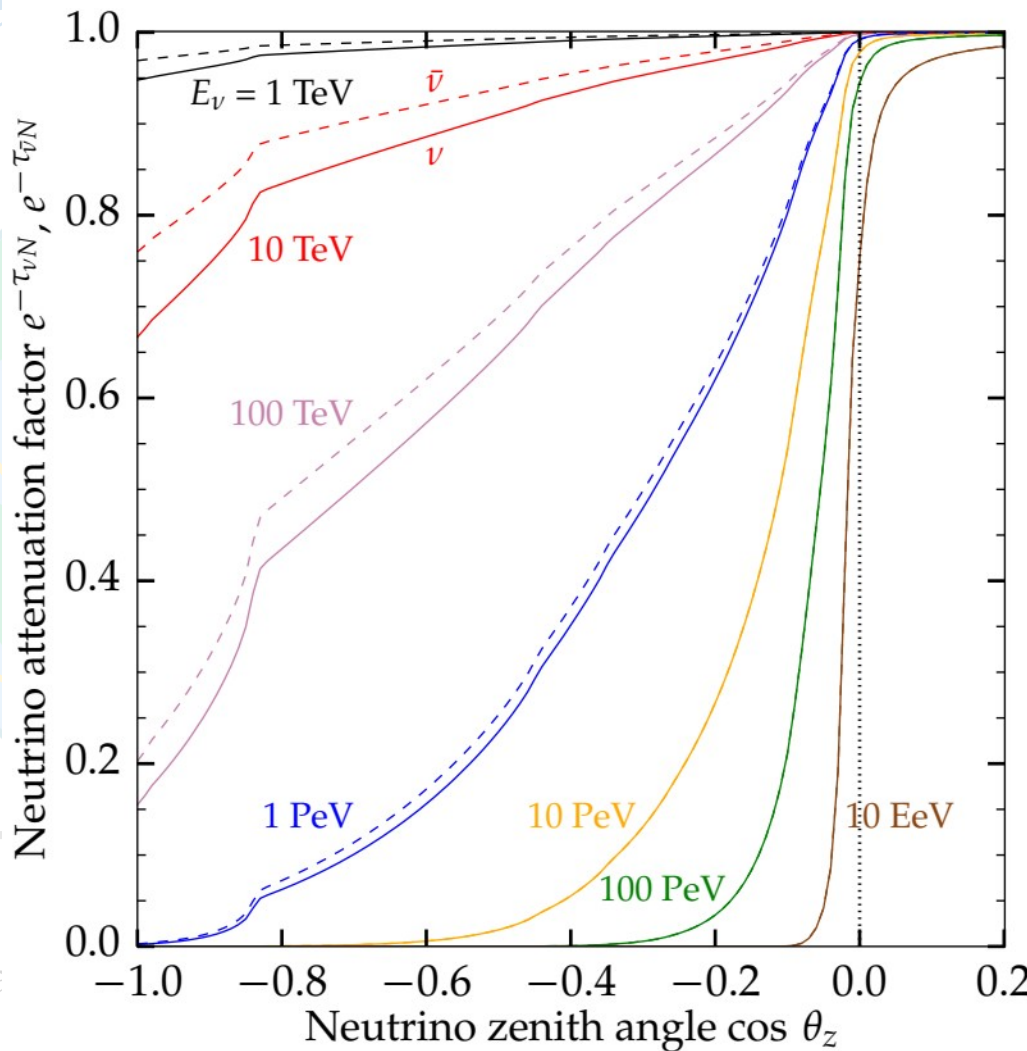
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> 100 PeV:



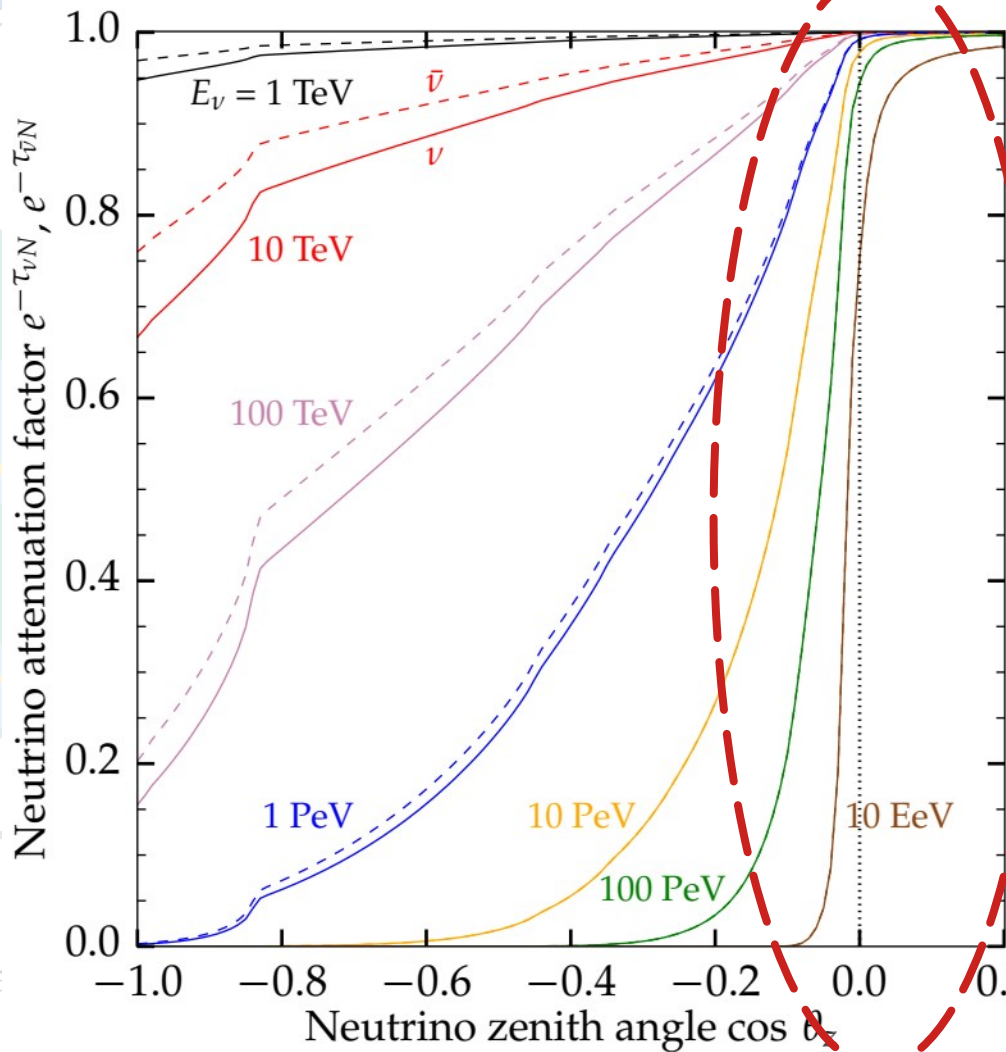
Earth is *completely* opaque,
but horizontal ν still make it through

TeV–PeV

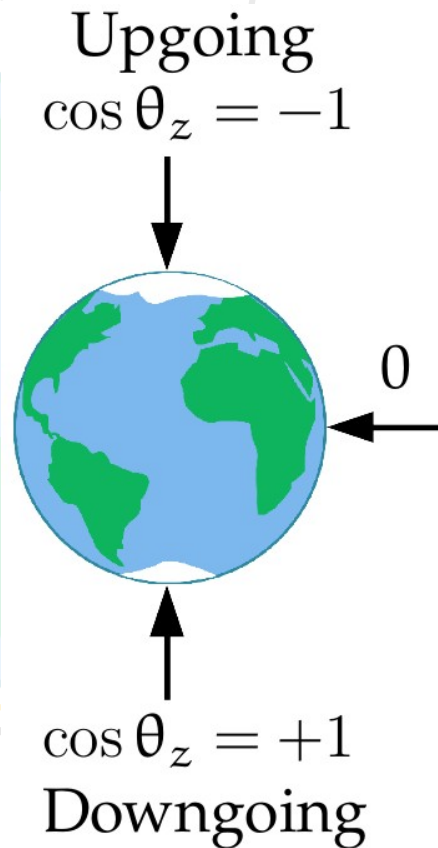


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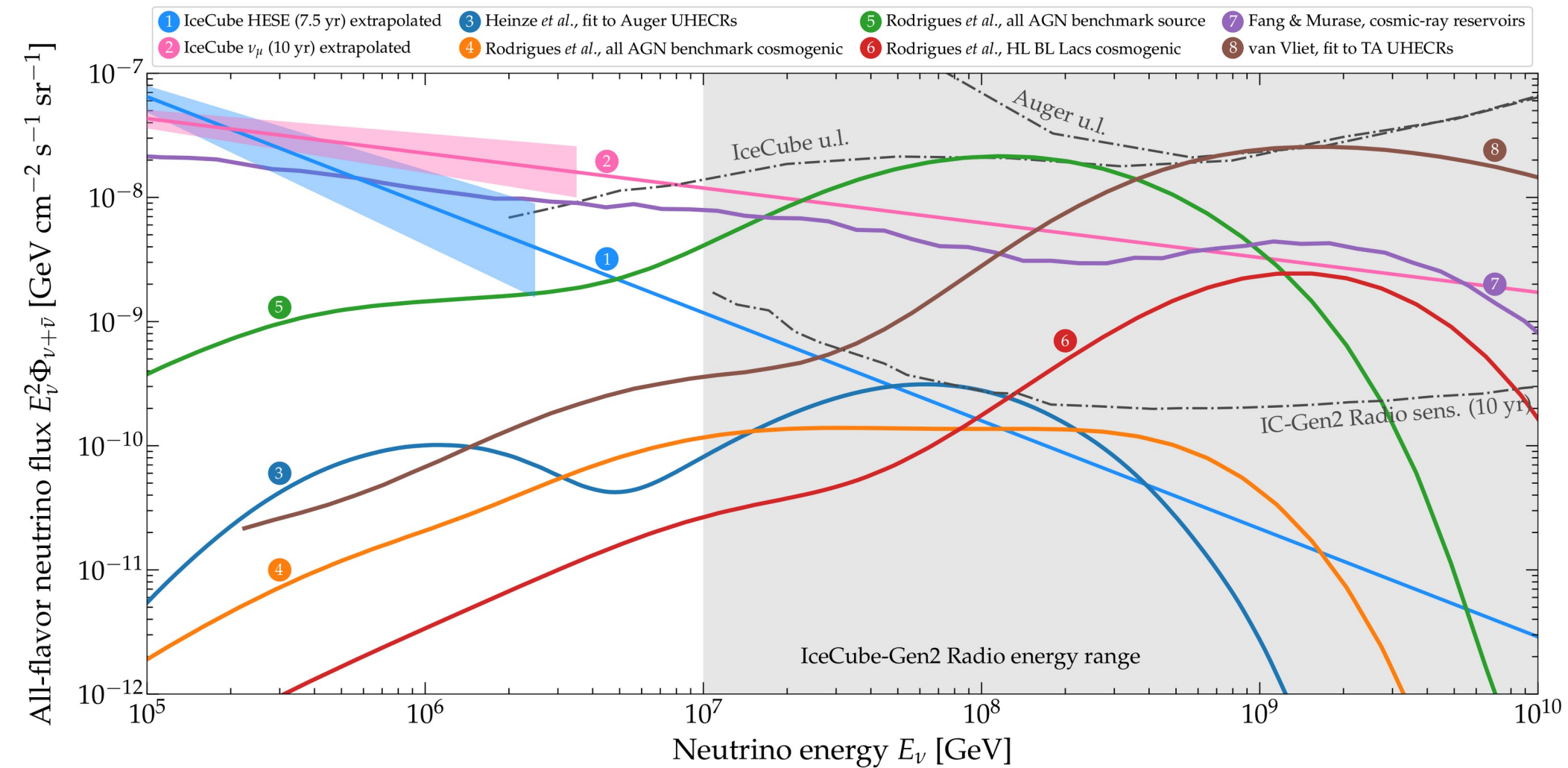
TeV–PeV



At UHE, we can only extract the cross section using horizontal ν



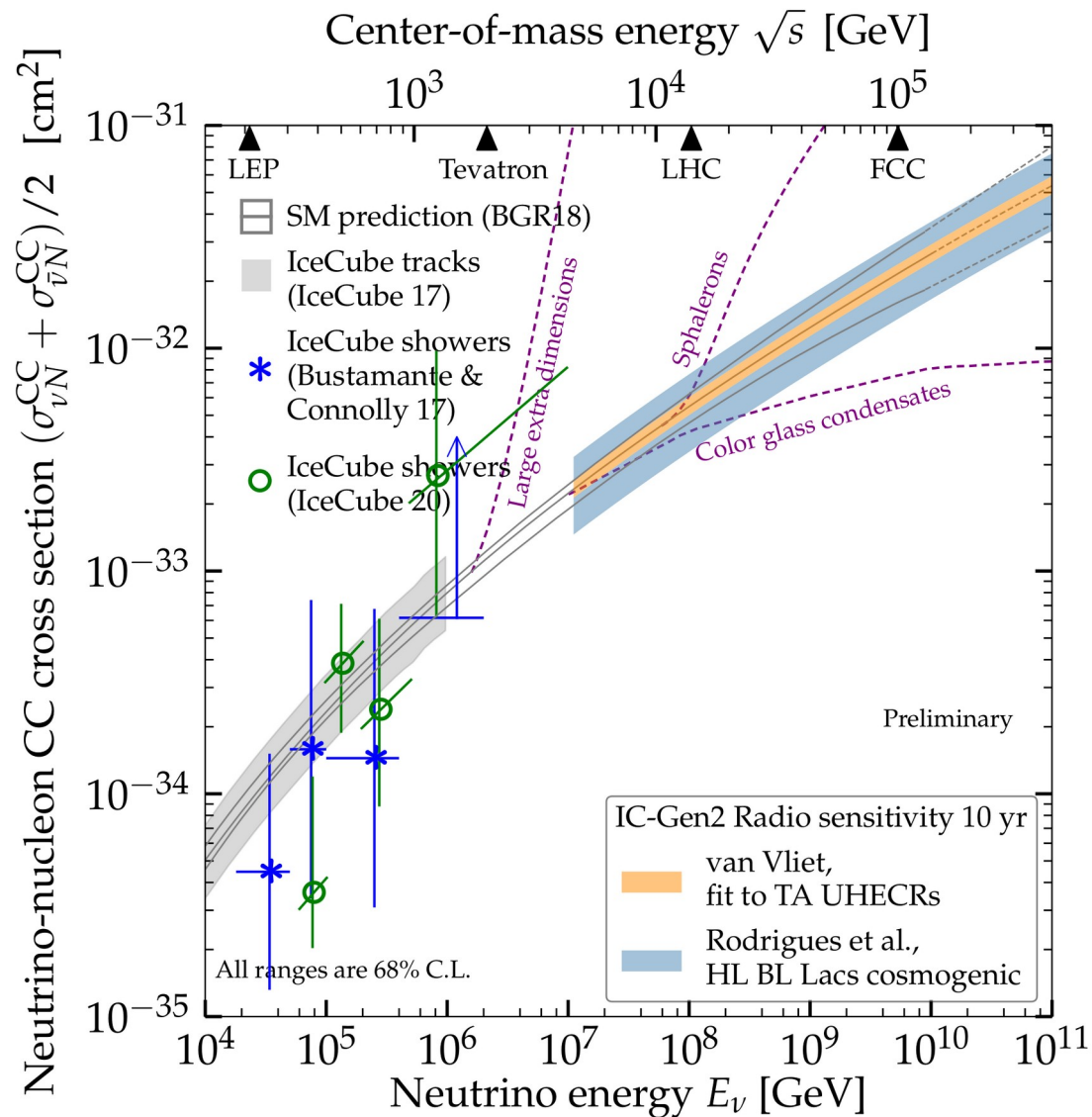
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After 10 years of IceCube-Gen2 Radio (~2040):

(If the UHE ν fluxes are high)

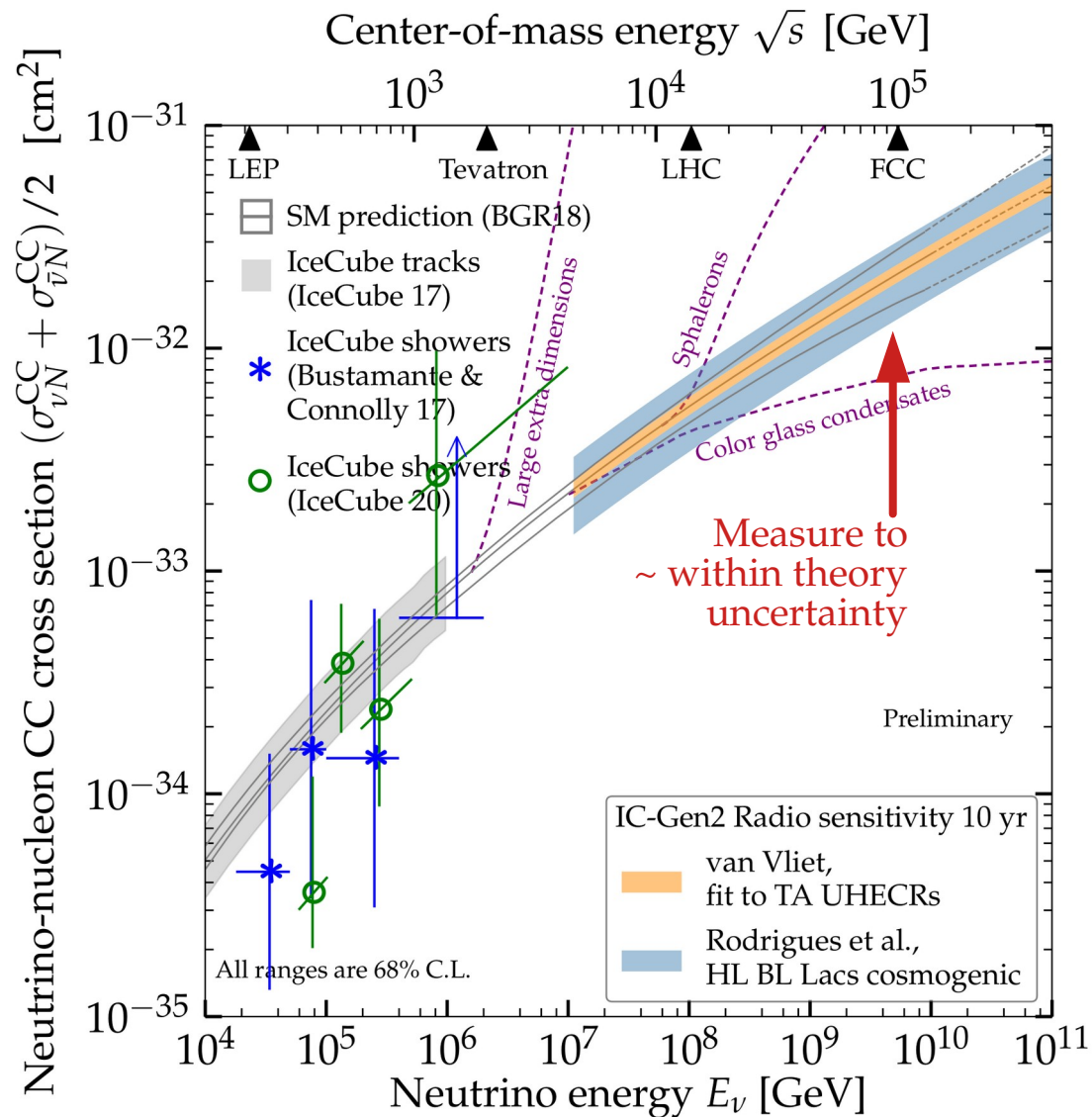
Valera, MB, Glaser, *In preparation*



After 10 years of IceCube-Gen2 Radio (~2040):

(If the UHE ν fluxes are high)

Valera, MB, Glaser, *In preparation*

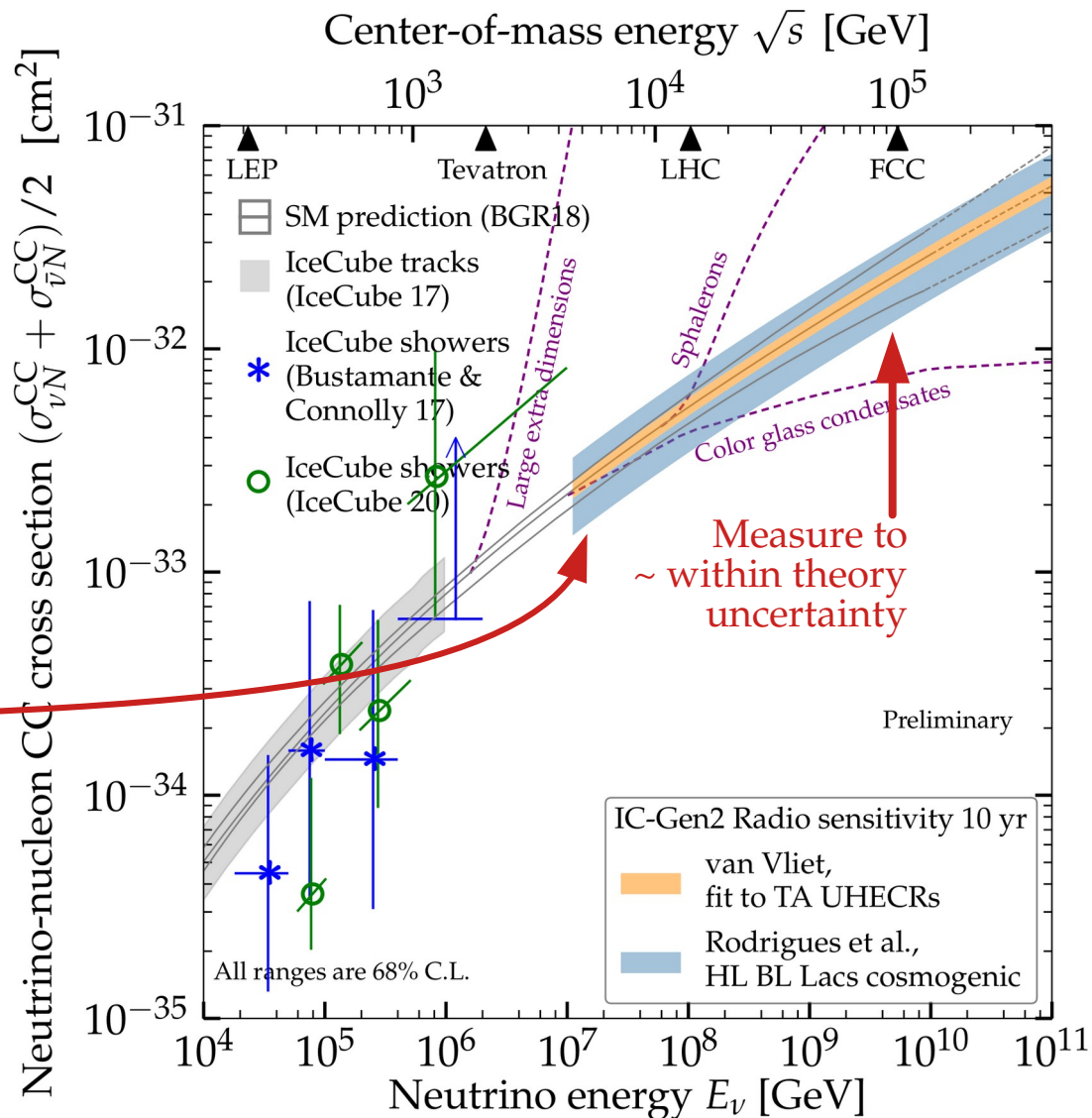


After 10 years of IceCube-Gen2 Radio (~2040): (If the UHE ν fluxes are high)

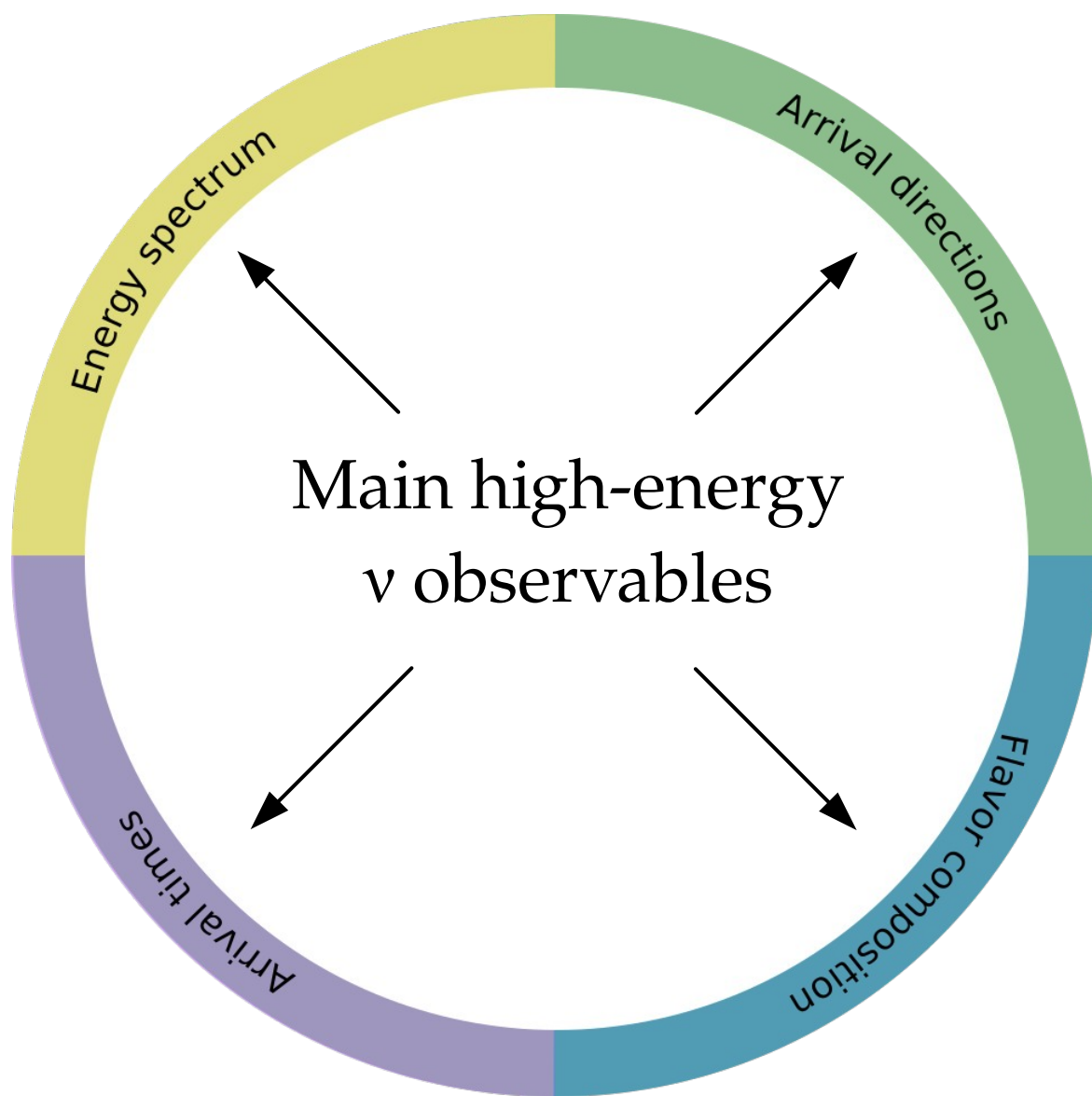
Valera, MB, Glaser, In preparation



Work led by
Víctor Valera



IV.
Testing other
UHE ν BSM models

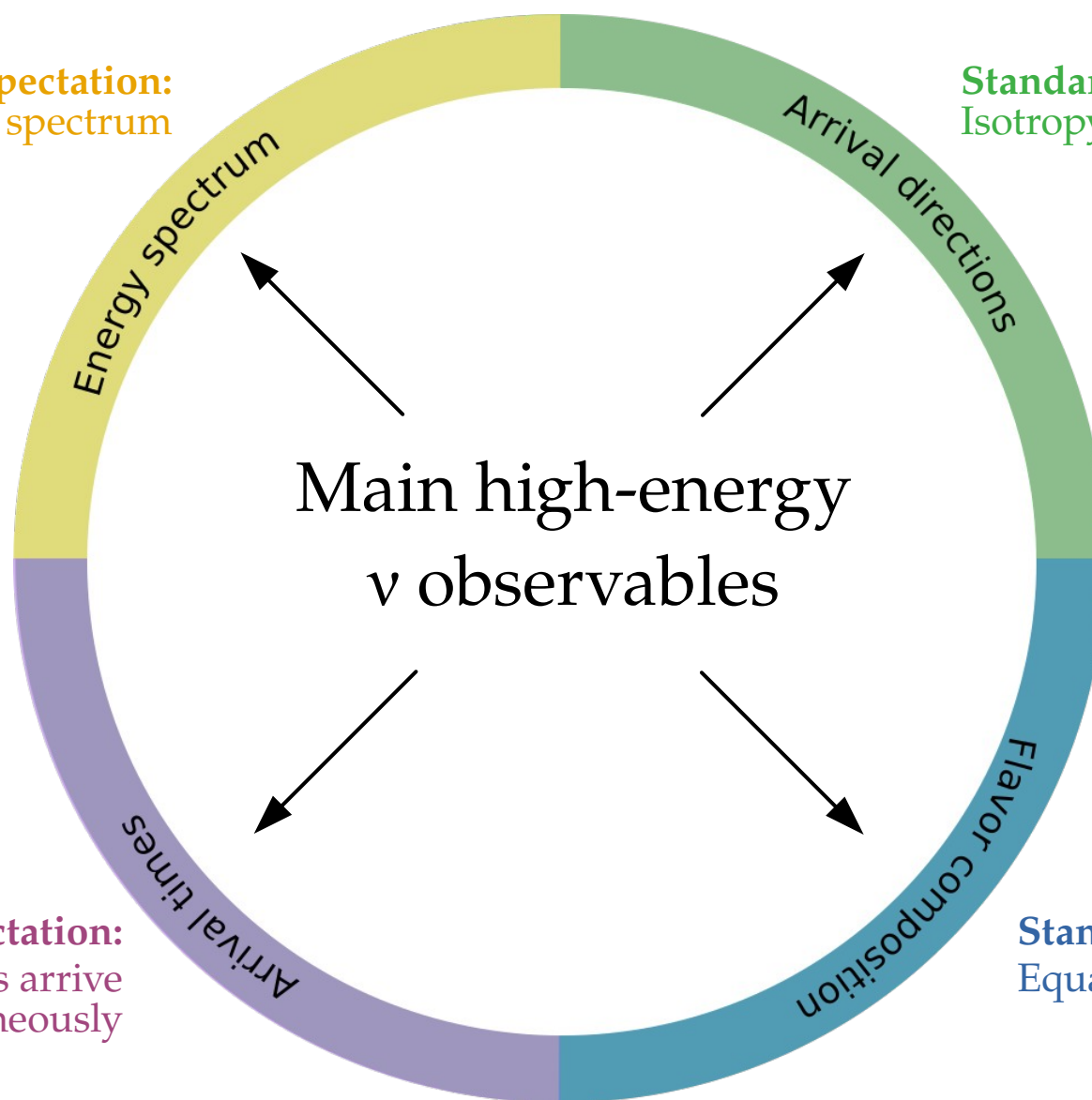


Standard expectation:
Power-law energy spectrum

Standard expectation:
Isotropy (for diffuse flux)

Standard expectation:
 ν and γ from transients arrive
simultaneously

Standard expectation:
Equal number of ν_e , ν_μ , ν_τ

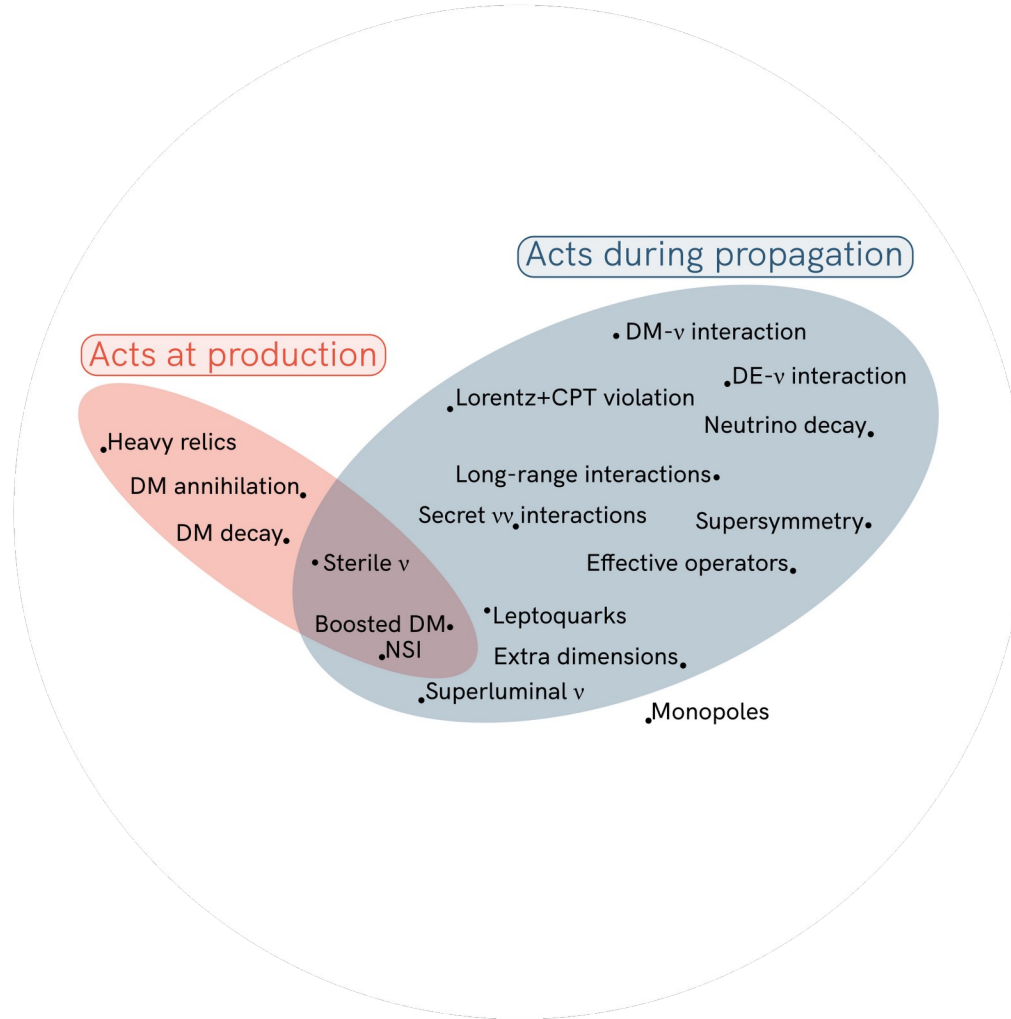




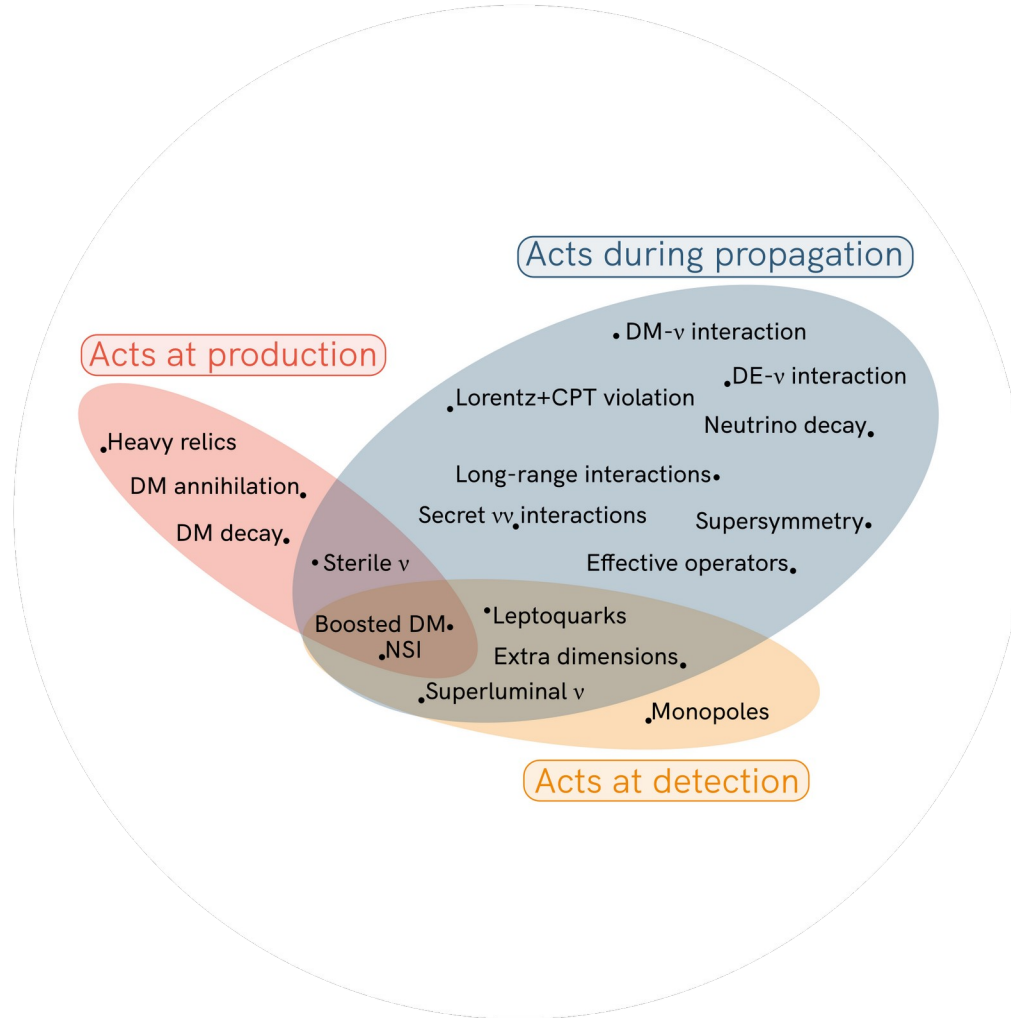
Note: Not an exhaustive list



Note: Not an exhaustive list



Note: Not an exhaustive list



Note: Not an exhaustive list

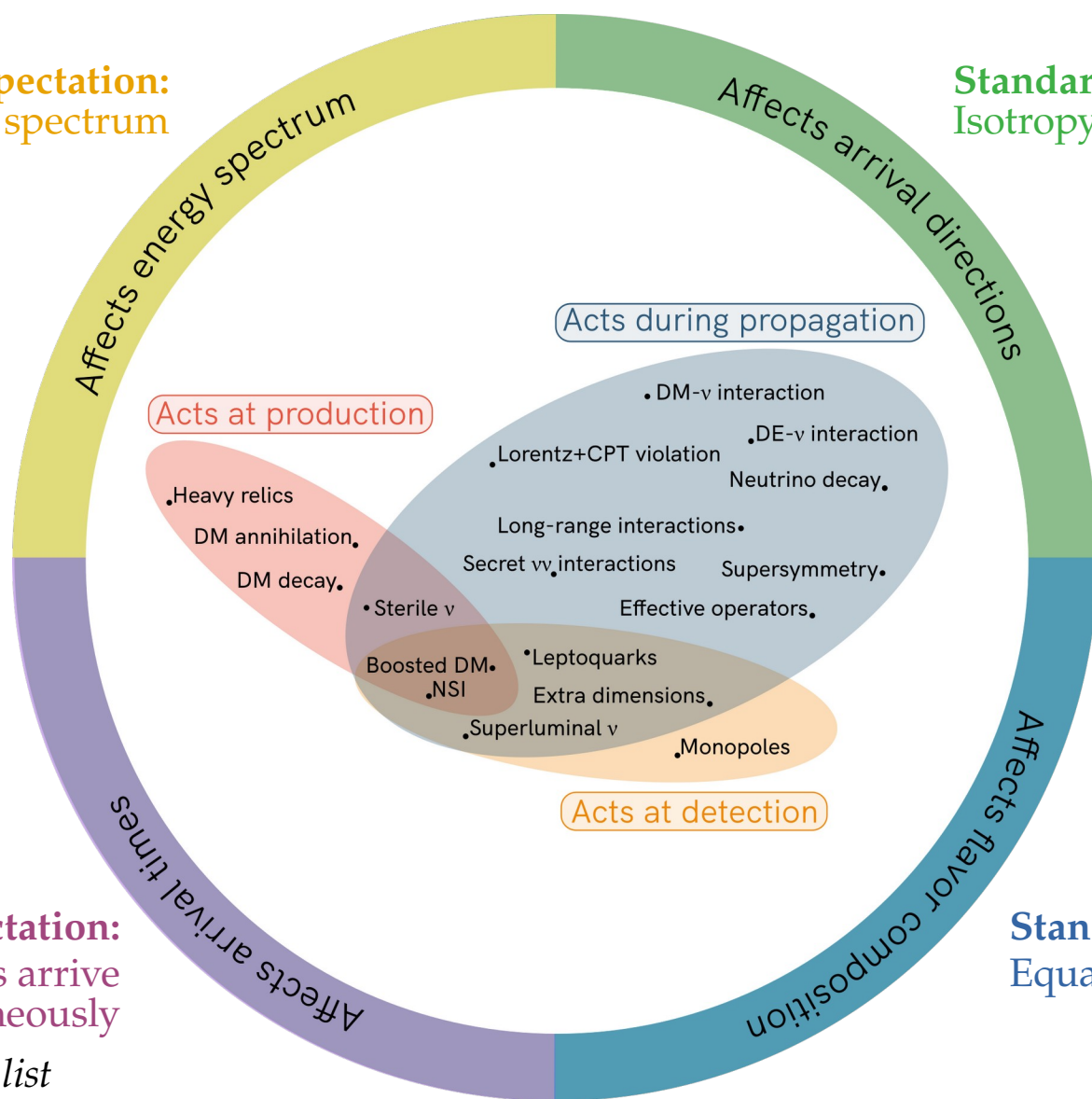
Standard expectation:
Power-law energy spectrum

Standard expectation:
Isotropy (for diffuse flux)

Standard expectation:
 ν and γ from transients arrive
simultaneously

Standard expectation:
Equal number of ν_e , ν_μ , ν_τ

Note: Not an exhaustive list



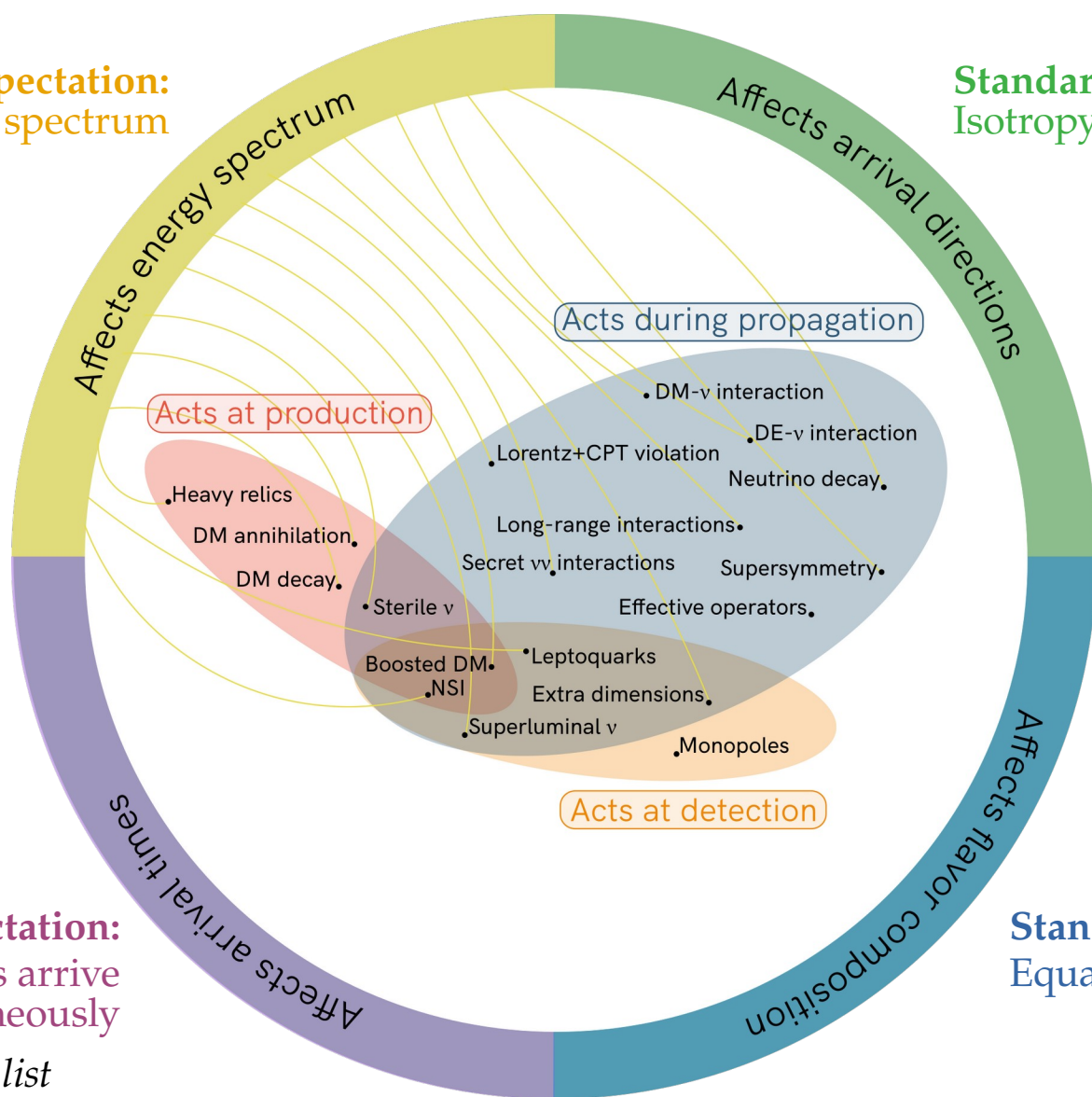
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Standard expectation:
Isotropy (for diffuse flux)

Standard expectation:
 ν and γ from transients arrive
simultaneously

Standard expectation:
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Note: Not an exhaustive list



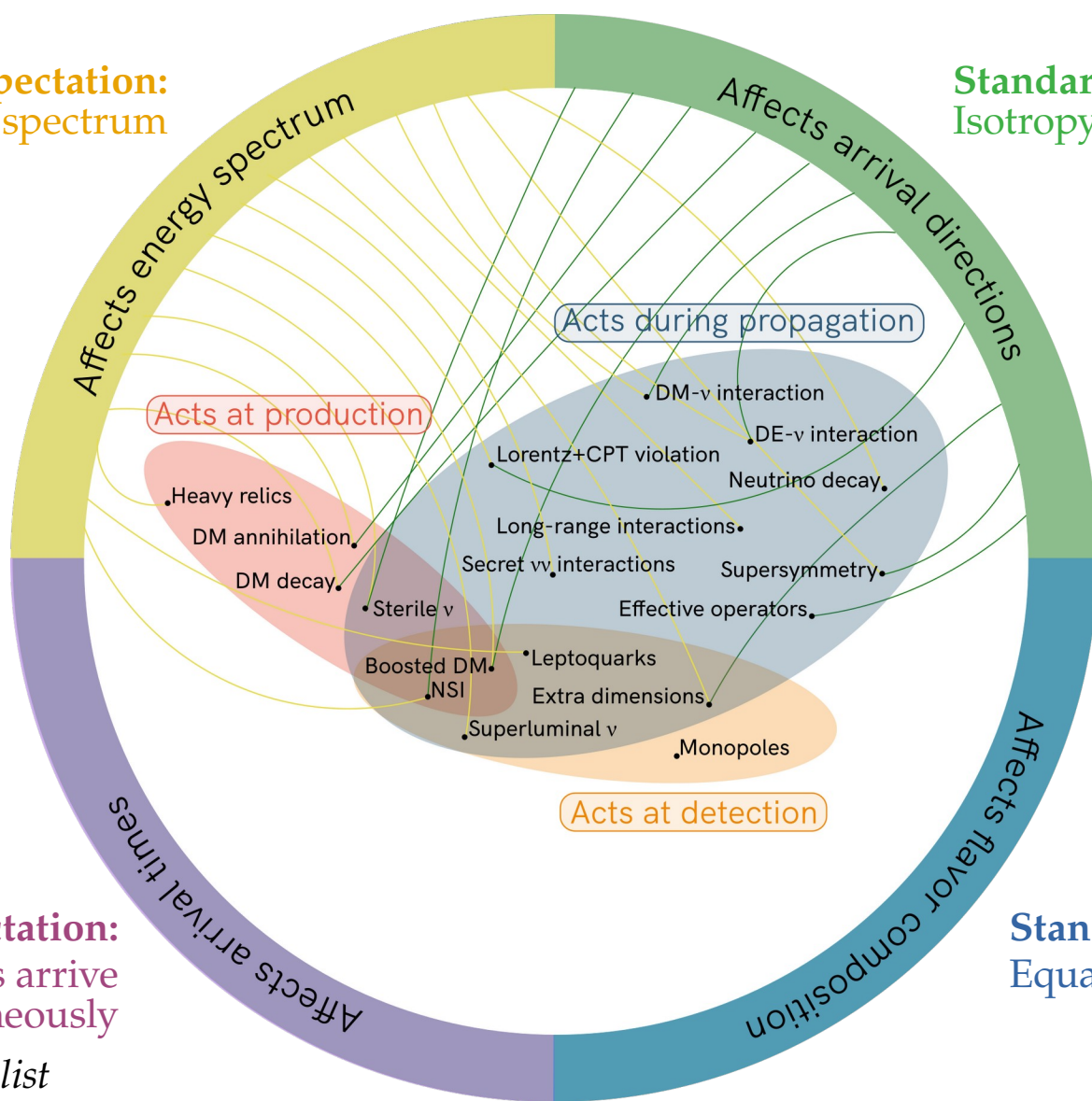
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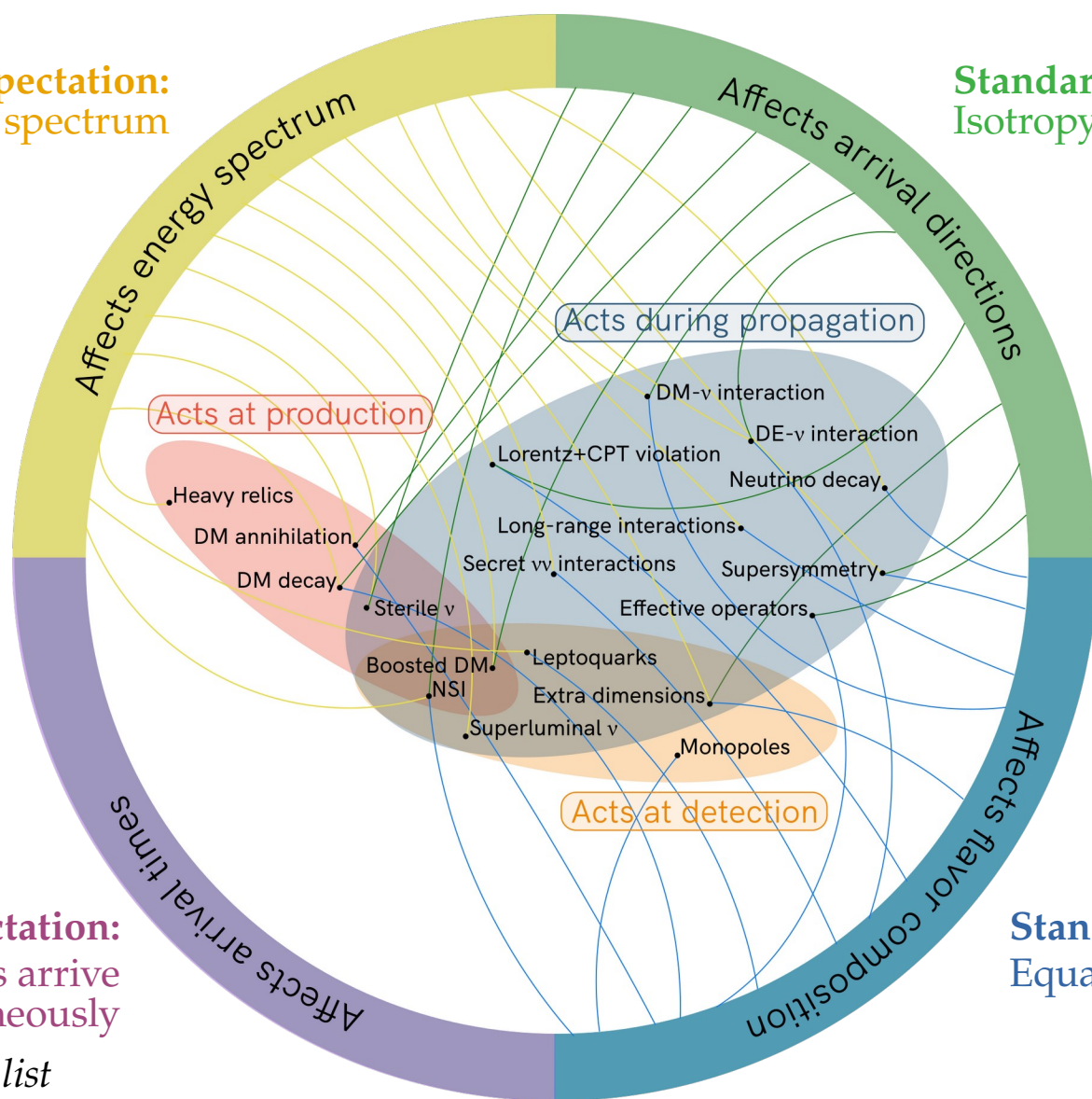
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Note: Not an exhaustive list



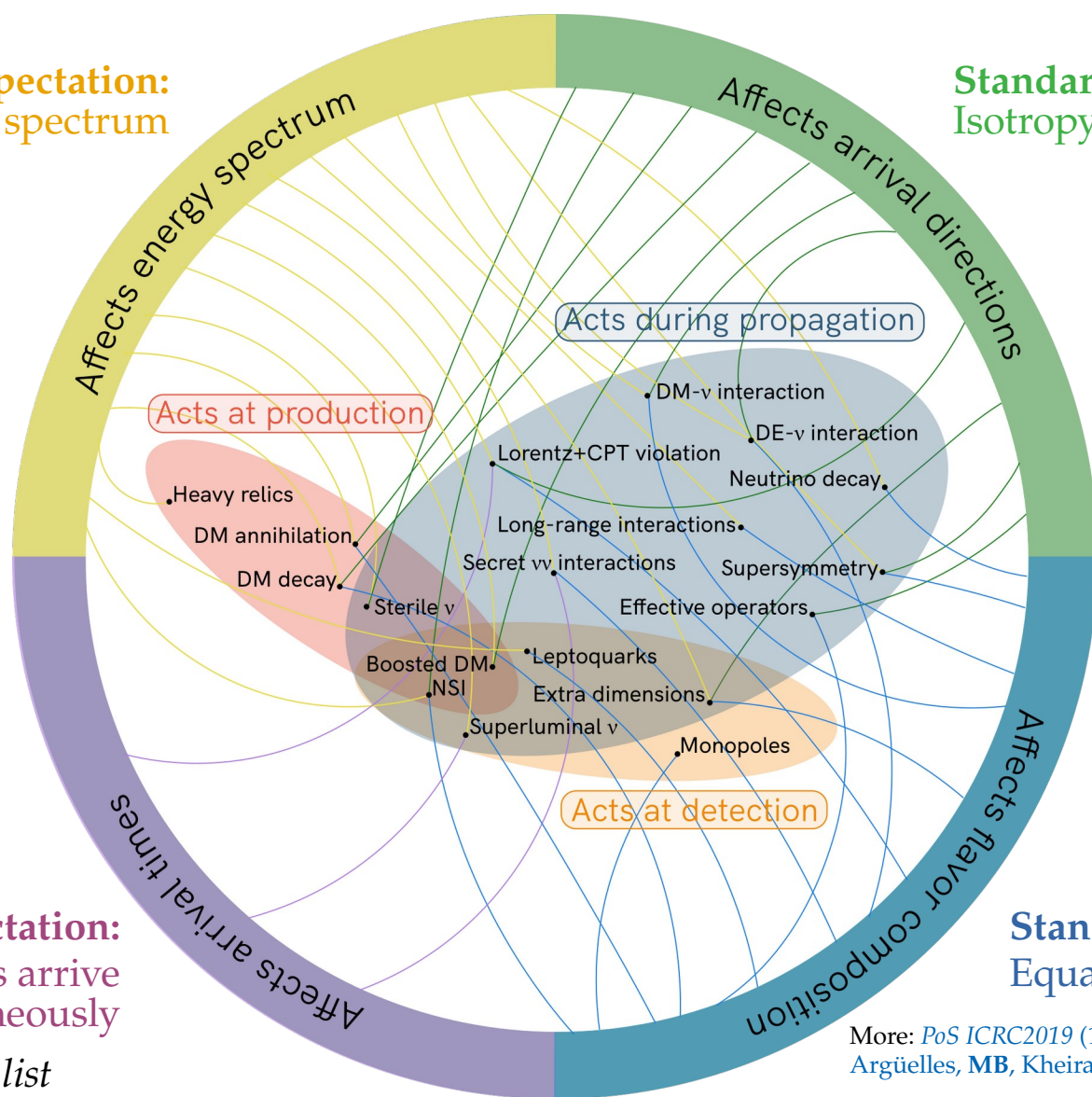
Standard expectation:
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Standard expectation:
Isotropy (for diffuse flux)

Standard expectation:
 ν and γ from transients arrive
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Standard expectation:
Equal number of ν_e , ν_μ , ν_τ

Note: Not an exhaustive list



More: *PoS ICRC2019* (1907.08690)

Argüelles, MB, Kheirandish, Palomares-Ruiz, Salvadó, Vincent

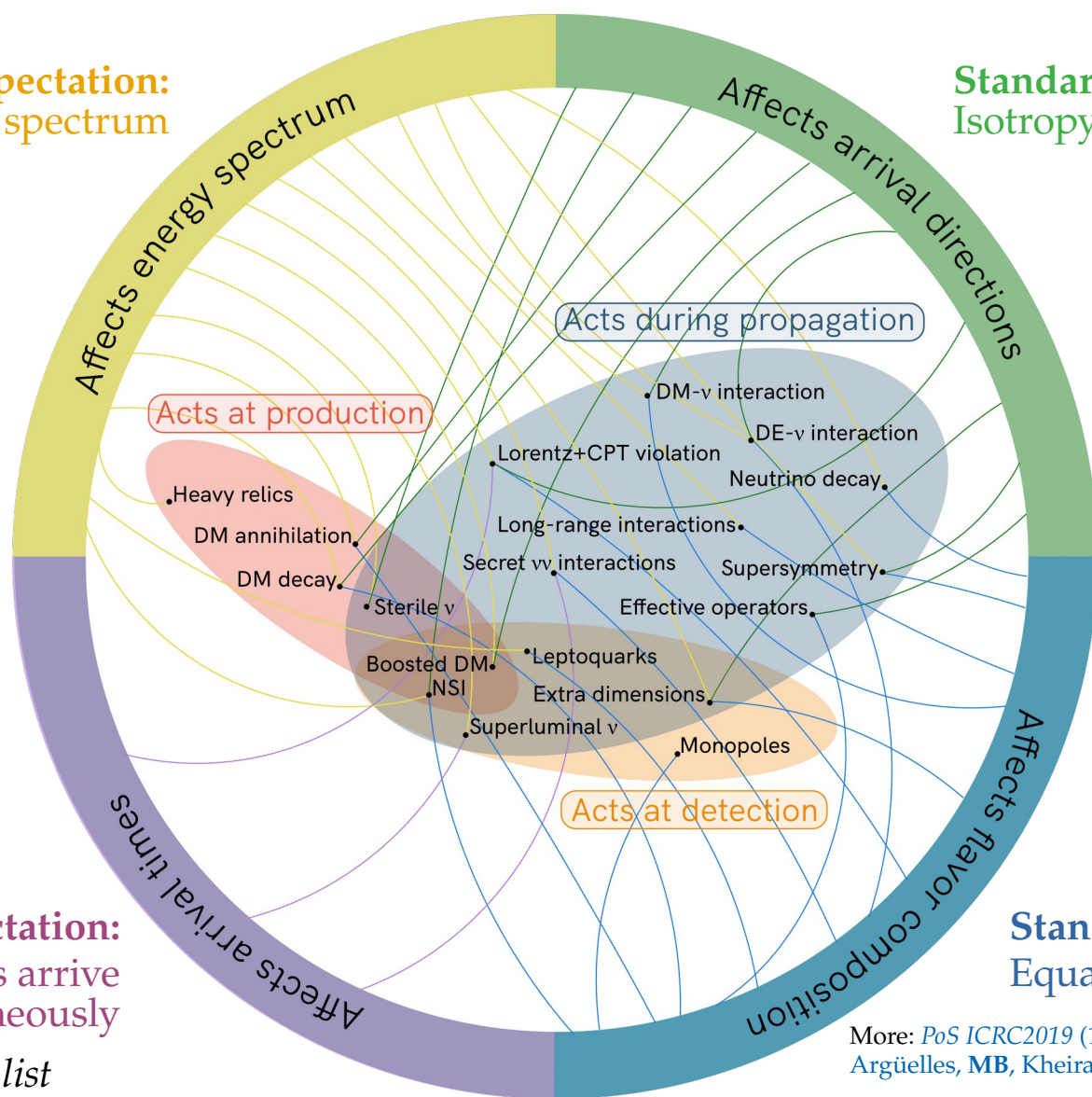
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Argüelles, MB, Kheirandish, Palomares-Ruiz, Salvadó, Vincent

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Standard expectation:
Isotropy (for diffuse flux)

Reviews:
Ahlers, Helbing, De los Heros, *EPJC* 2018
Argüelles, MB, Kheirandish, Palomares-Ruiz, Salvadó, Vincent, *ICRC* 2019 [1907.08690]
Ackermann, Ahlers, Anchordoqui, MB, et al., *Astro2020 Decadal Survey* [1903.04333]

Standard expectation:
 ν and γ from transients arrive
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Argüelles, MB, Kheirandish, Palomares-Ruiz, Salvadó, Vincent

Astrophysical neutrino sources

Earth

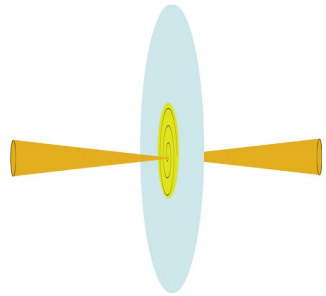


Galactic (kpc) or extragalactic (Mpc – Gpc) distance

Astrophysical neutrino sources

Earth

Galactic (kpc) or extragalactic (Mpc – Gpc) distance



Standard case: ν free-stream

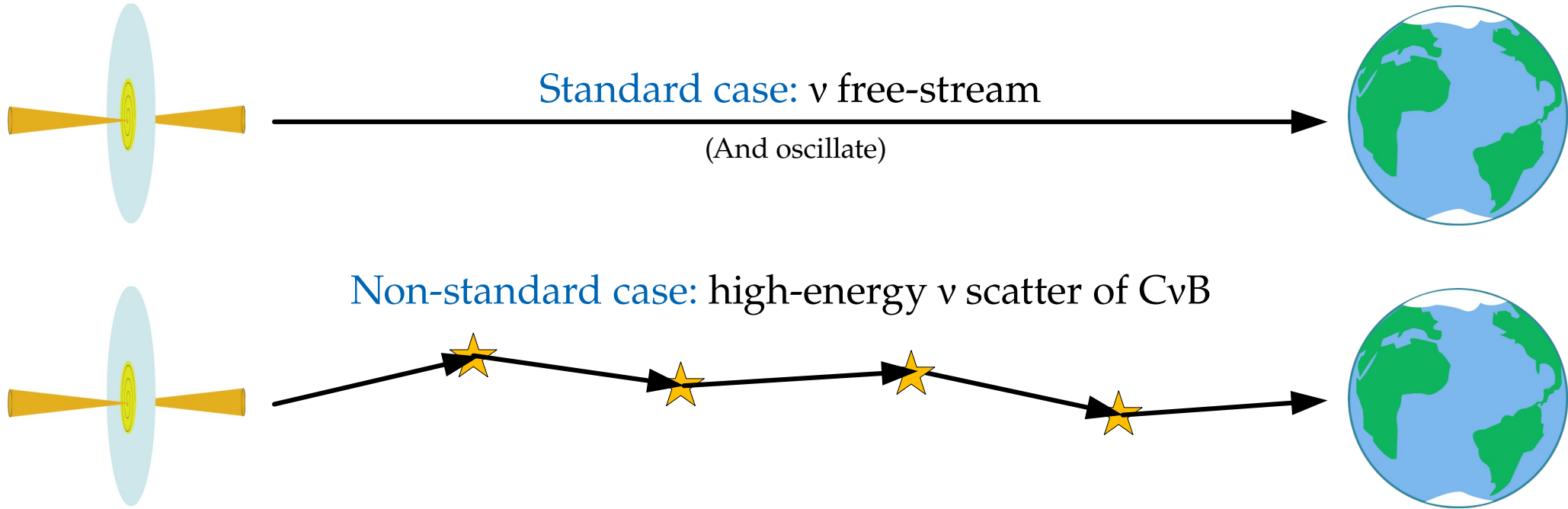
(And oscillate)



Astrophysical neutrino sources

Earth

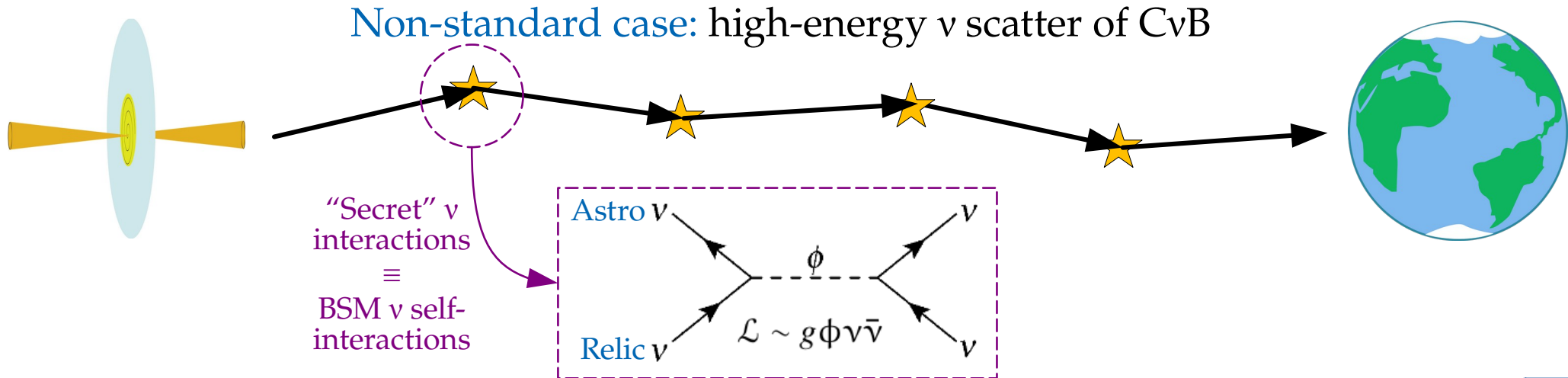
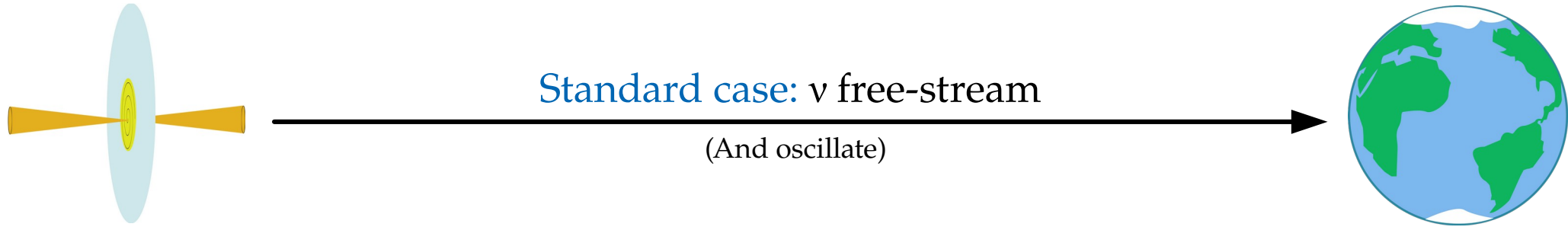
Galactic (kpc) or extragalactic (Mpc – Gpc) distance



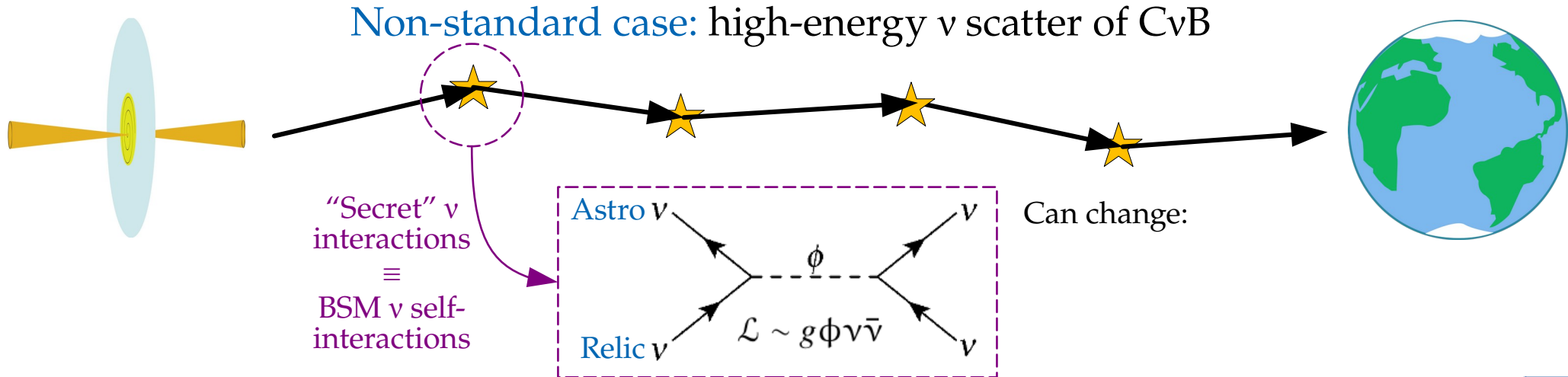
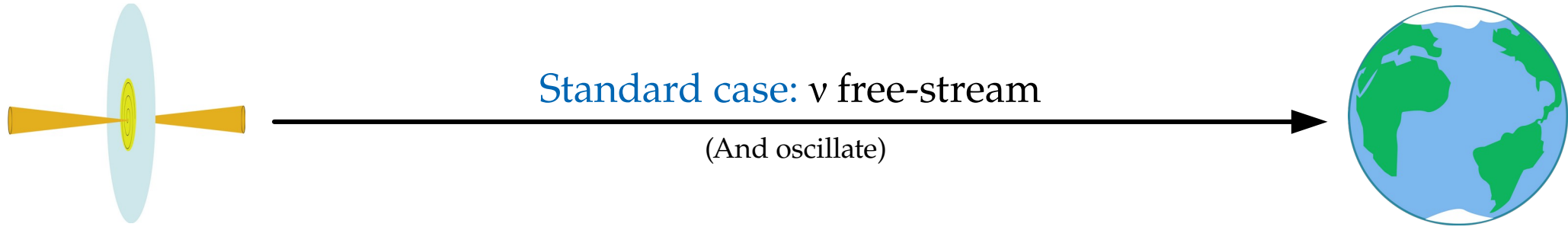
Astrophysical neutrino sources

Earth

Galactic (kpc) or extragalactic (Mpc – Gpc) distance



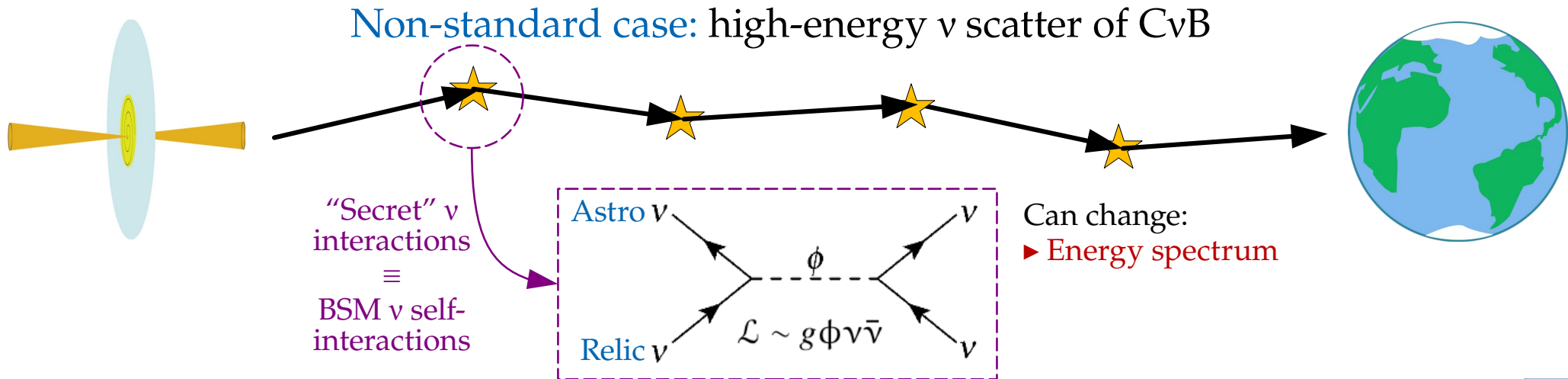
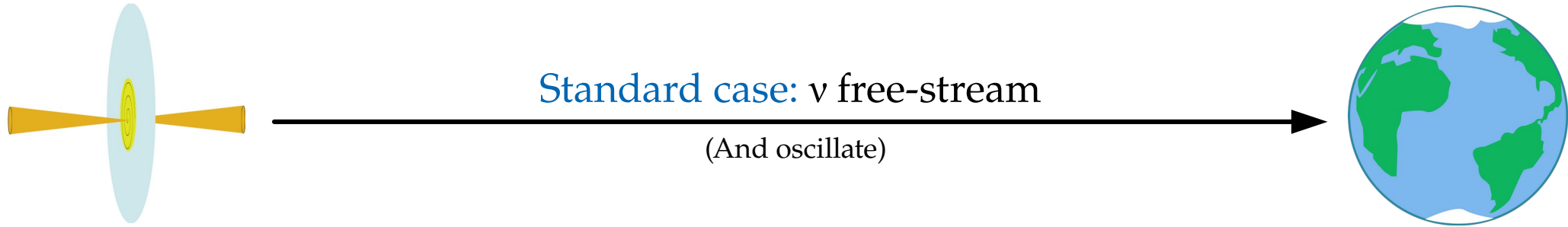
Galactic (kpc) or extragalactic (Mpc – Gpc) distance



Astrophysical neutrino sources

Earth

Galactic (kpc) or extragalactic (Mpc – Gpc) distance



Astrophysical neutrino sources

Earth

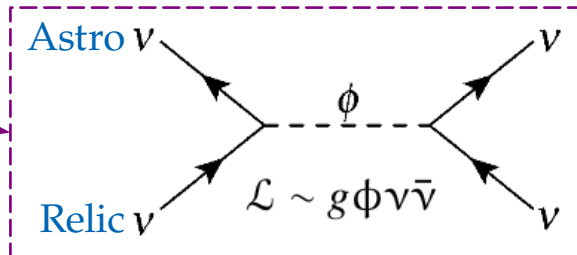
Galactic (kpc) or extragalactic (Mpc – Gpc) distance

Standard case: ν free-stream

(And oscillate)

Non-standard case: high-energy ν scatter of CvB

“Secret” ν
interactions
 \equiv
BSM ν self-
interactions



Can change:

- Energy spectrum
- Flavor composition

Astrophysical neutrino sources

Earth

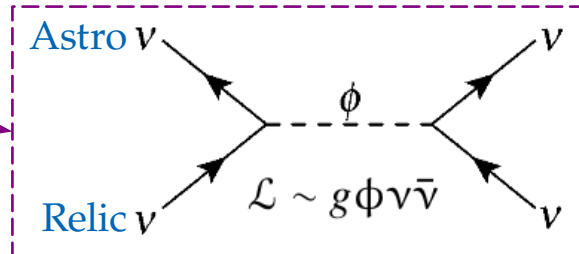
Galactic (kpc) or extragalactic (Mpc – Gpc) distance

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(And oscillate)

Non-standard case: high-energy ν scatter of CvB

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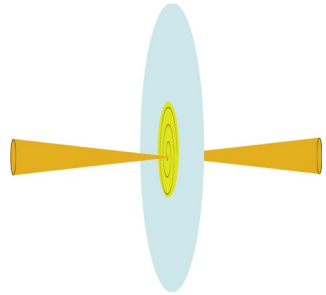
Can change:

- Energy spectrum
- Flavor composition
- Direction

Astrophysical neutrino sources

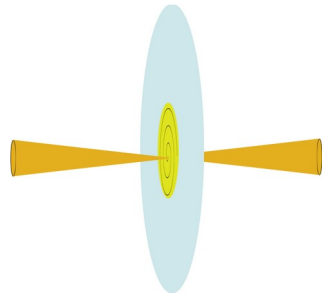
Earth

Galactic (kpc) or extragalactic (Mpc – Gpc) distance

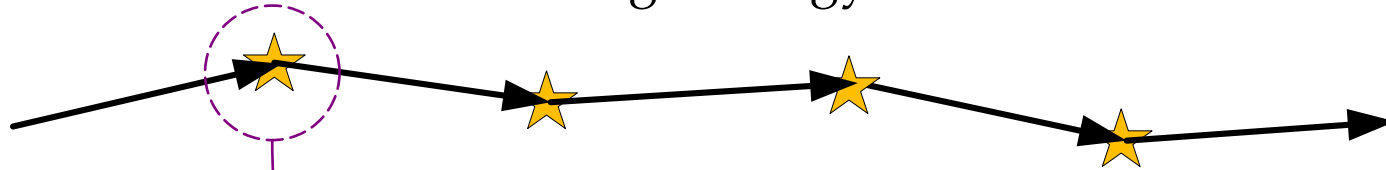


Standard case: ν free-stream

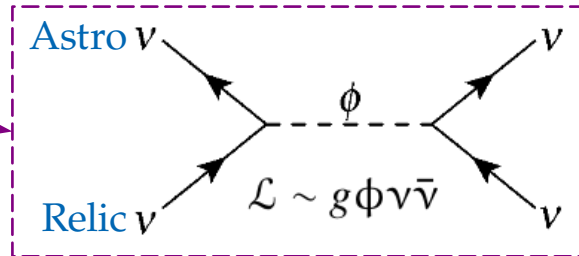
(And oscillate)



Non-standard case: high-energy ν scatter of CvB



“Secret” ν
interactions
 \equiv
BSM ν self-
interactions



Can change:

- Energy spectrum
- Flavor composition
- Direction
- Arrival times

ν SI with the UHE diffuse flux

Resonance energy: $E_{\text{res}} = \frac{M^2}{2m_\nu}$

Coupling matrix:

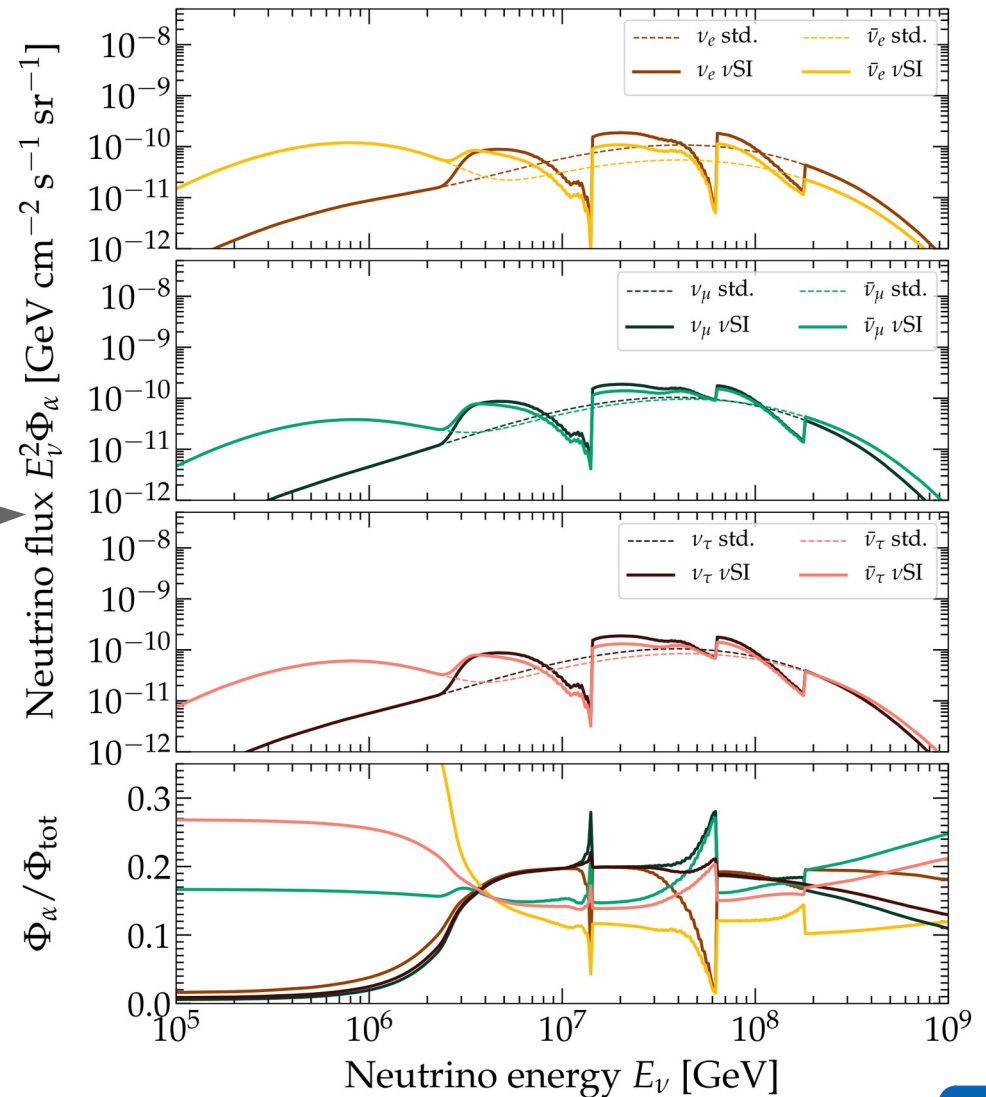
$$\mathbf{G} \equiv \begin{pmatrix} g_{ee} & g_{e\mu} & g_{e\tau} \\ g_{e\mu} & g_{\mu\mu} & g_{\mu\tau} \\ g_{e\tau} & g_{\mu\tau} & g_{\tau\tau} \end{pmatrix}$$

Different flavors can have different couplings

ν SI dips and bumps in the diffuse UHE ν flux:

- ▶ In the cosmogenic flux
- ▶ In the flux from sources

Work in progress, stay tuned...



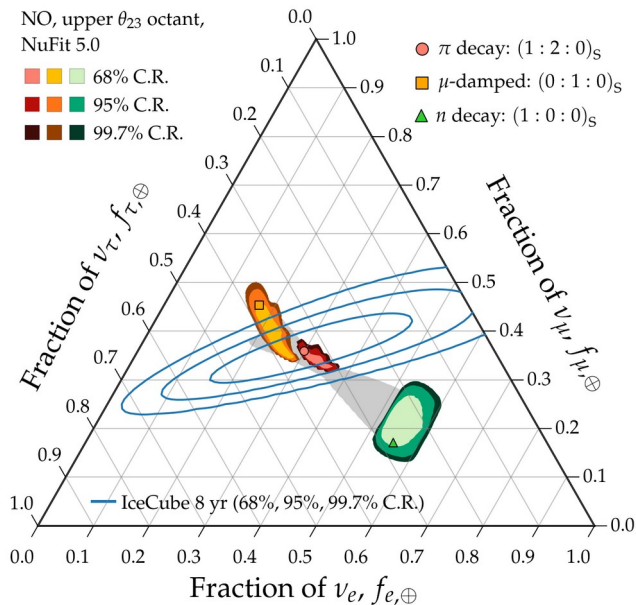
V.

Testing UHE ν physics
using flavor ratios

TeV–PeV theoretically palatable regions

TeV–PeV theoretically palatable regions

2020

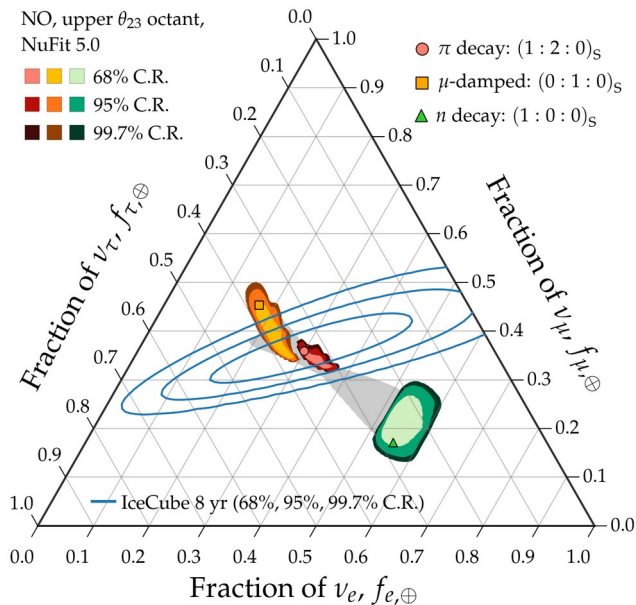


Allowed regions: overlapping

Measurement: imprecise

TeV–PeV theoretically palatable regions

2020



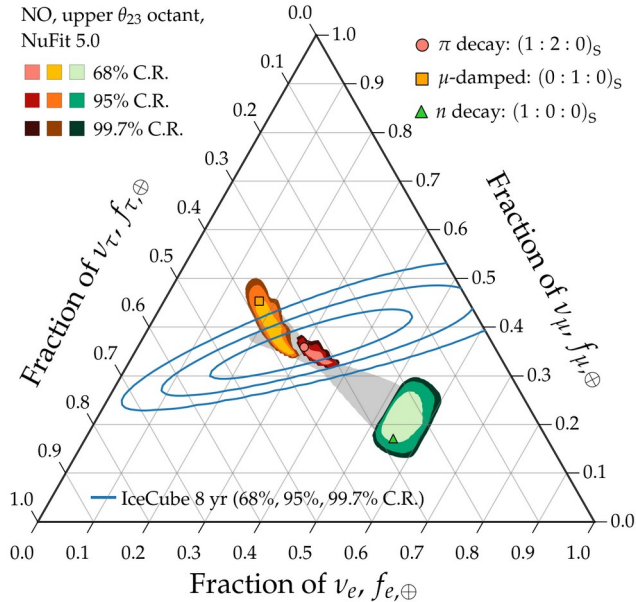
Allowed regions: overlapping

Measurement: imprecise

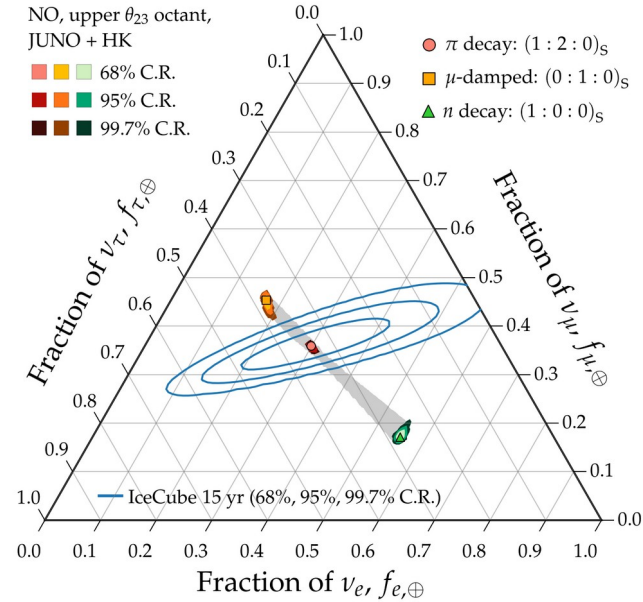
Not ideal

TeV–PeV theoretically palatable regions

2020



2030



Allowed regions: overlapping

Measurement: imprecise

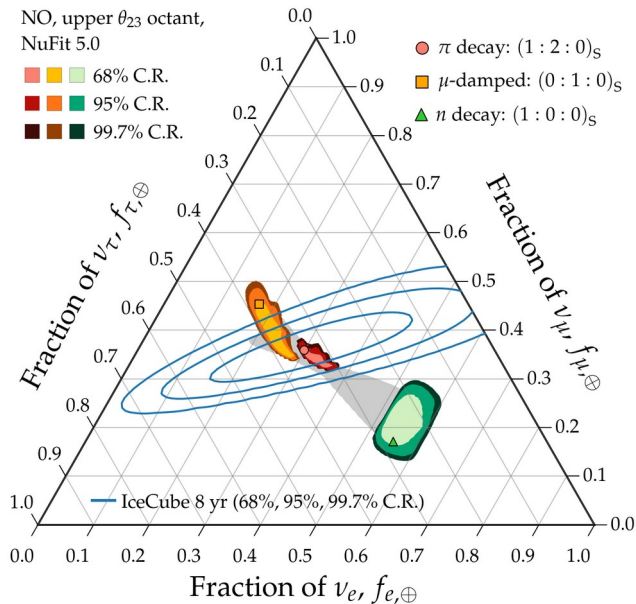
Not ideal

Allowed regions: well separated

Measurement: improving

TeV–PeV theoretically palatable regions

2020

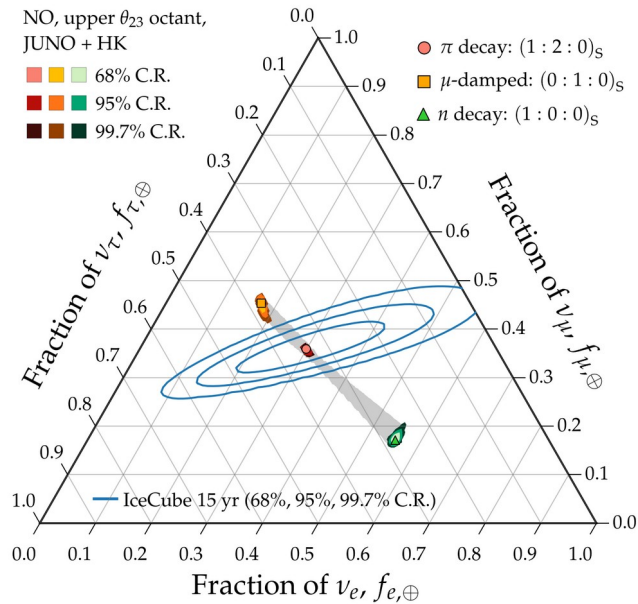


Allowed regions: overlapping

Measurement: imprecise

Not ideal

2030



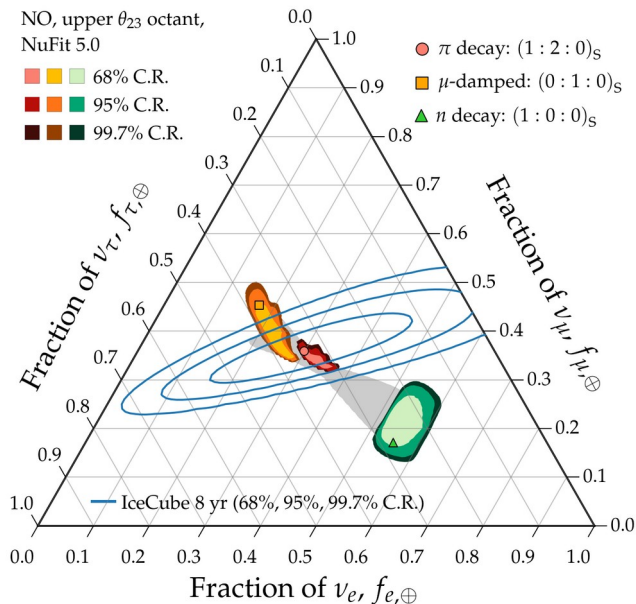
Allowed regions: well separated

Measurement: improving

Nice

TeV–PeV theoretically palatable regions

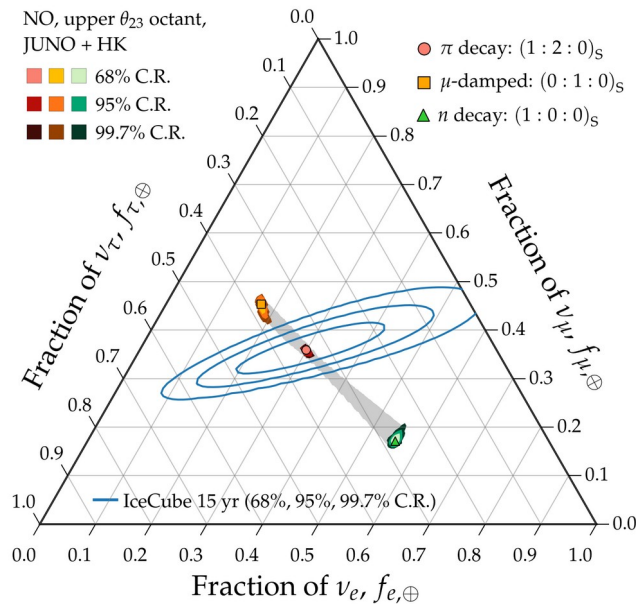
2020



Allowed regions: overlapping
Measurement: imprecise

Not ideal

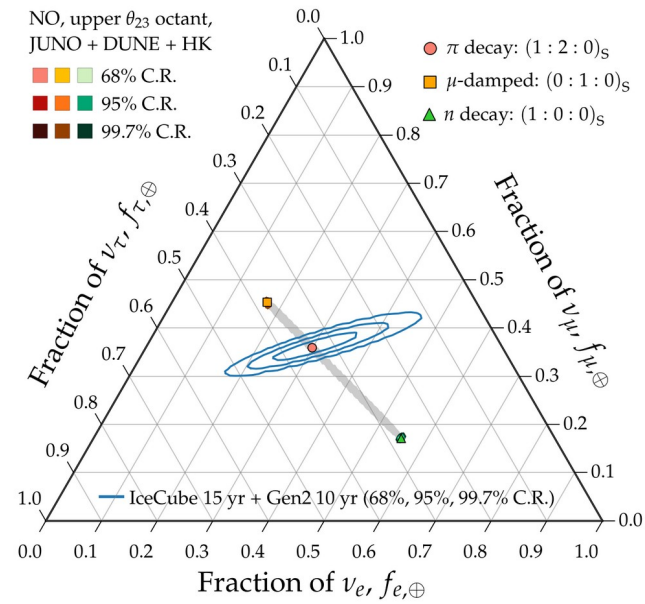
2030



Allowed regions: well separated
Measurement: improving

Nice

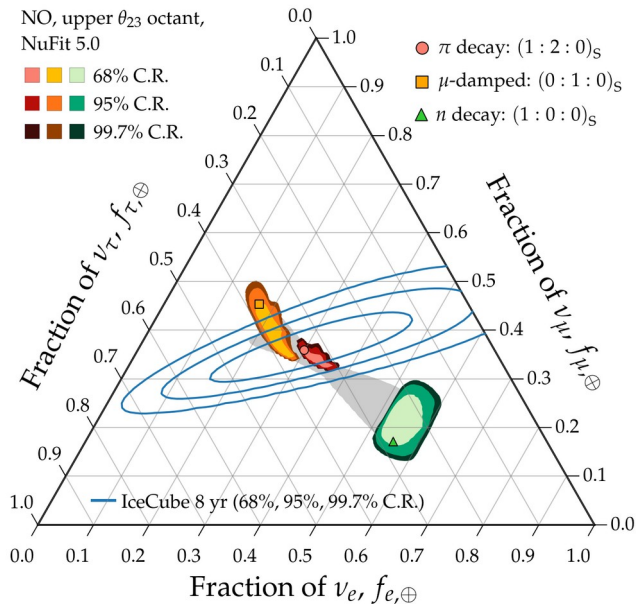
2040



Allowed regions: well separated
Measurement: precise

TeV–PeV theoretically palatable regions

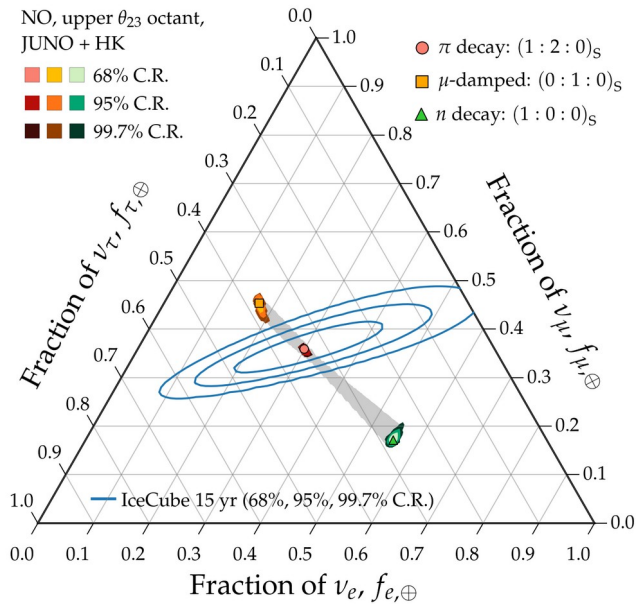
2020



Allowed regions: overlapping
Measurement: imprecise

Not ideal

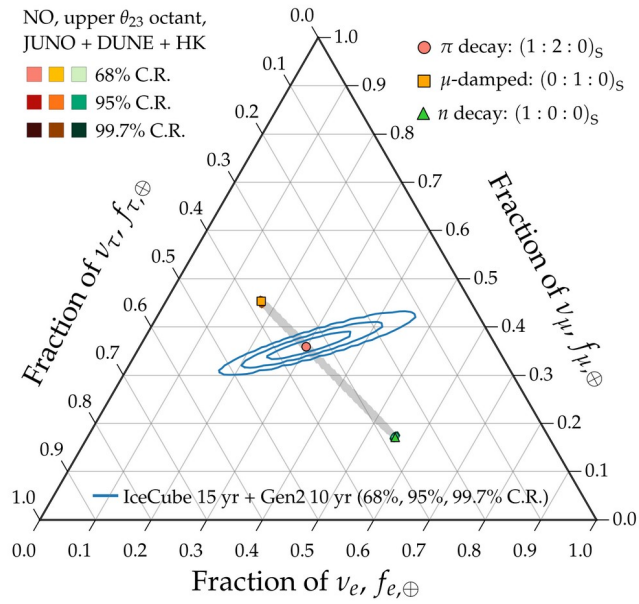
2030



Allowed regions: well separated
Measurement: improving

Nice

2040



Allowed regions: well separated
Measurement: precise

Success

New physics in flavor composition

Repurpose the flavor sensitivity to test new physics:

New physics in flavor composition

Repurpose the flavor sensitivity to test new physics:

Reviews:

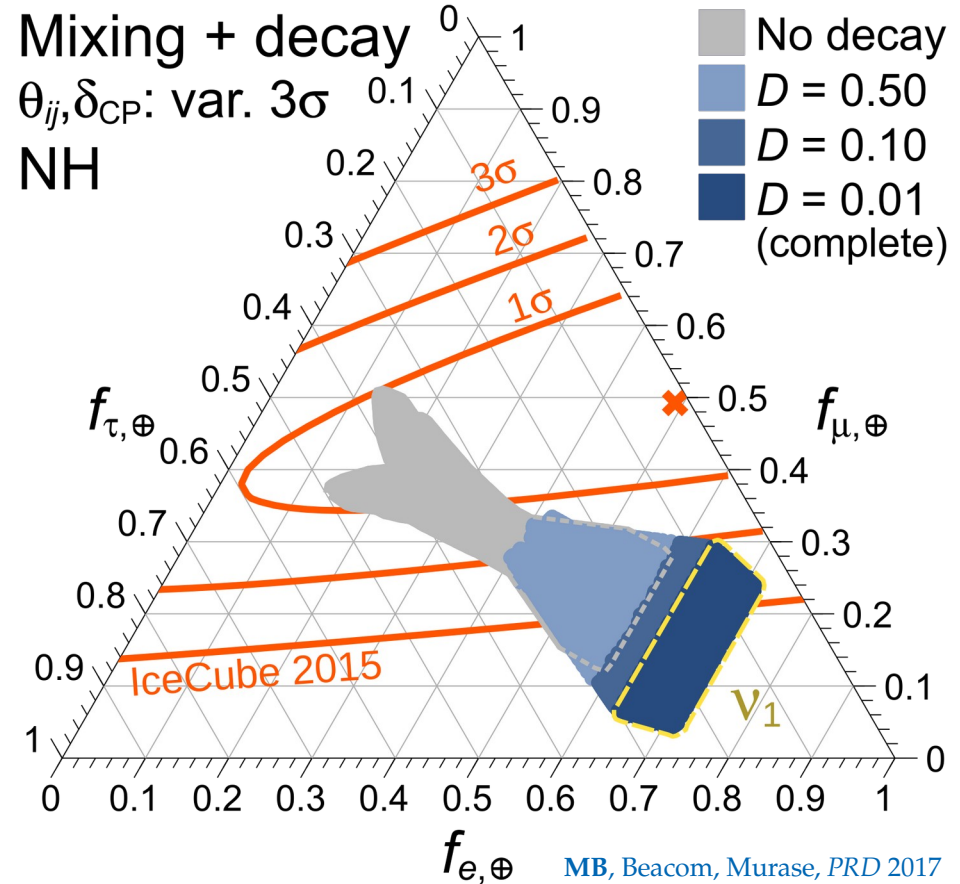
Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017

New physics in flavor composition

Repurpose the flavor sensitivity to test new physics:

► Neutrino decay

[Beacom *et al.*, *PRL* 2003; Baerwald, MB, Winter, *JCAP* 2010;
MB, Beacom, Winter, *PRL* 2015; MB, Beacom, Murase, *PRD* 2017]



Reviews:

Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017

New physics in flavor composition

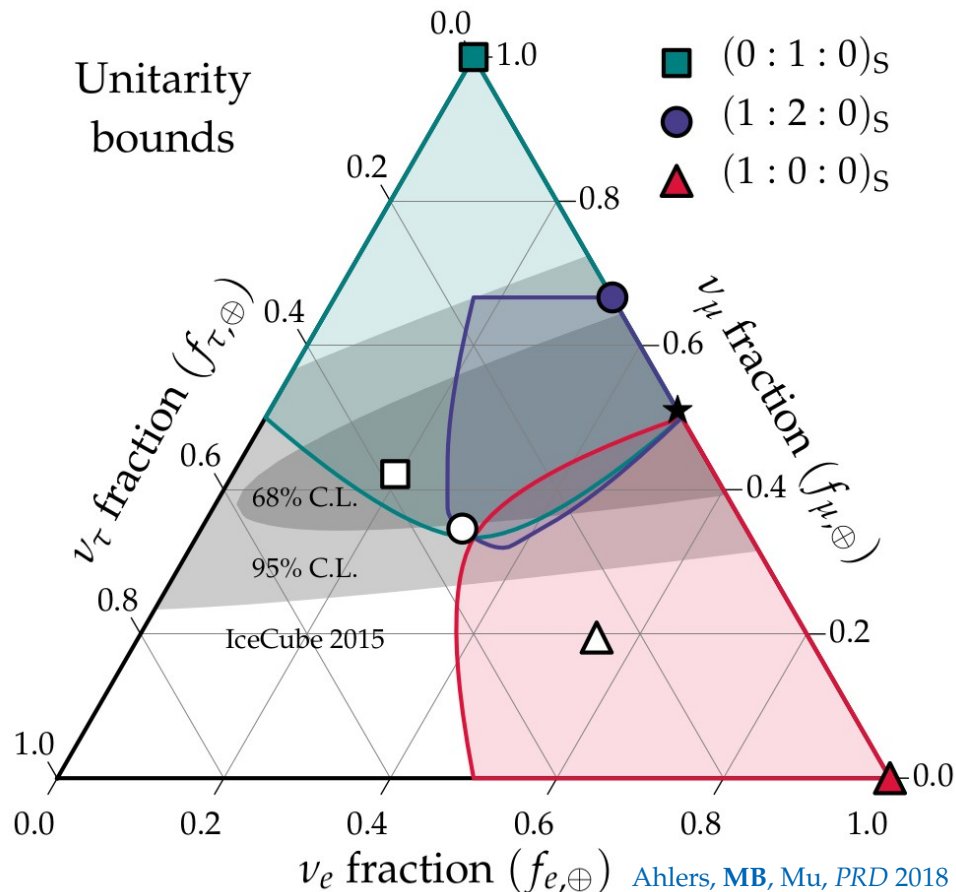
Repurpose the flavor sensitivity to test new physics:

- Neutrino decay

[Beacom *et al.*, *PRL* 2003; Baerwald, **MB**, Winter, *JCAP* 2010;
MB, Beacom, Winter, *PRL* 2015; **MB**, Beacom, Murase, *PRD* 2017]

- Tests of unitarity at high energy

[Xu, He, Rodejohann, *JCAP* 2014; Ahlers, **MB**, Mu, *PRD* 2018;
Ahlers, **MB**, Nortvig, *JCAP* 2021]



Reviews:

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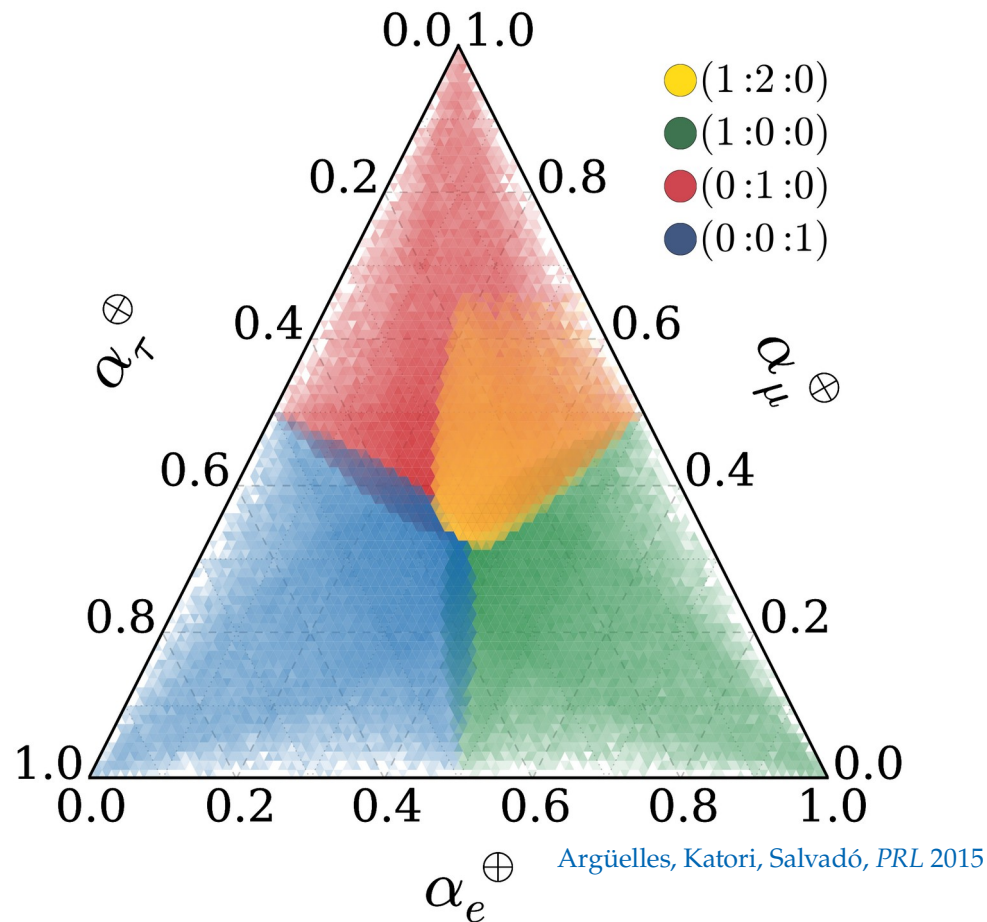
[Beacom *et al.*, *PRL* 2003; Baerwald, **MB**, Winter, *JCAP* 2010;
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Ahlers, **MB**, Nortvig, *JCAP* 2021]

- Lorentz- and CPT-invariance violation

[Barenboim & Quigg, *PRD* 2003; **MB**, Gago, Peña-Garay, *JHEP* 2010;
Kostelecky & Mewes 2004; Argüelles, Katori, Salvadó, *PRL* 2015]



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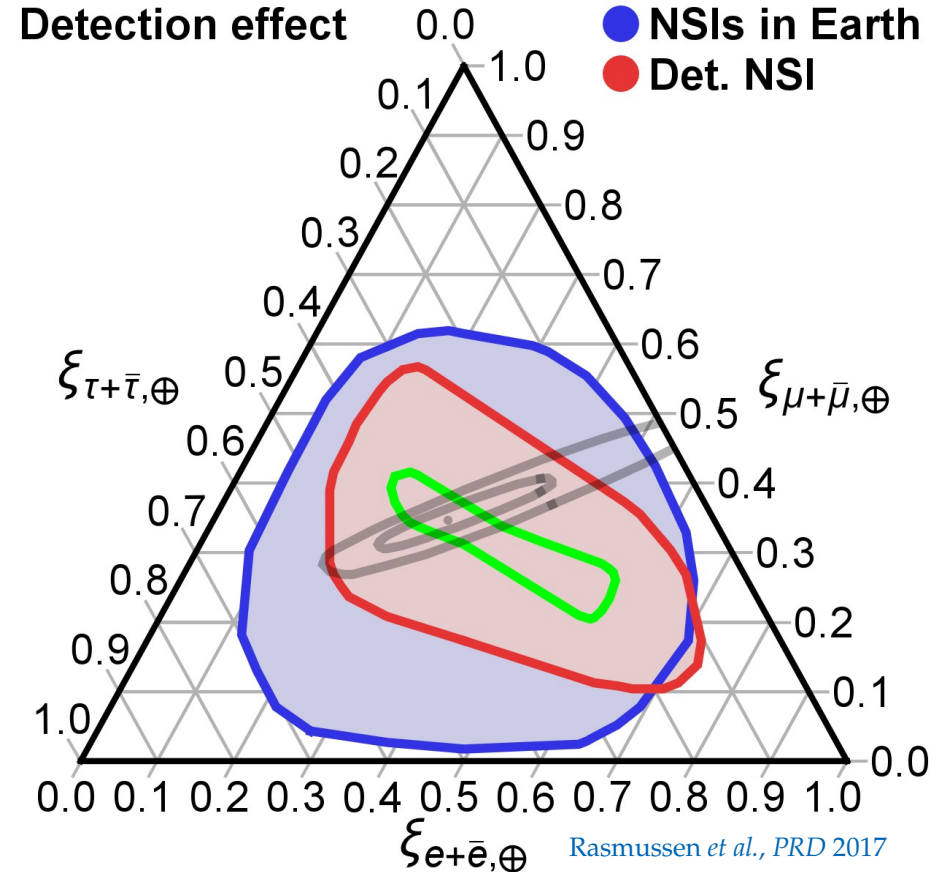
[Barenboim & Quigg, *PRD* 2003; **MB**, Gago, Peña-Garay, *JHEP* 2010;
Kostelecky & Mewes 2004; Argüelles, Katori, Salvadó, *PRL* 2015]

- ▶ Non-standard interactions

[González-García *et al.*, *Astropart. Phys.* 2016;
Rasmussen *et al.*, *PRD* 2017]

Reviews:

Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017



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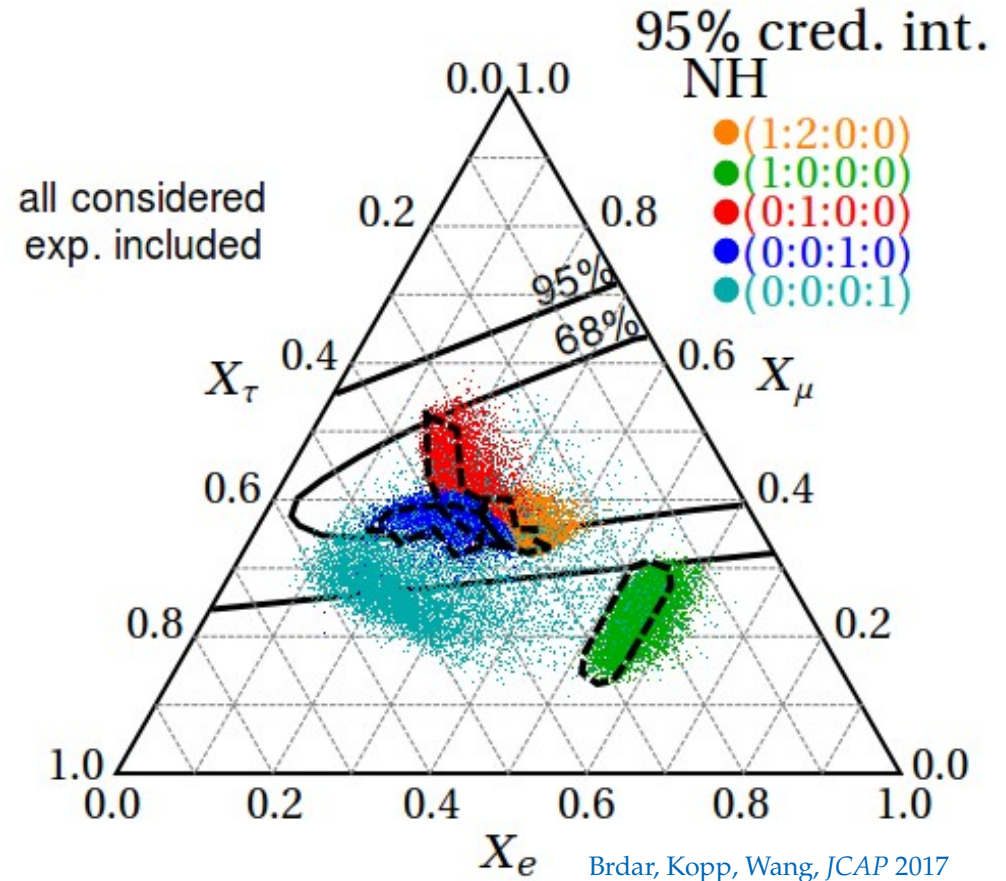
[González-García *et al.*, *Astropart. Phys.* 2016;
Rasmussen *et al.*, *PRD* 2017]

- ▶ Active-sterile ν mixing

[Aeikens *et al.*, *JCAP* 2015; Brdar, Kopp, Wang, *JCAP* 2017;
Argüelles *et al.*, *JCAP* 2020; Ahlers, **MB**, *JCAP* 2021]

Reviews:

Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017



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- Active-sterile ν mixing

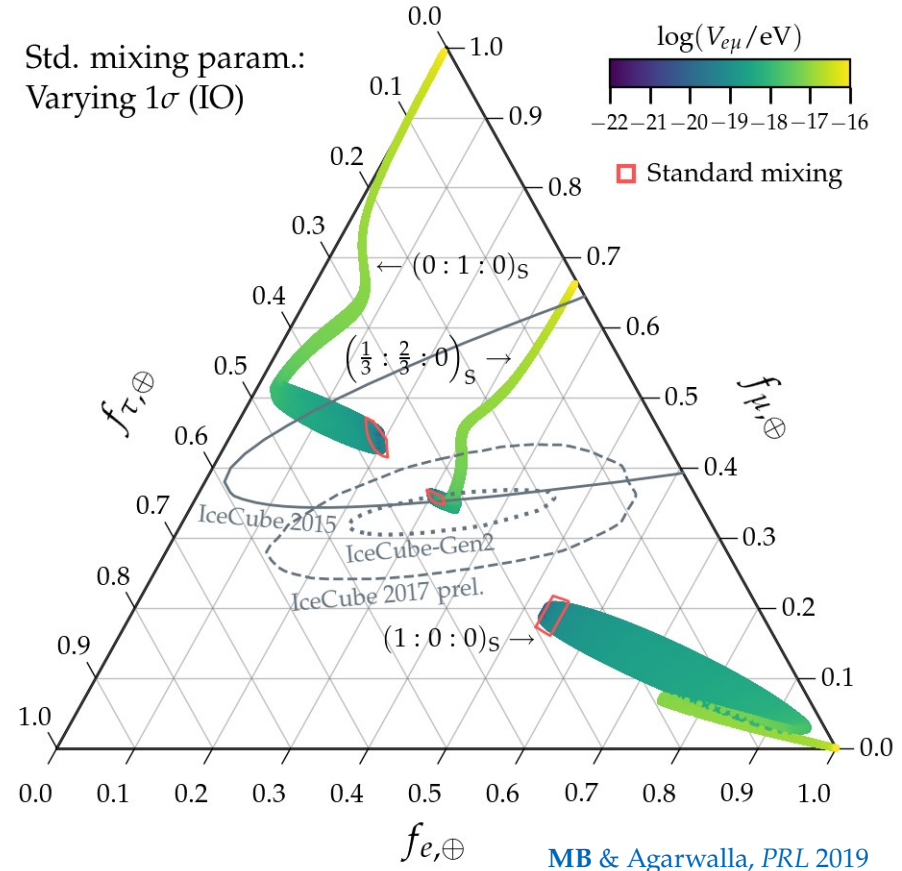
[Aeikens *et al.*, *JCAP* 2015; Brdar, Kopp, Wang, *JCAP* 2017;
Argüelles *et al.*, *JCAP* 2020; Ahlers, **MB**, *JCAP* 2021]

- Long-range $e\nu$ interactions

[**MB** & Agarwalla, *PRL* 2019]

Reviews:

Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017



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[Beacom *et al.*, *PRL* 2003; Baerwald, MB, Winter, *JCAP* 2010;
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- ▶ Tests of unitarity at high energy

[Xu, He, Rodejohann, *JHEP* 2015;
Ahlers, MB, Nojima, *JCAP* 2016]

- ▶ Lorentz- and CPT violation

[Barenboim & Cline, *JCAP* 2015;
Kostelecky & Minkowski, *Phys. Rev. D* 2008]

- ▶ Non-standard interactions

[González-García *et al.*, *Astropart. Phys.* 2016;
Rasmussen *et al.*, *PRD* 2017]

- ▶ Active-sterile ν mixing

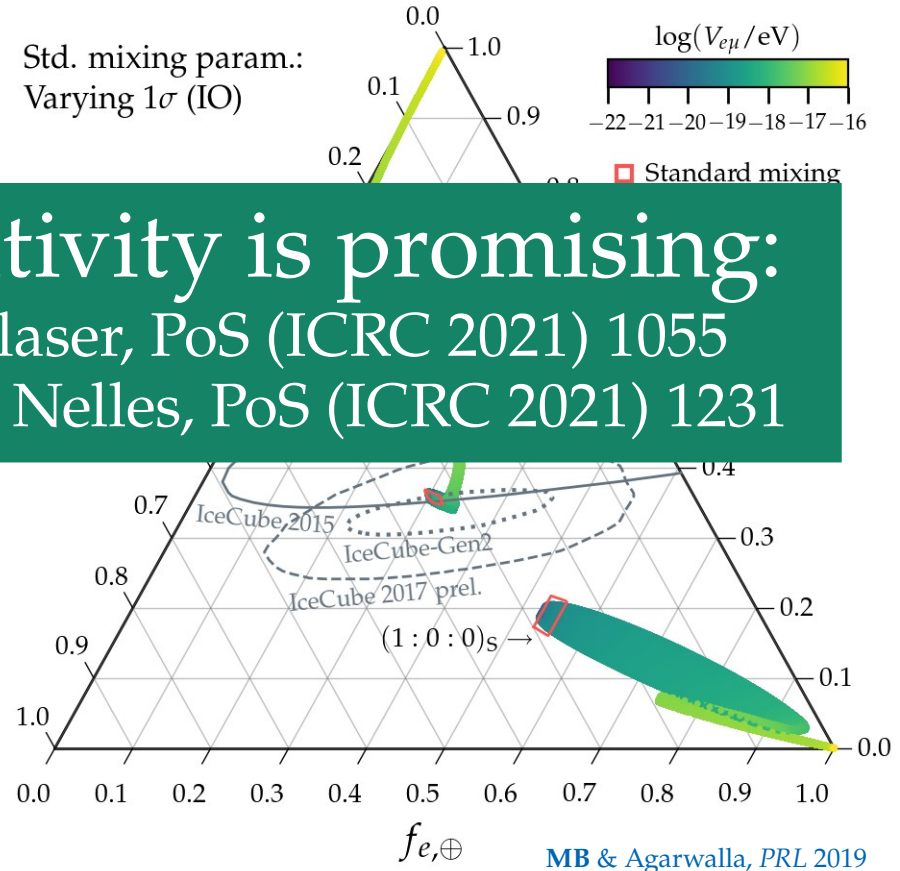
[Aeikens *et al.*, *JCAP* 2015; Brdar, Kopp, Wang, *JCAP* 2017;
Argüelles *et al.*, *JCAP* 2020; Ahlers, MB, *JCAP* 2021]

- ▶ Long-range $\bar{\nu}\nu$ interactions

[MB & Agarwalla, *PRL* 2019]

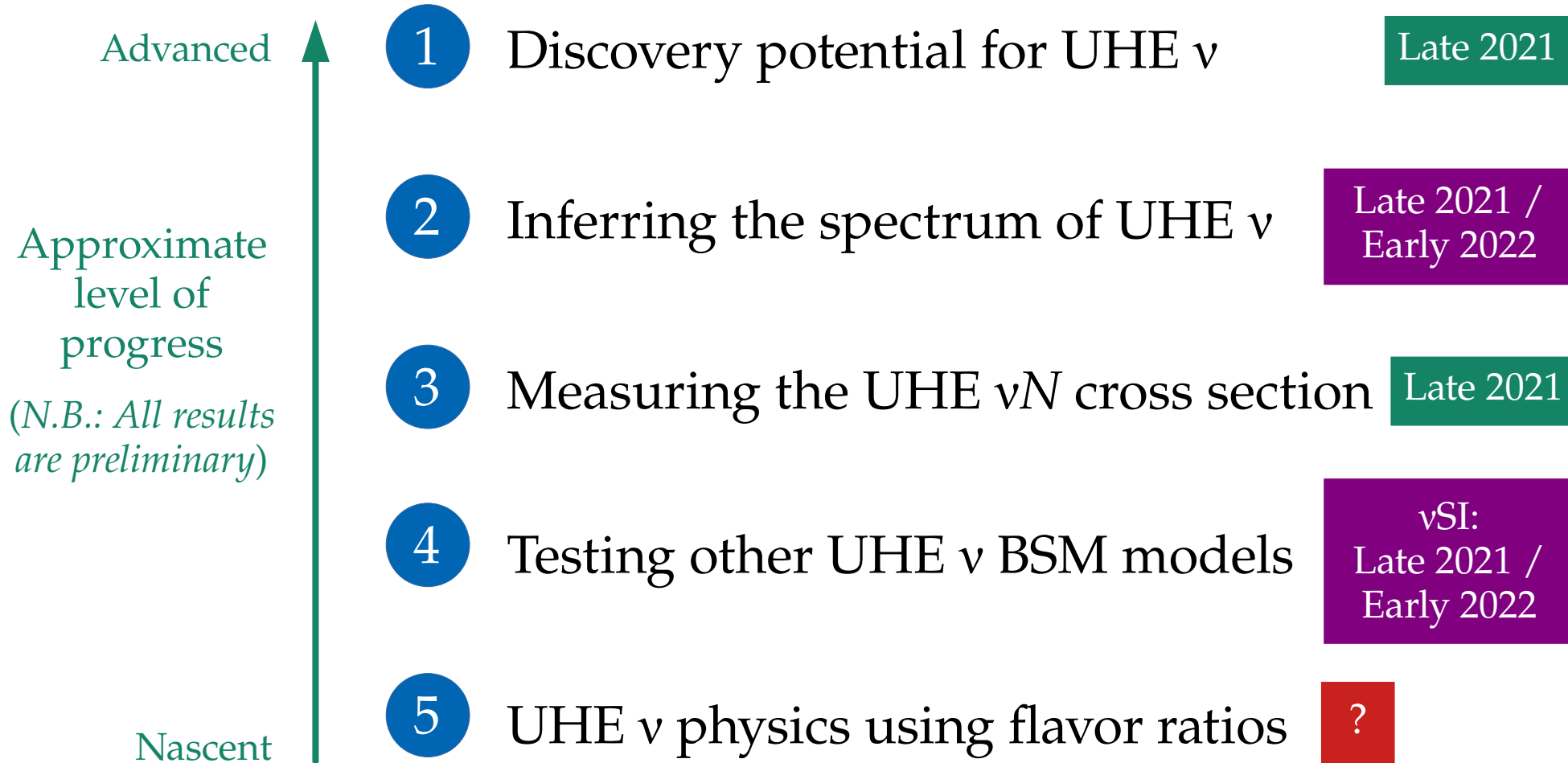
Reviews:

Mehta & Winter, *JCAP* 2011; Rasmussen *et al.*, *PRD* 2017



Rough time frames

Five directions



How it
started

How it's
going

10–20 years
from now

First predictions
of high-energy
cosmic ν

PeV ν
discovered

Hints of sources
First tests of ν physics

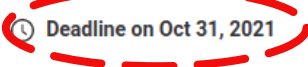
EeV ν discovered
Precision tests with PeV ν
First tests with EeV ν

End

PhD position in high-energy cosmic neutrino physics ← [INSPIRE Jobs ad](#)

Bohr Inst. • Europe

astro-ph hep-ph hep-th PhD



Contact:

Mauricio Bustamante (Niels Bohr Institute)
mbustamante@nbi.ku.dk

Job description:

The [Niels Bohr International Academy](#) invites applications for a PhD studentship in high-energy neutrino physics with cosmic neutrinos.

The preferred starting date is April 01, 2022 (earlier dates can be discussed).

Applicants are requested to submit their electronic applications including a cover letter, CV, research statement, BSc and MSc academic transcripts, and two reference letters via [AcademicJobsOnline](#). Please see application instructions below.

In order to receive full consideration, complete applications should be received by **October 31, 2021**.

Pushing neutrino physics to the cosmic frontier

What is Nature like at its most fundamental level? What are its building blocks and how do they interact? What are its organizing principles? These questions lie at the core of Physics, science, and human curiosity. During the last century, we steadily found deeper answers, using increasingly powerful particle accelerators that revealed fundamental particles, interactions, and symmetries. Yet, ample territory remains unexplored at higher energies, ripe for discoveries.

Today, accelerators still churn out valuable data, but, so far, fail to guide us in furthering our view of fundamental physics. Observing particle processes at higher energies would provide guidance, but they lie beyond the reach of accelerator technology. Fortunately, Nature itself provides a way forward: we must turn from man-made particle accelerators to naturally occurring cosmic accelerators. These are extreme phenomena—exploding and colliding stars, black holes—that emit particles with energies millions of times higher than man-made accelerators. Among these, neutrinos stand out as incisive probes of particle physics.

During your PhD, you will learn how to harness the vast potential of high-energy cosmic neutrinos to unearth the particle physics that awaits at the highest, unexplored energies. You will look especially for signs of new physics, beyond the Standard Model.

The principal supervisor will be Assistant Prof. Mauricio Bustamante ([INSPIRE profile](#)) at the Niels Bohr International Academy. Your PhD will be part of the project “Pushing Neutrino Physics to the Cosmic Frontier”, funded by the [Villum Fonden](#) (project no. 29388).